

Solid-state synthesis

Guillaume F. Nataf
EL NANO thematic school
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UMR 7347





magnetic and optical
properties

MAGNETOPTICS

OXYDES

oxides for energy
efficiency

ultrasonic devices

DISCUS

ECOSYM

energy,
microelectronics

This presentation would not exist without...



Fabien Giovannelli



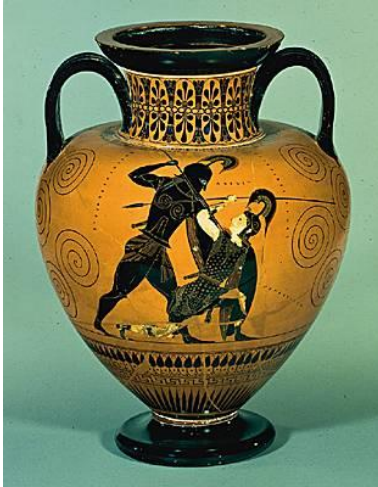
Isabelle Laffez

- Basics of ceramics
- ZnO nanostructuring
- Nanocracks
- ZnO nanowires
- Spontaneous nanostructuration

Thermal
conductivity

- Basics of ceramics
- ZnO nanostructuring
- Nanocracks
- ZnO nanowires
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Keramos (greek)



Pottery

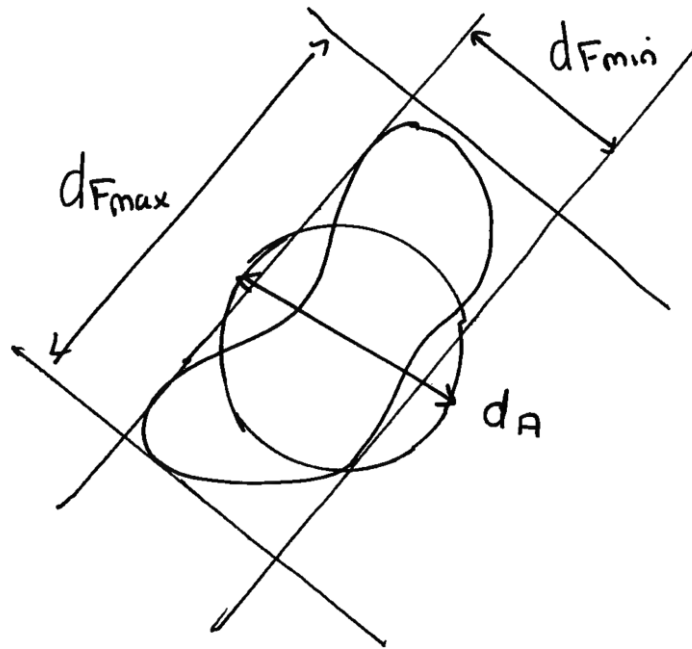


Terracota



Ceramics

What is the diameter of a particle?



d_A , **diameter of the projected area:**
diameter of a spherical particle with the same projected area as the particle viewed in a direction perpendicular to the plane of the greatest stability of the particle

d_F , **Feret's diameter** (caliper diameter)

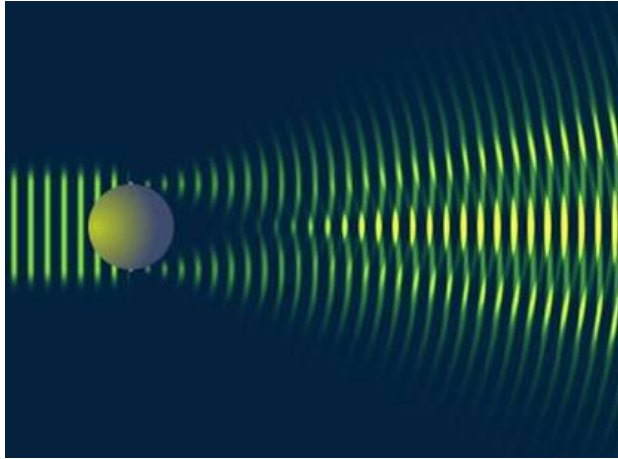
d_V , diameter of the sphere having the same volume

d_S , diameter of the sphere having the same equivalent specific surface

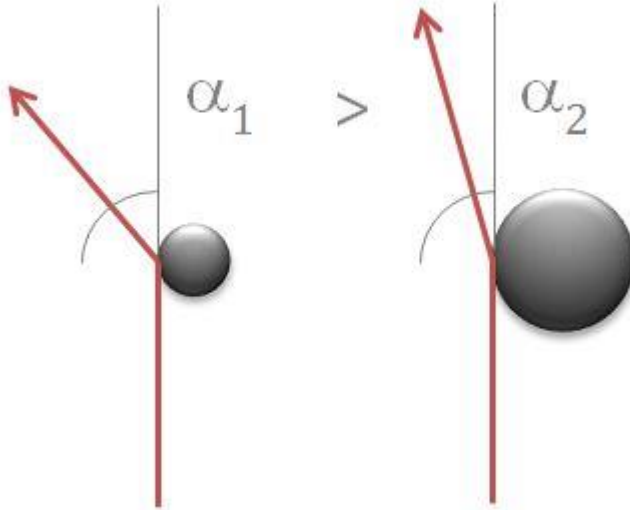
How to measure grain sizes

Particle size	Measurement method
$> 100 \mu\text{m}$	Dry sieving
$> 30 \mu\text{m}$	Wet sieving
$1 \mu\text{m} < x < 100 \mu\text{m}$	Sedimentometry
$0.1 \mu\text{m} < x < 20 \mu\text{m}$	Centrifugation
$0.02 \mu\text{m} < x < 2 \mu\text{m}$	Laser diffraction
$0.02 \mu\text{m} < x < 1 \text{ mm}$	Microscopies

How to measure grain sizes: diffraction

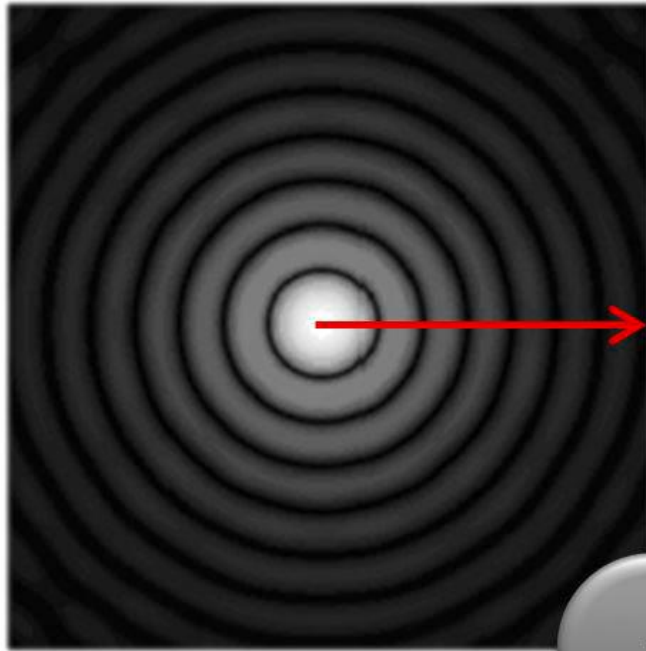


Each randomly moving particle in a **medium** (water, alcohol, etc.) absorbs, diffracts, refracts, reflects or scatters light at an angle that depends on its **size**

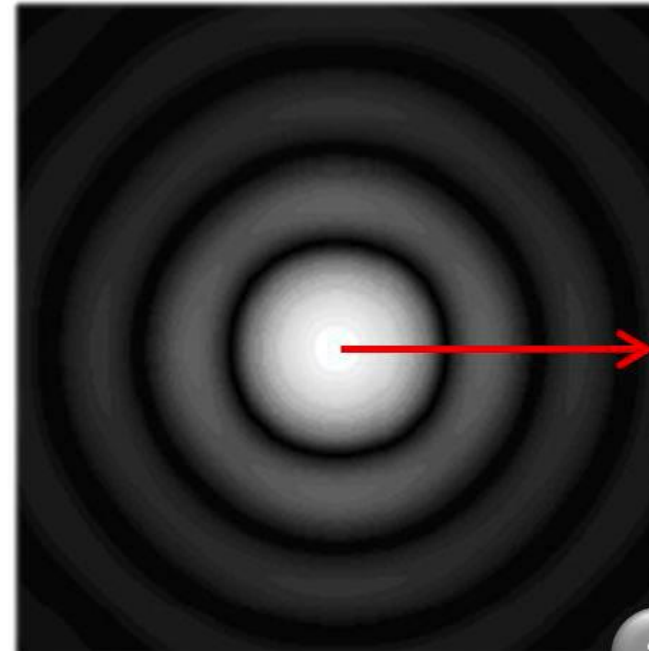


The diffraction angle of small particles (α_1) is bigger than the diffraction angle of bigger particles (α_2)

How to measure grain sizes: Airy pattern

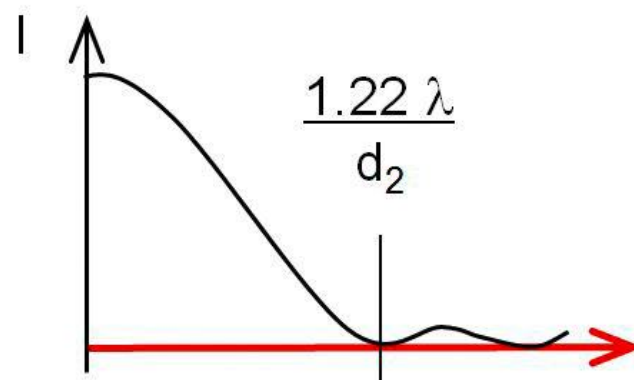
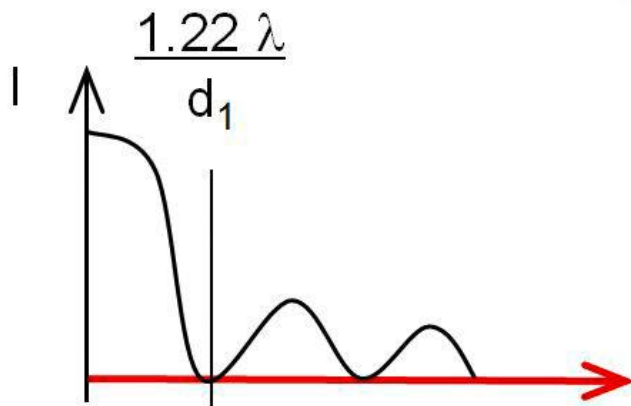


1



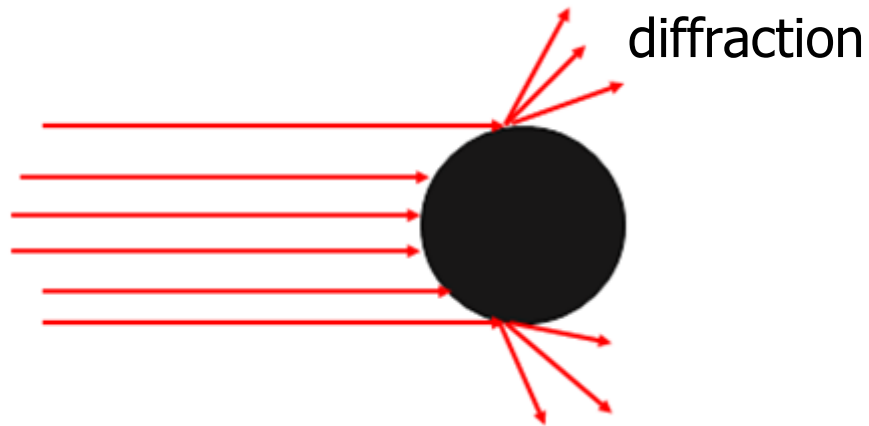
2

$$d_1 > d_2$$



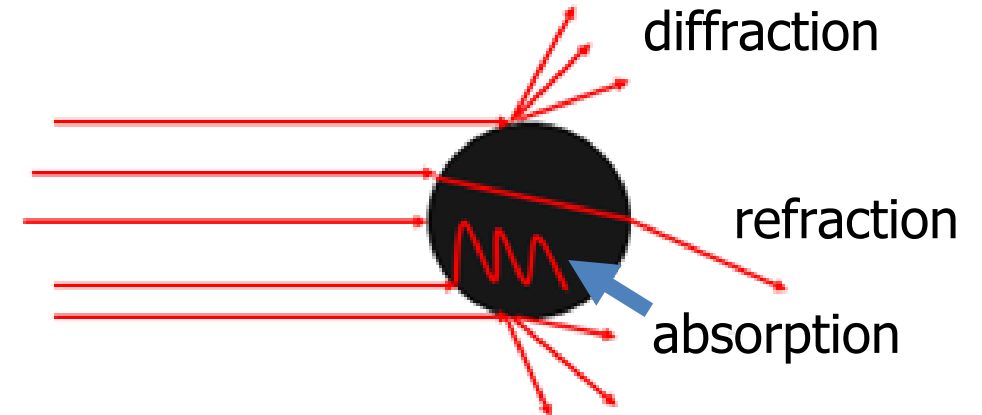
How to measure grain sizes: laser granulometry

Fraunhofer diffraction theory



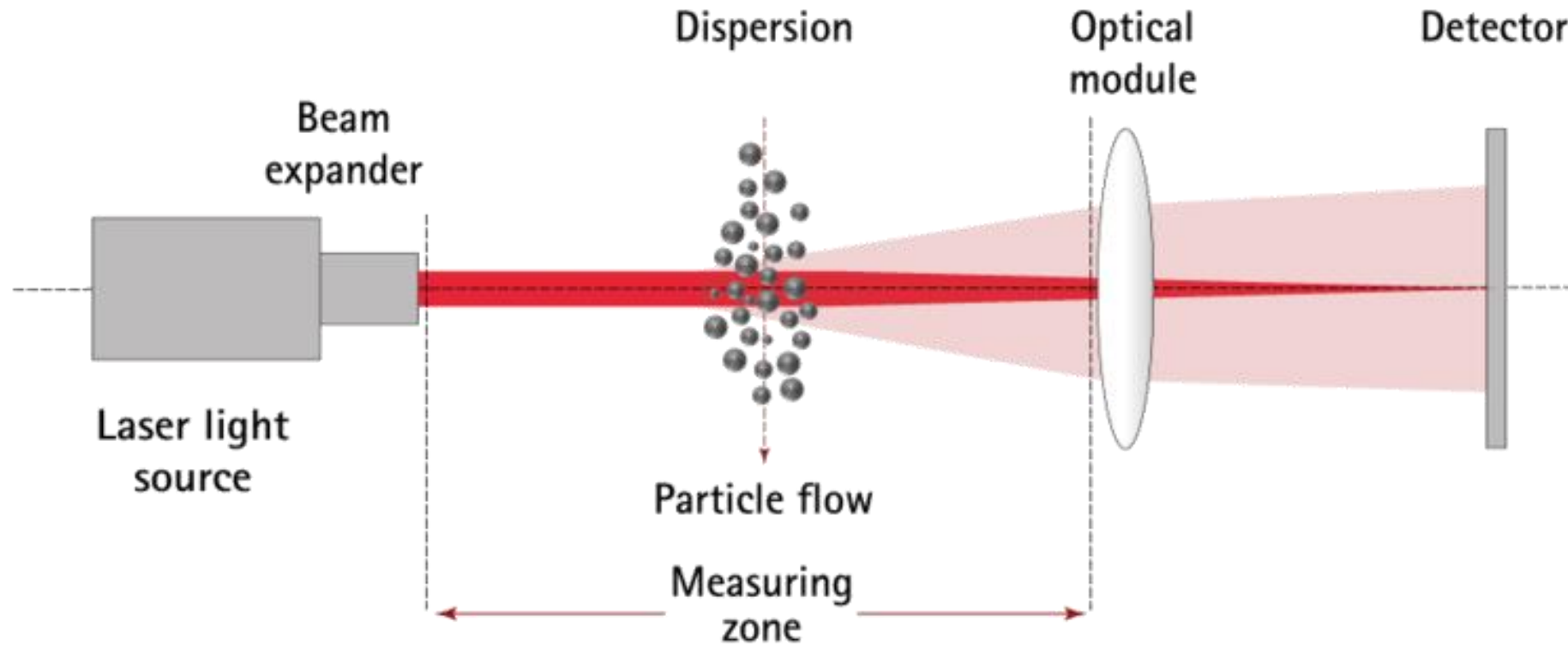
- Spherical and opaque particles
- Diameter of the particles $> \lambda$ of the beam
- Particles far from each other
- Particles move randomly

Mie scattering theory

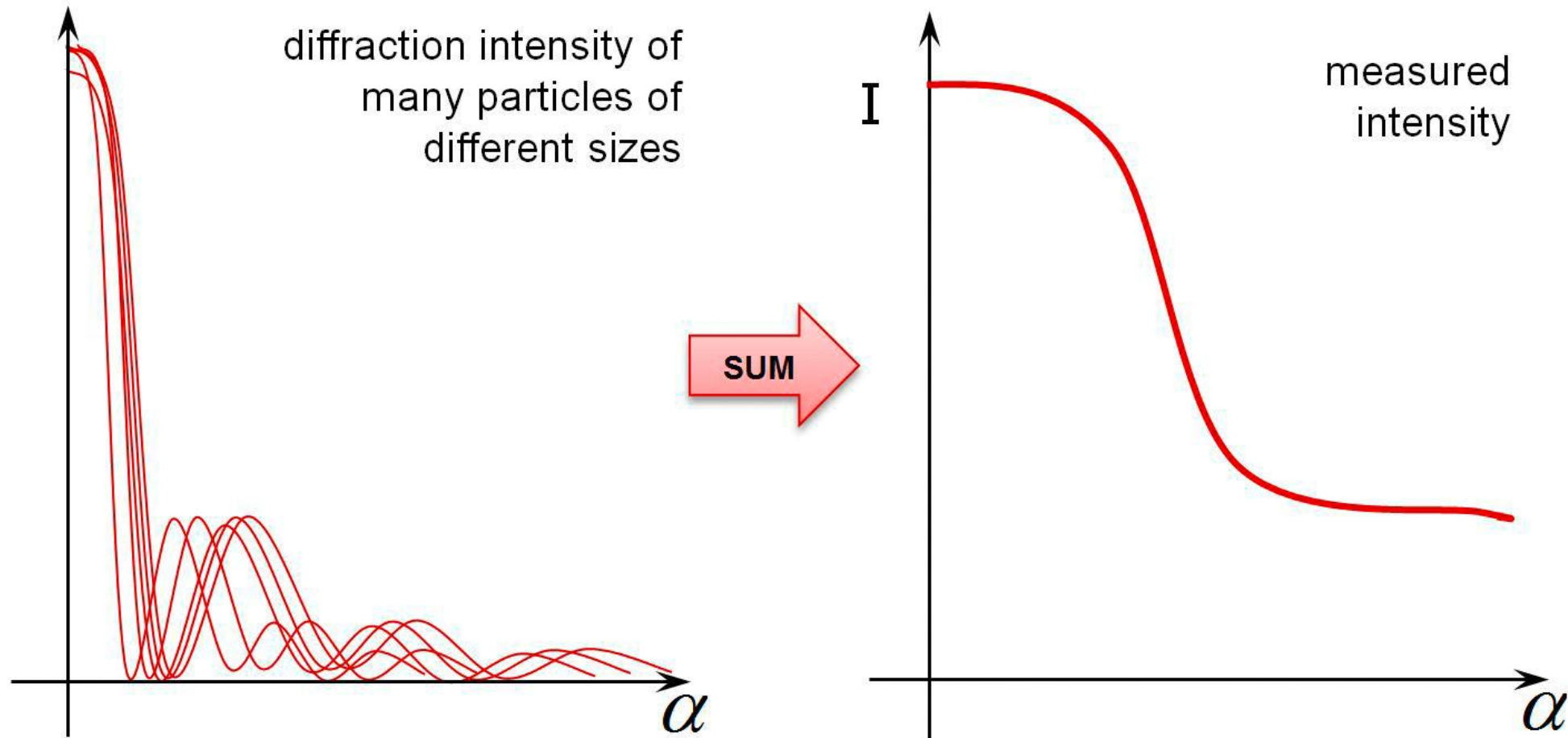


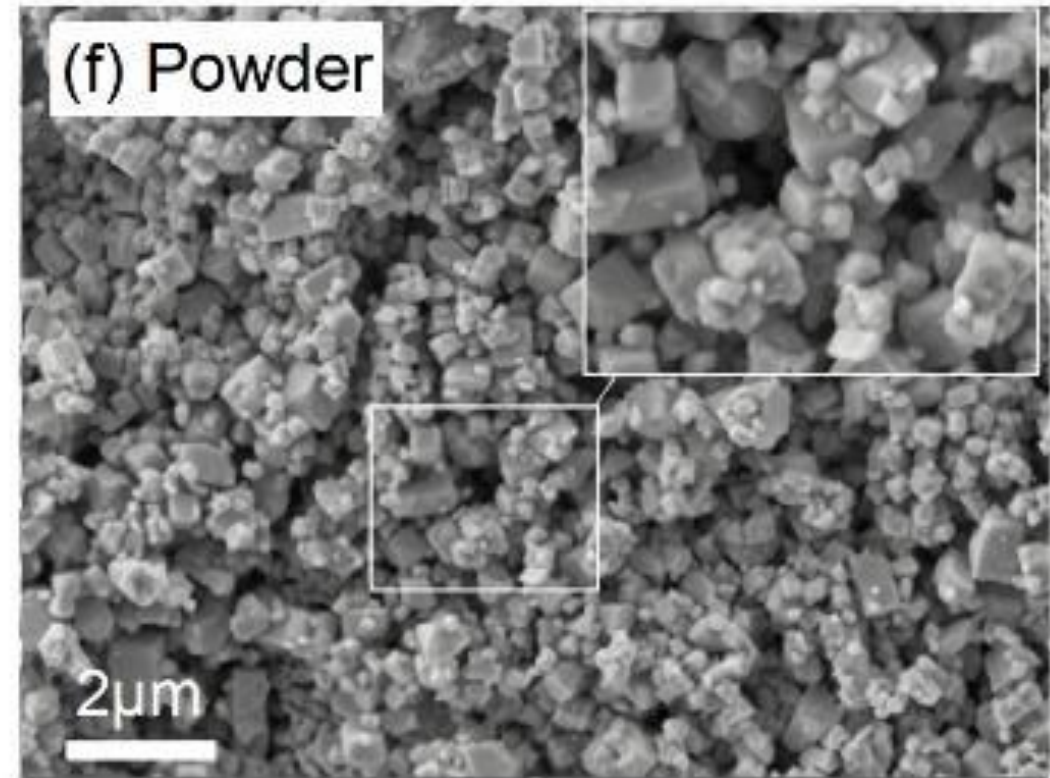
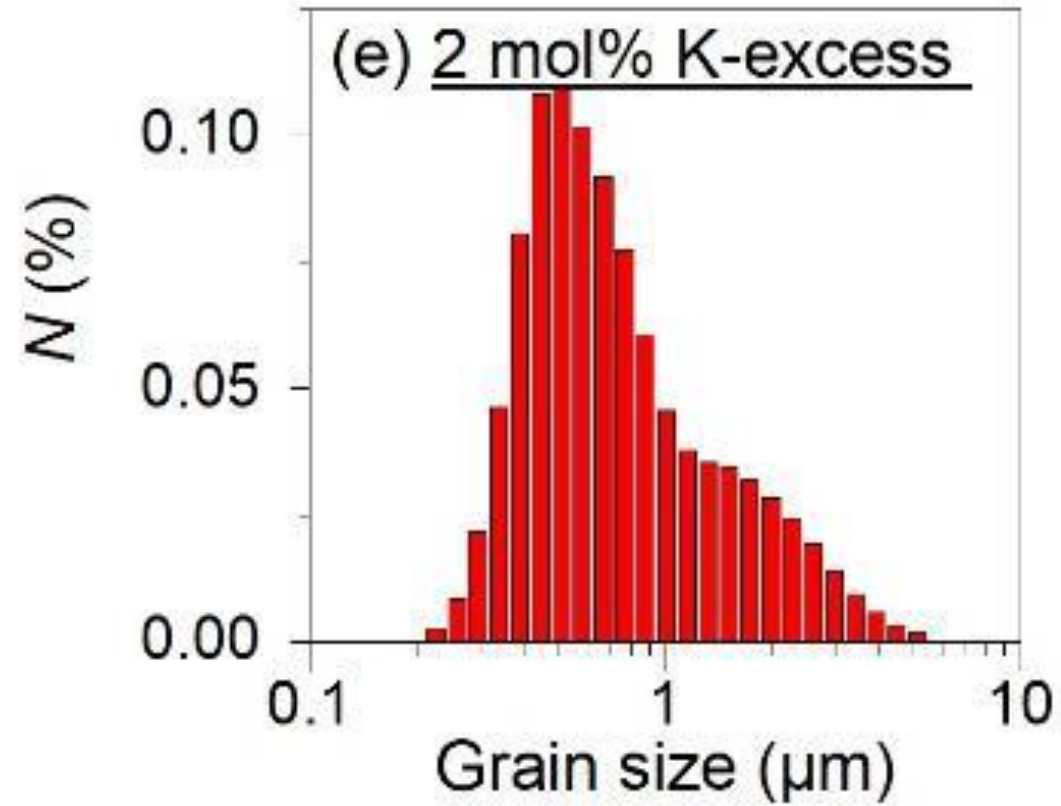
- Spherical particles
- Homogeneous particles
- Particles far from each other
- Refractive indices of the particles and the medium are known

How to measure grain sizes: laser granulometry



How to measure grain sizes: laser granulometry





Dynamic Light Scattering (DLS)

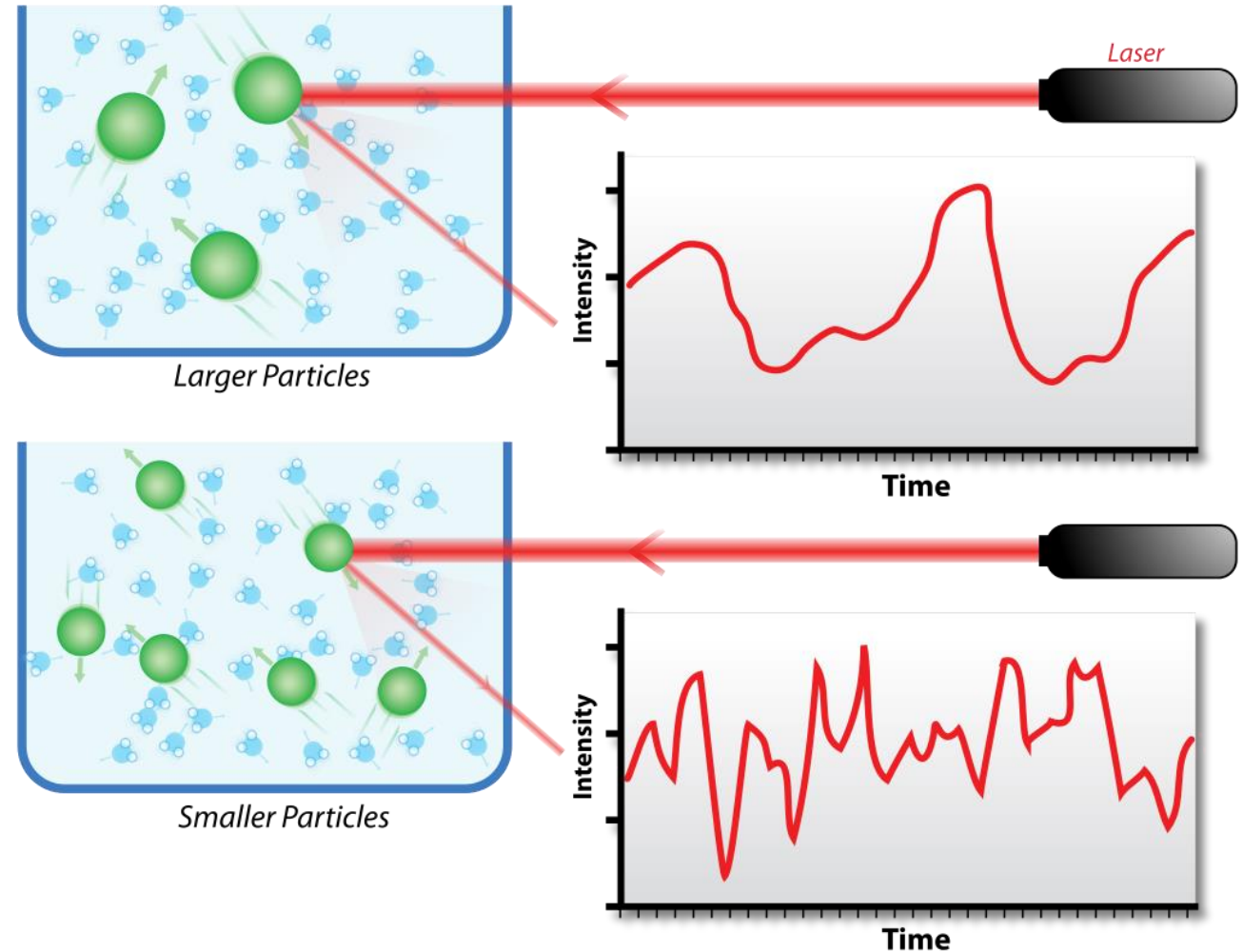
For nanoparticles (1 – 500 nm)

All particles in the solution are hit by the light and all of them **diffract the light in all directions**.

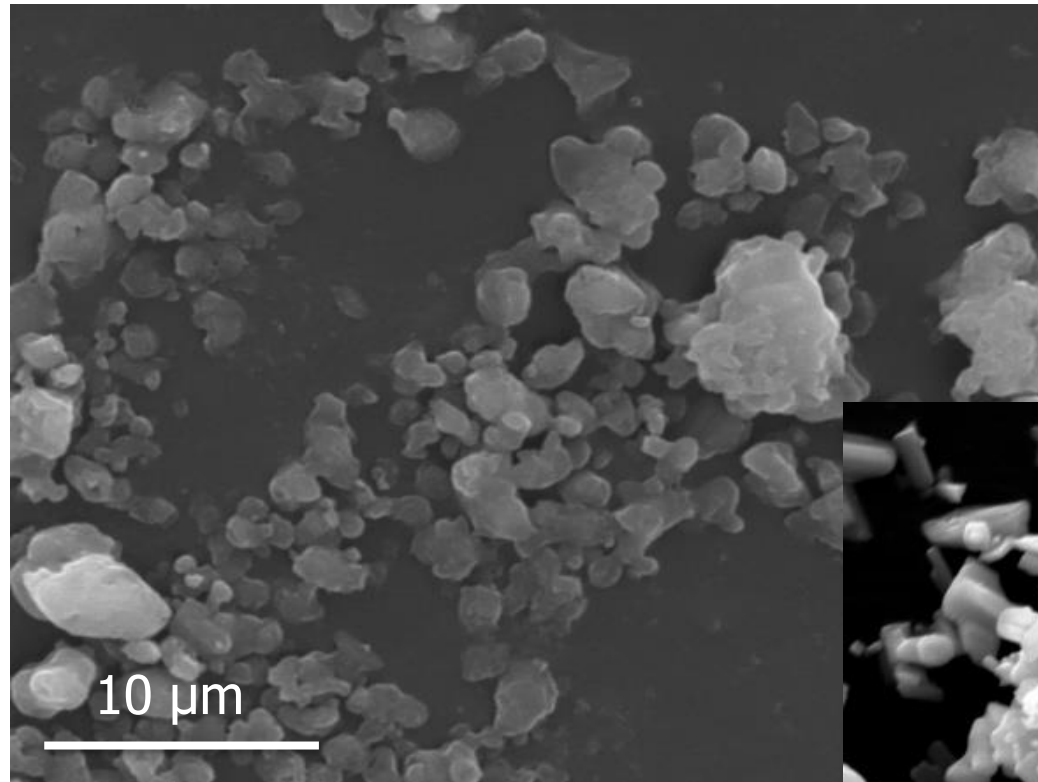
The diffracted light interfere either **constructively** (light regions) or **destructively** (dark regions).

Information is contained about the time scale of **movement** of the scatterers.

Autocorrelation of the intensity trace
→ diameter

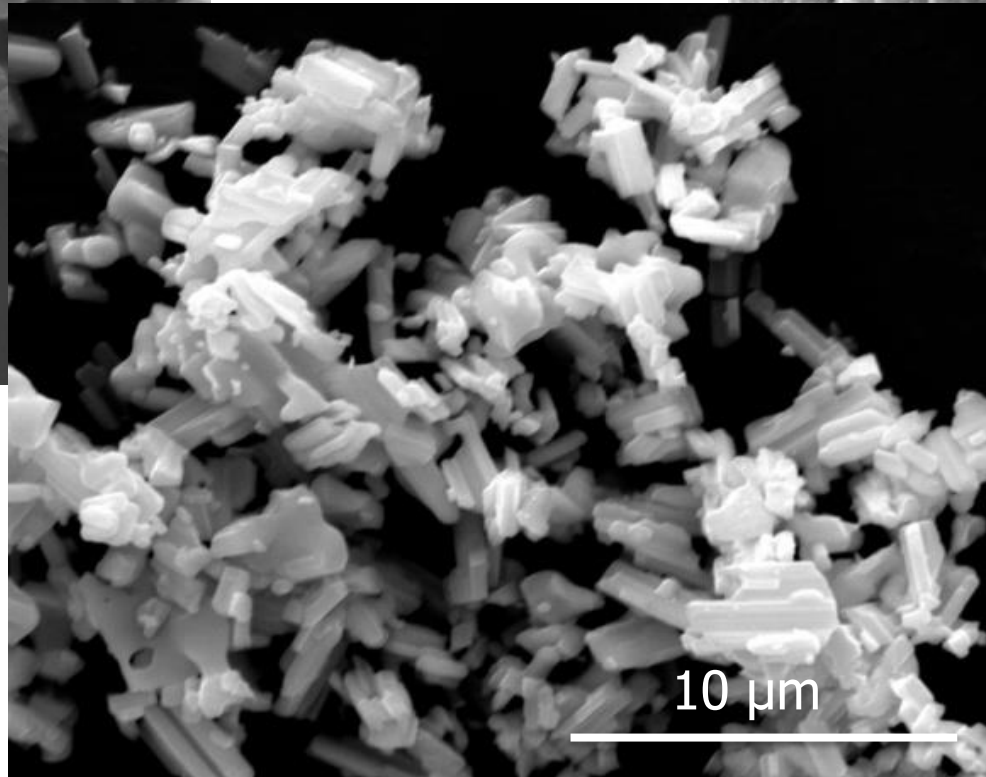


Scanning electron microscopy

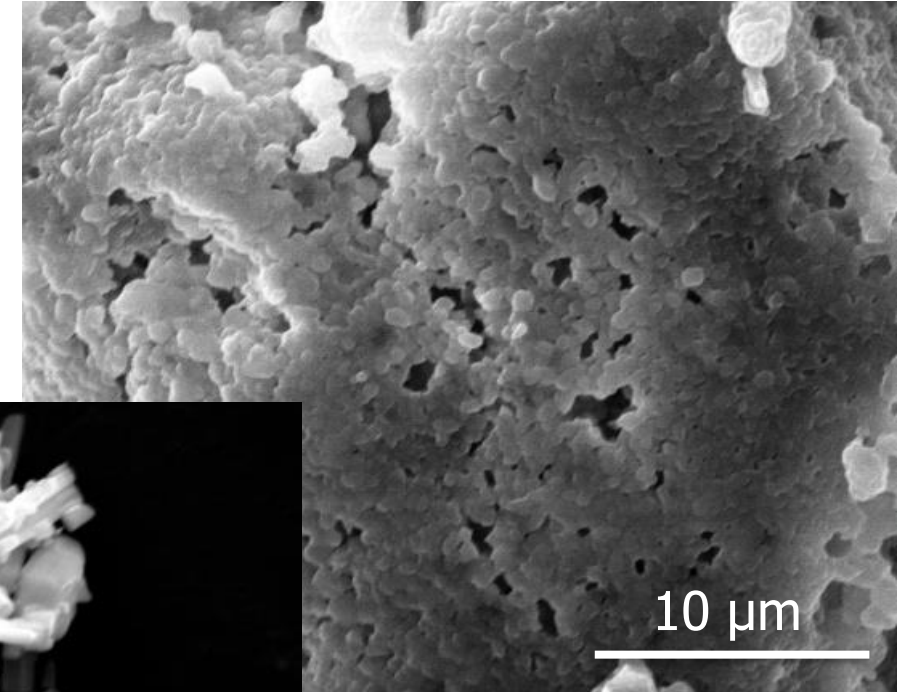


K_2CO_3

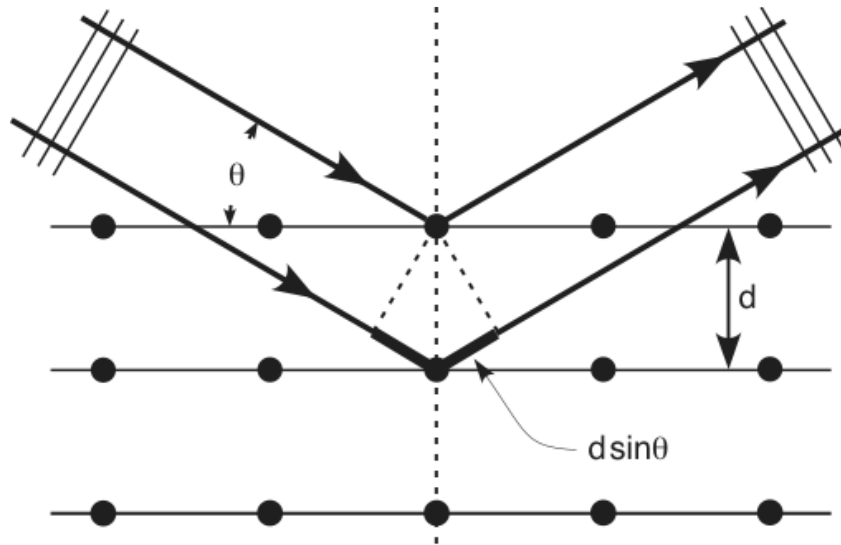
Nb_2O_5



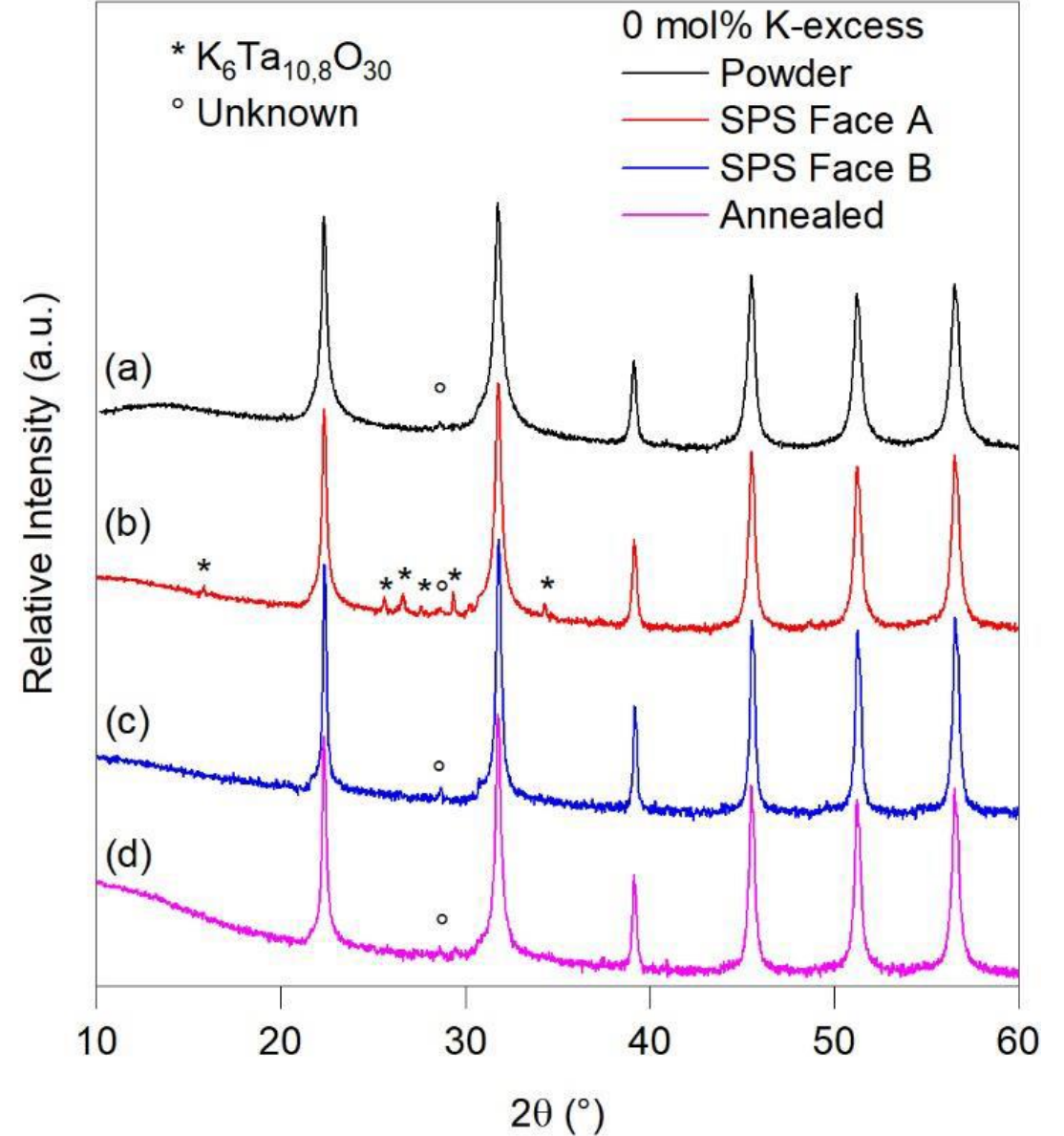
Na_2CO_3



X-ray diffraction



Bragg's law: $\lambda = 2d \sin \theta$



Process to obtain a ceramic

selection and storage
of raw materials

↓
grinding
↓

calcination



tungsten carbide



chemical synthesis

grinding

↓
shaping
↓

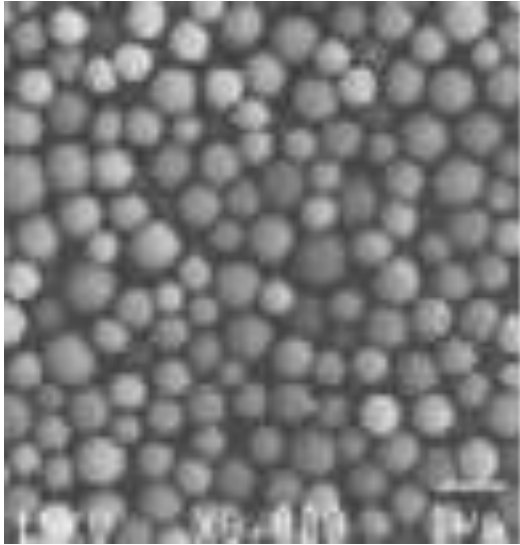
sintering
↓

polishing

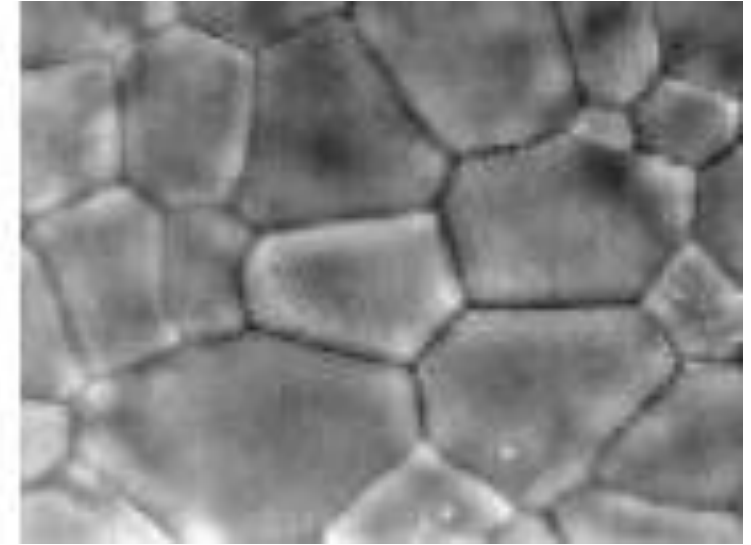
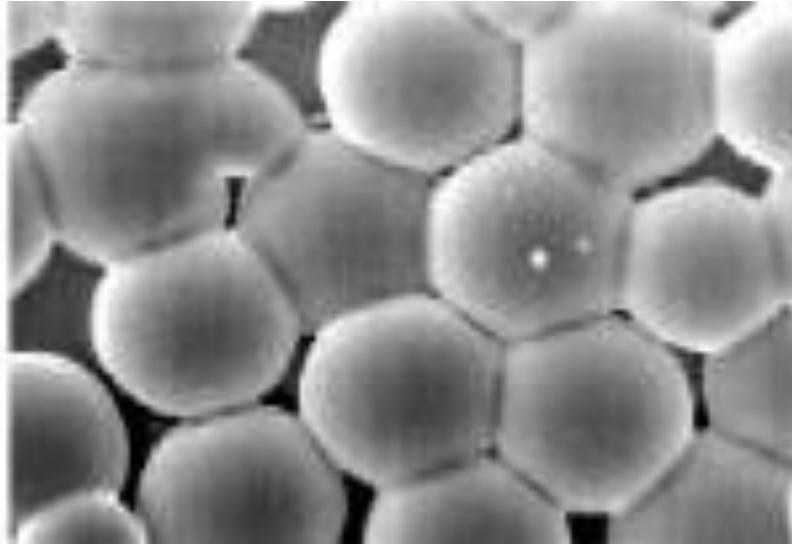


↑
synthesis
↓

↑
ceramic
↓



Powder material



Thermal cycle

Solid, dense, granular,
polycrystalline material
= a ceramic!

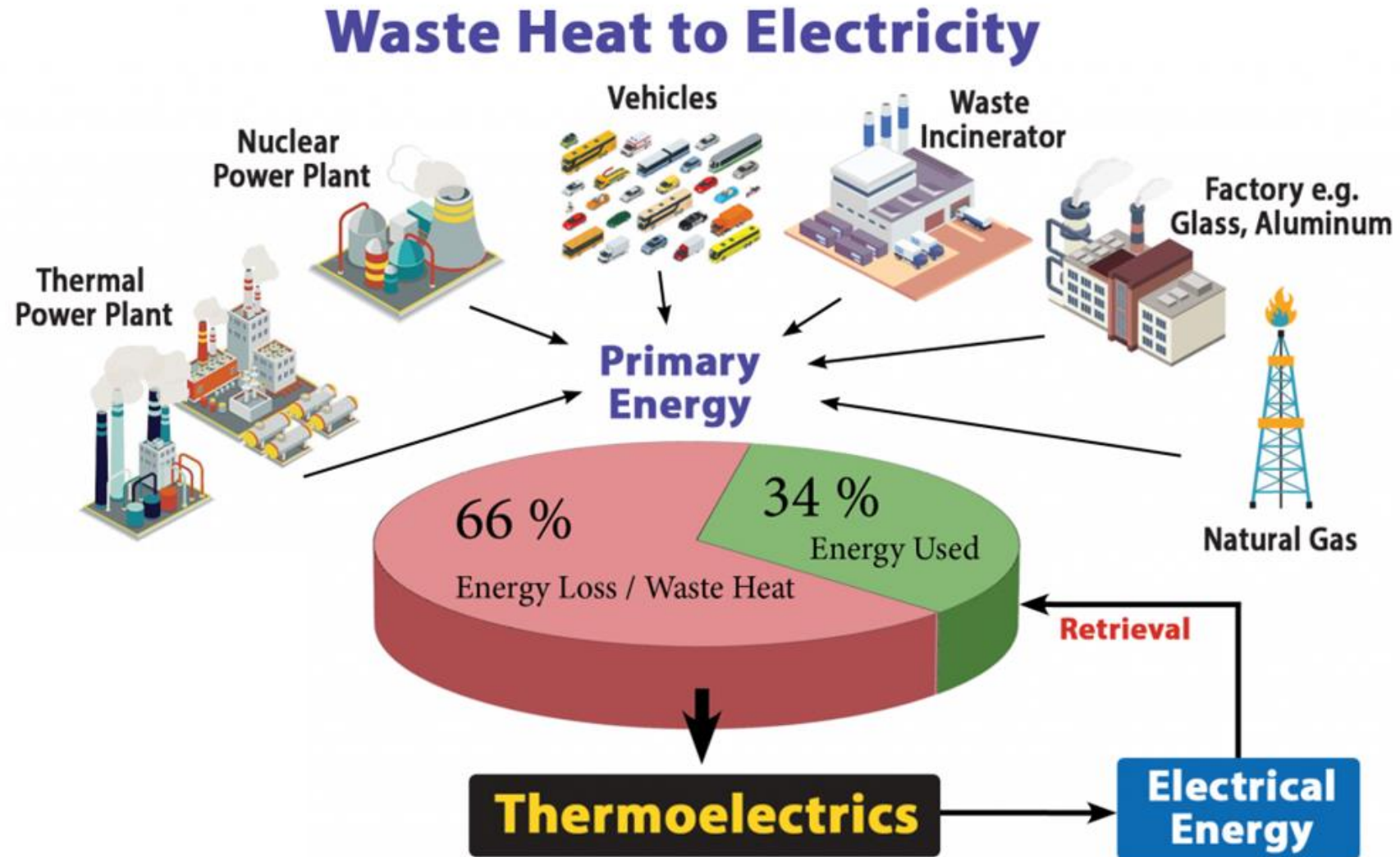
To obtain “good” ceramics, you need first “good” precursors

“good” ceramics = relevant **properties**

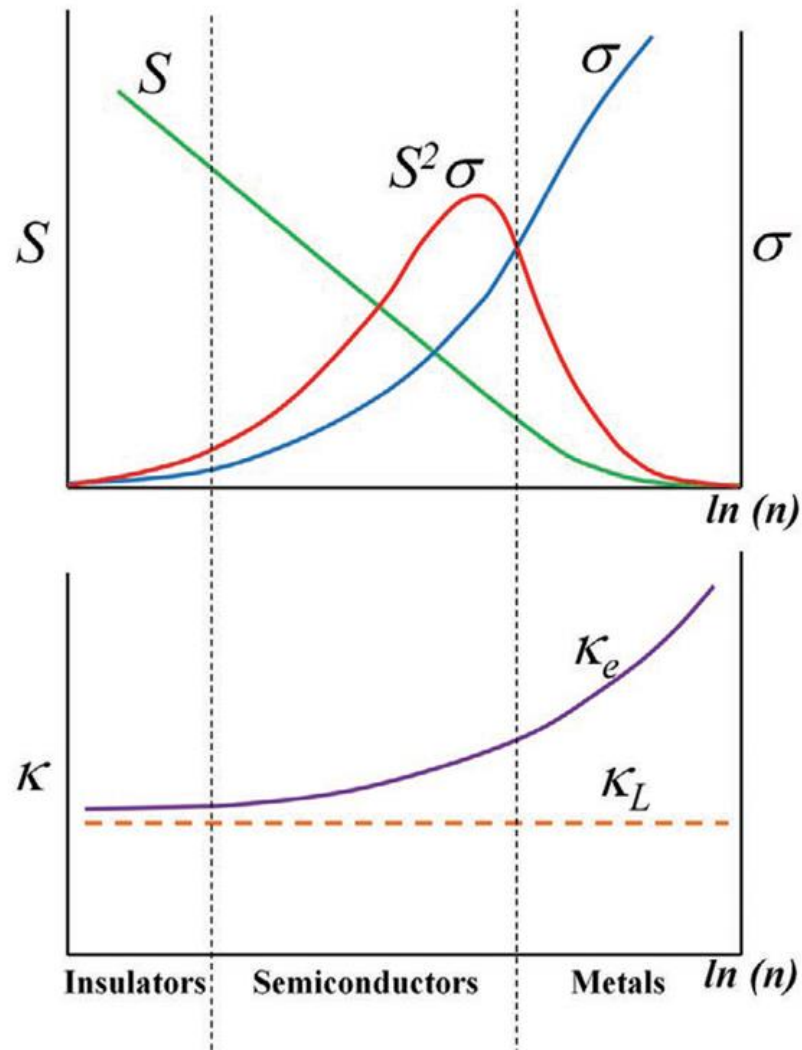
“good” precursors = known **size, shape and structure**

- Basics of ceramics
- **ZnO nanostructuring**
- Nanocracks
- ZnO nanowires
- Spontaneous nanostructuration

What can we do with waste heat?



Efficiency of a thermoelectric material



$$\eta = \frac{T_H - T_C}{T_H} \frac{\sqrt{1 + ZT} - 1}{\sqrt{1 + ZT} + \frac{T_C}{T_H}}$$

Temperature difference
Dimensionless Figure of Merit

$$ZT = T \frac{S^2}{\rho \kappa} = T \frac{S^2 \sigma}{\kappa}$$

High Seebeck coefficient

High electrical conductivity

Low thermal conductivity

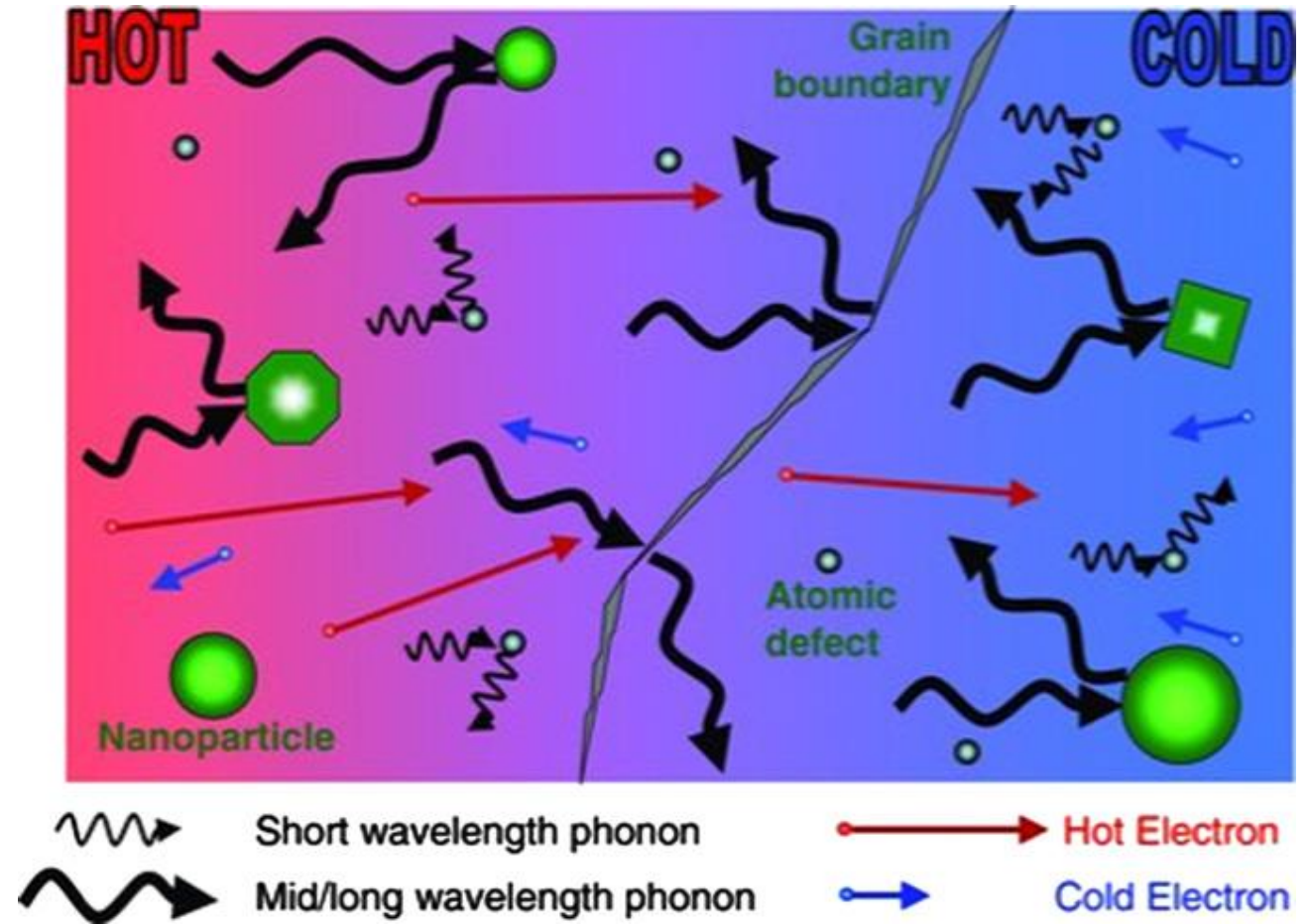
Phonon scattering in thermoelectrics

short wavelength phonons

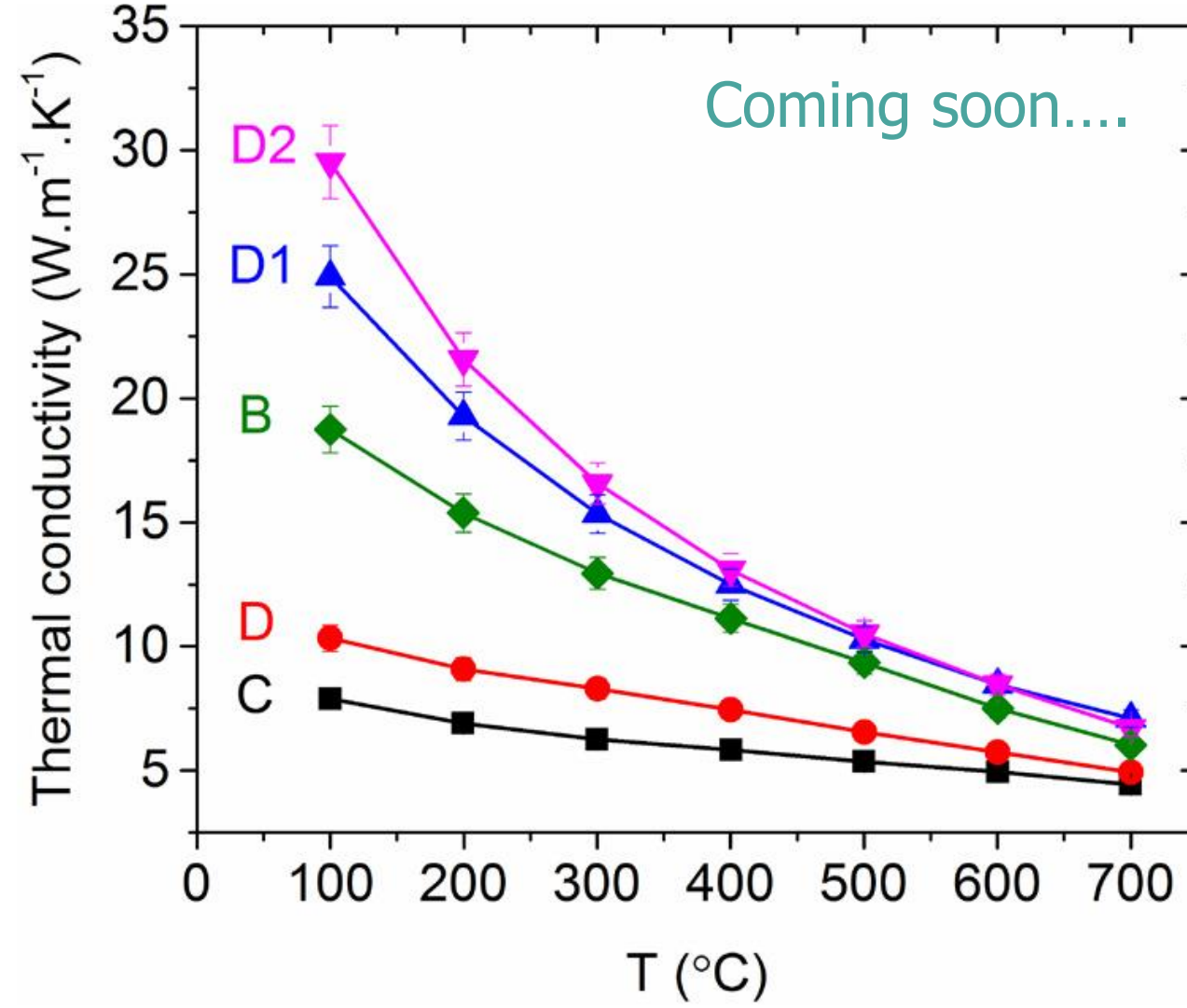
→ atomic defects

mid- and long-wavelength phonons

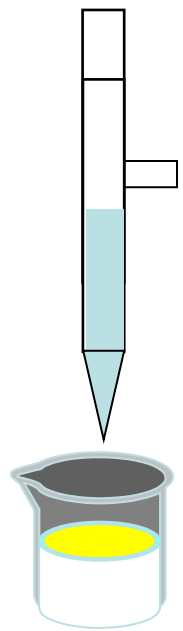
→ nanoparticles, grain boundaries



ZnO: thermal conductivity



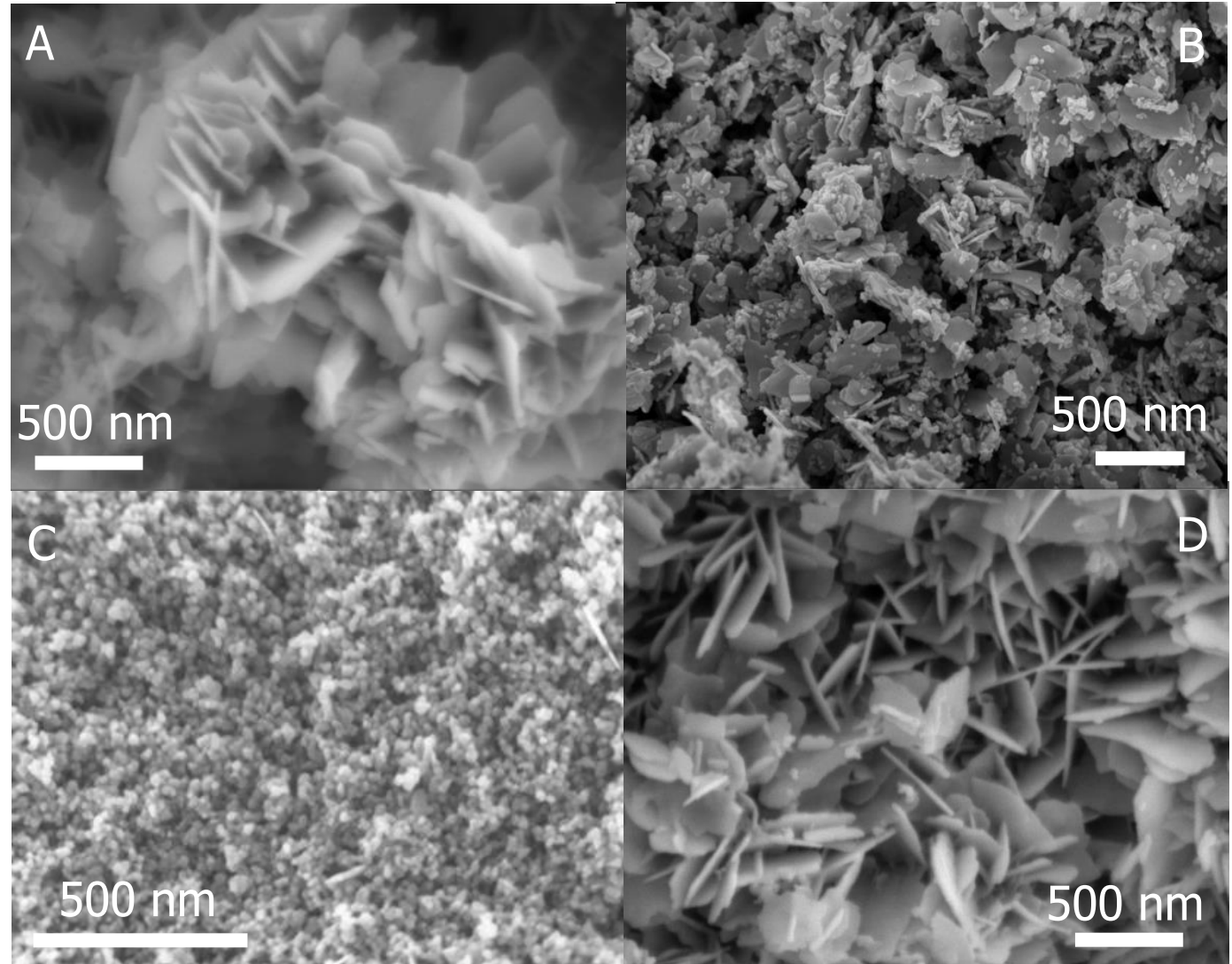
ZnO: controlled precipitation in aqueous solution



125 mL
4 M NaOH

100 mL
1 M $\text{Zn}(\text{NO}_3)_2 \cdot 6\text{H}_2\text{O}$
(+ 2% AlCl_3)

Dropwise addition, stirring, 20°C
Centrifugation (4000 rpm - 5 min)
Washing 4 times



ZnO: different starting morphologies

A Pure ZnO, 20°C

→ sand rose morphology

B Al-doped ZnO, 20°C

→ platelets and nanoparticles

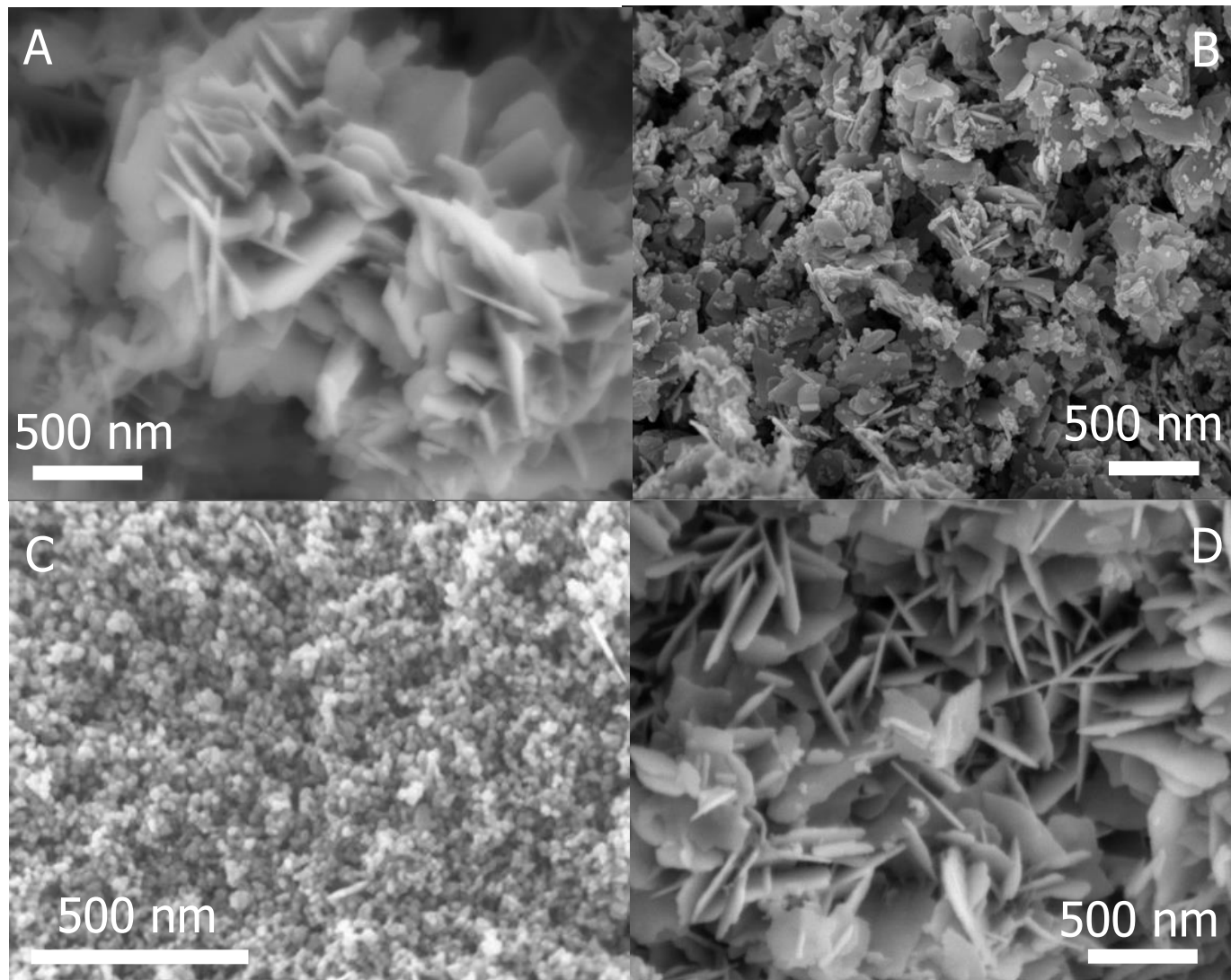
C Al-doped ZnO, 60°C

→ isotropic nanoparticles

D Al-doped ZnO, 20°C

(90% water + 10% ethanol)

→ sand rose morphology



ZnO: different starting morphologies

A Pure ZnO, 20°C

→ sand rose morphology

B Al-doped ZnO, 20°C

→ platelets and nanoparticles

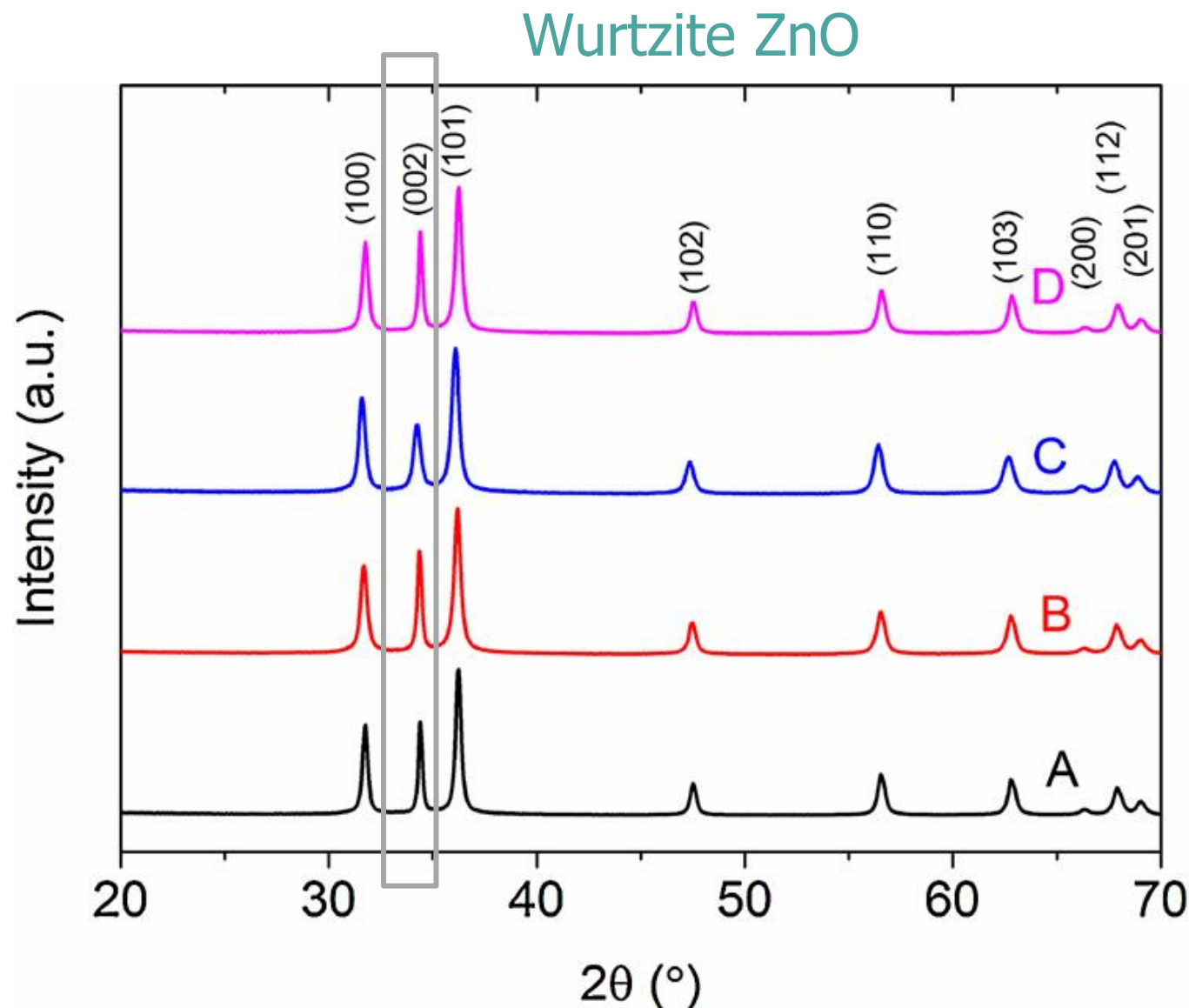
C Al-doped ZnO, 60°C

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(90% water + 10% ethanol)

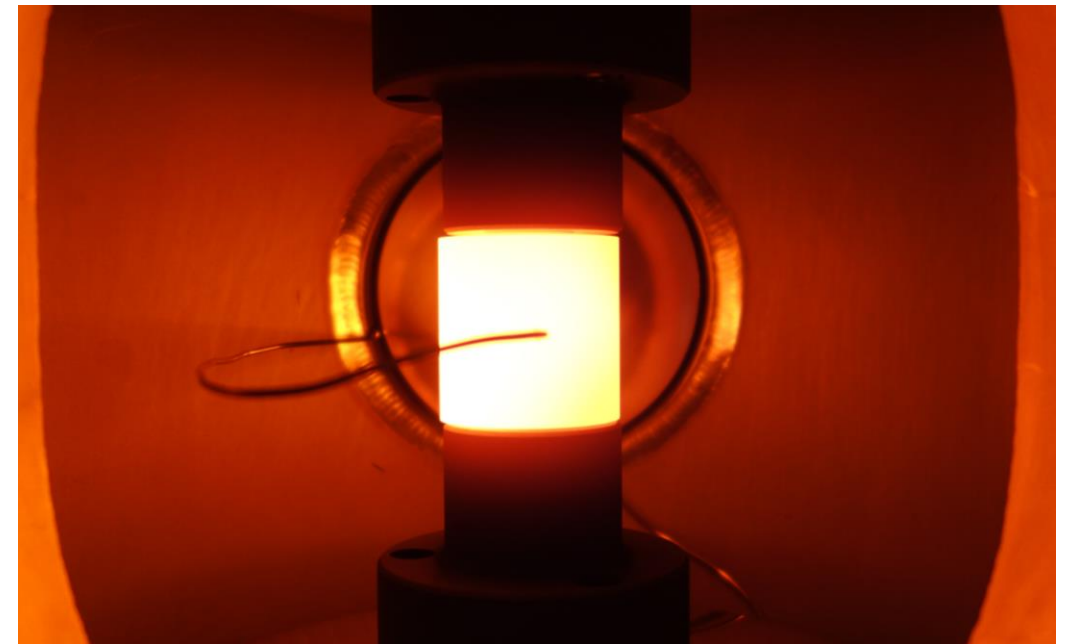
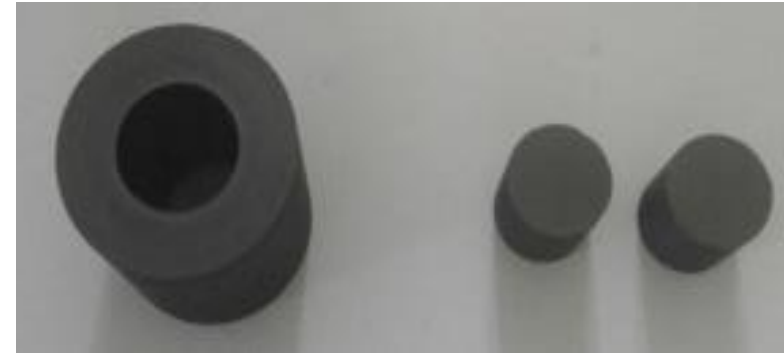
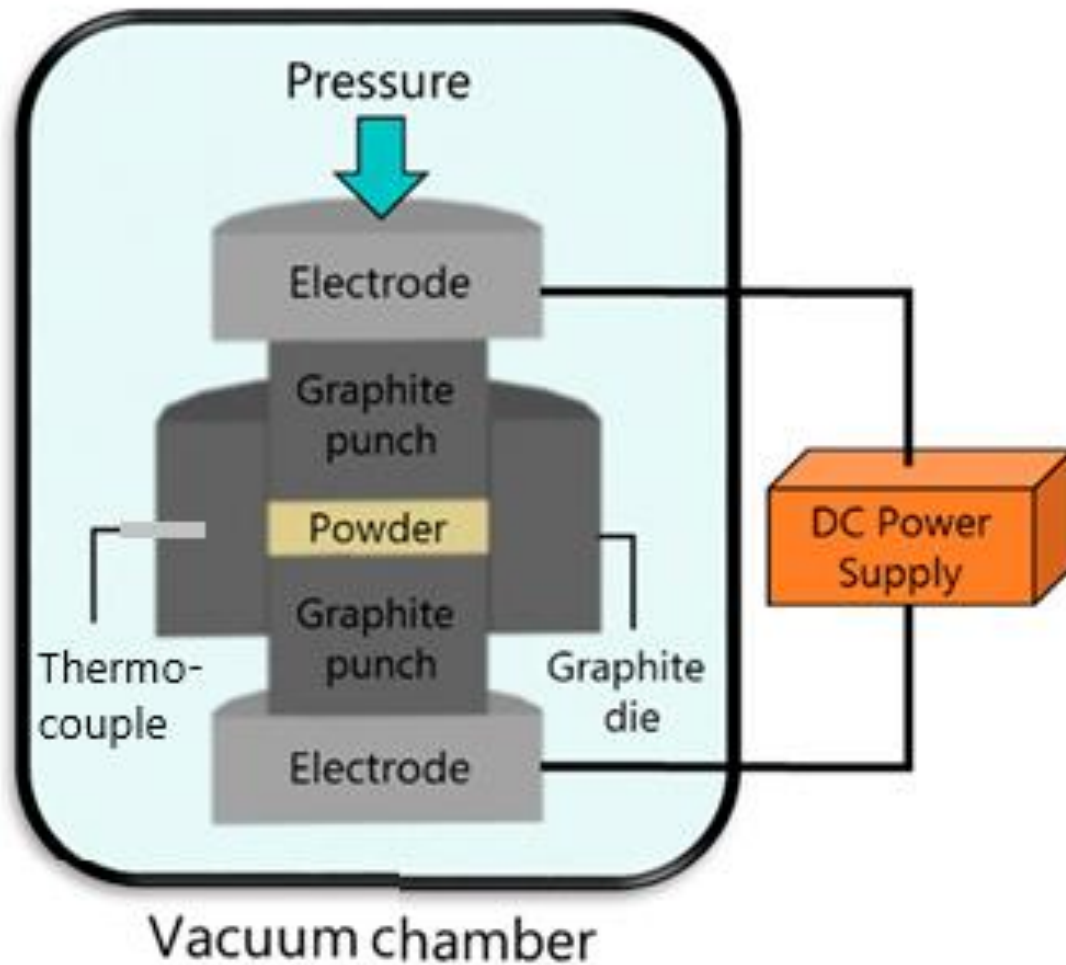
→ sand rose morphology



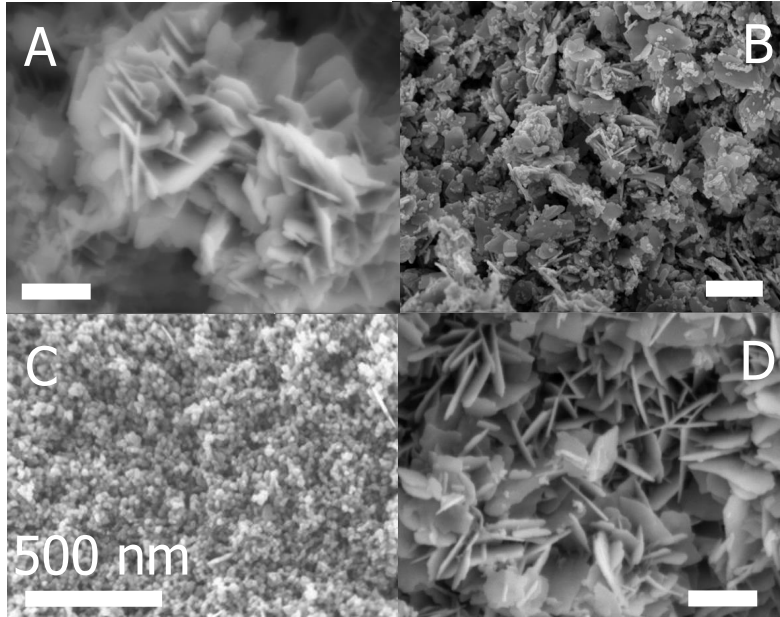
Spark plasma sintering

Advantages: fast, limited grain growth, limited evaporation, high densities

Drawbacks: carbon contamination, reducing environment, sintering process unclear



ZnO: after spark plasma sintering



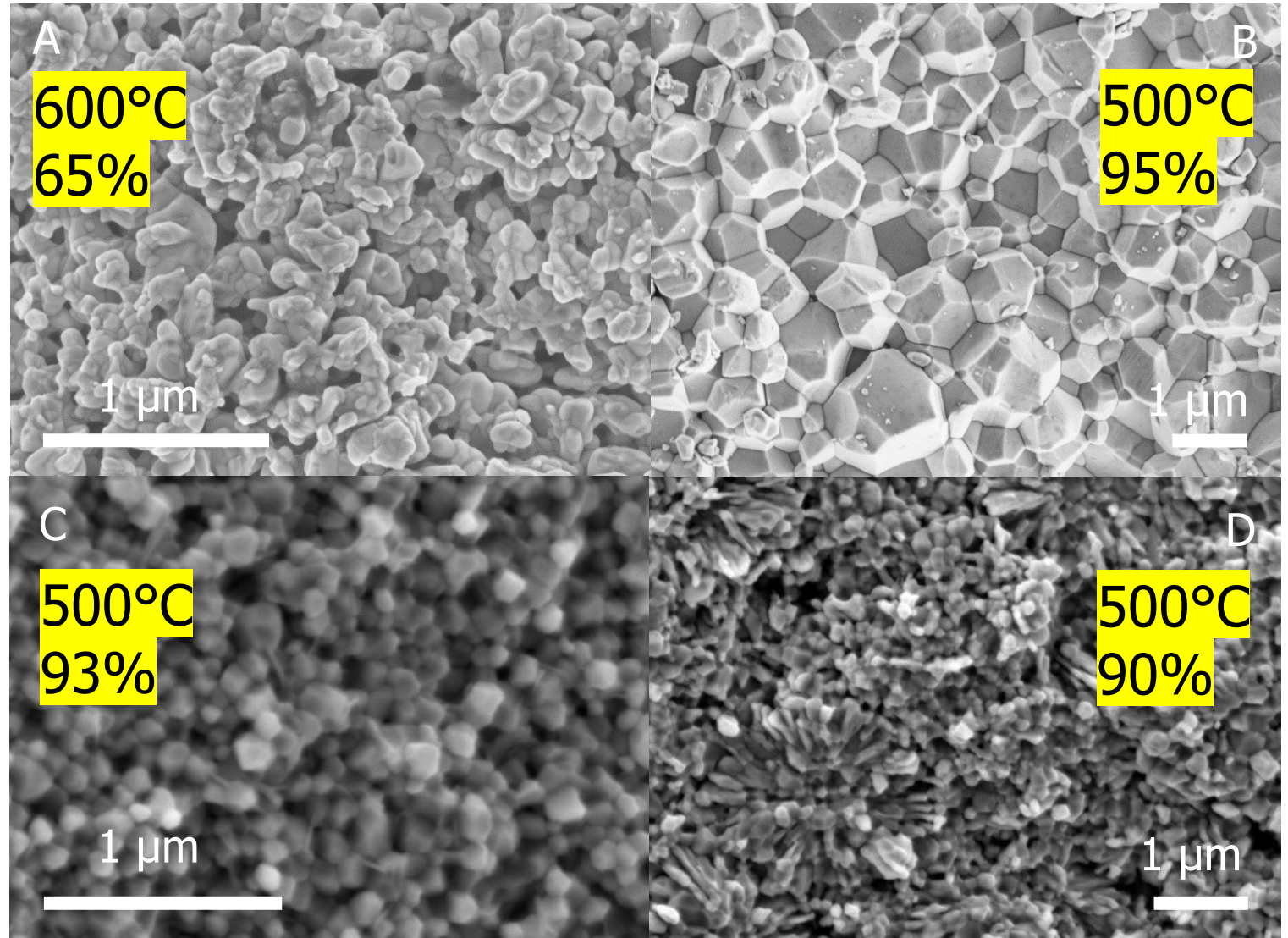
100 Mpa, 100 K min⁻¹, 5 min

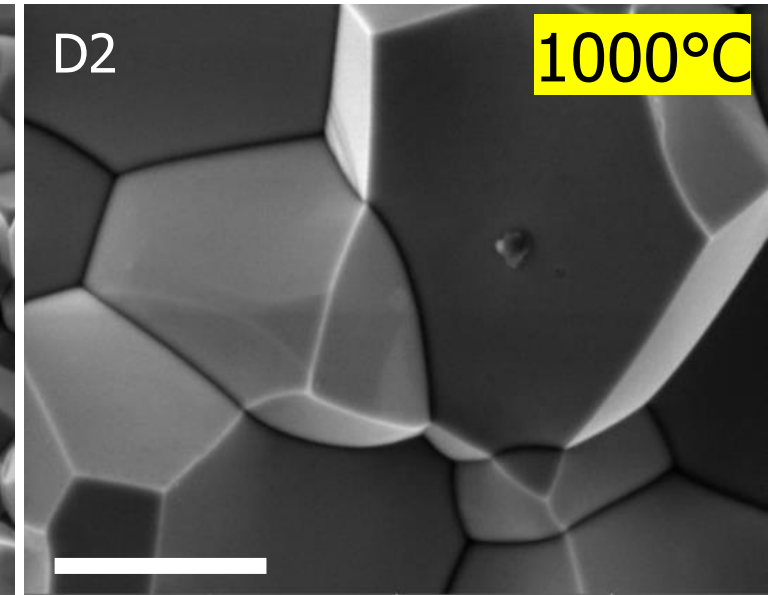
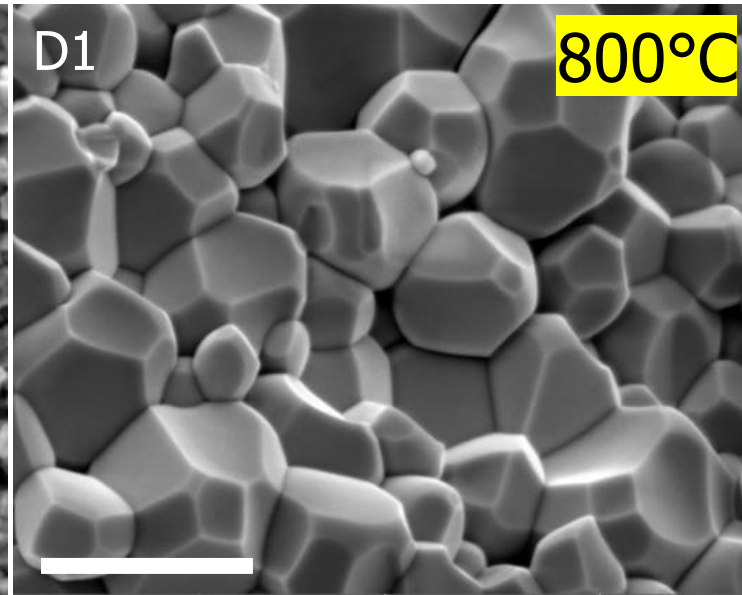
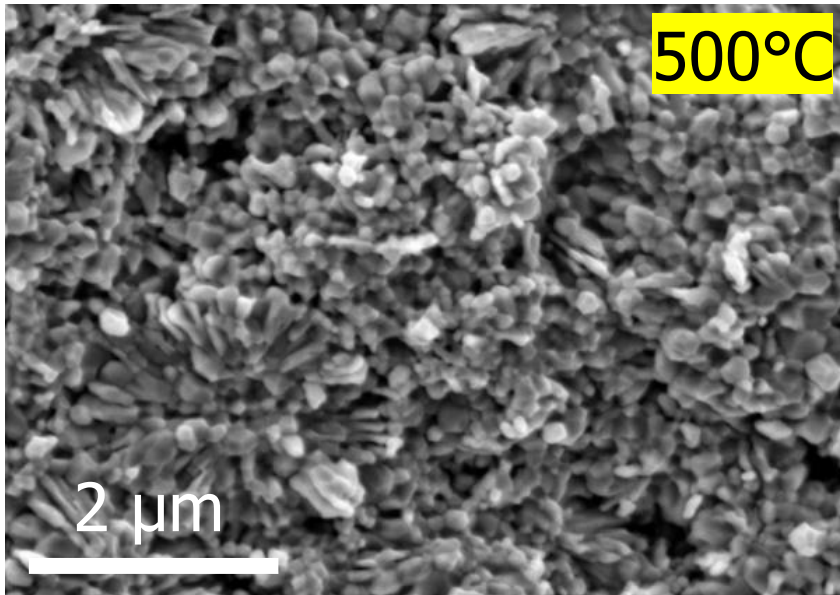
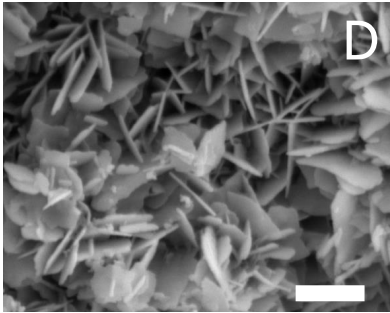
A porous

B micron-size grains

C 100 nm grains

D isotropic grains (150 nm)
& anisotropic grains (500 nm)

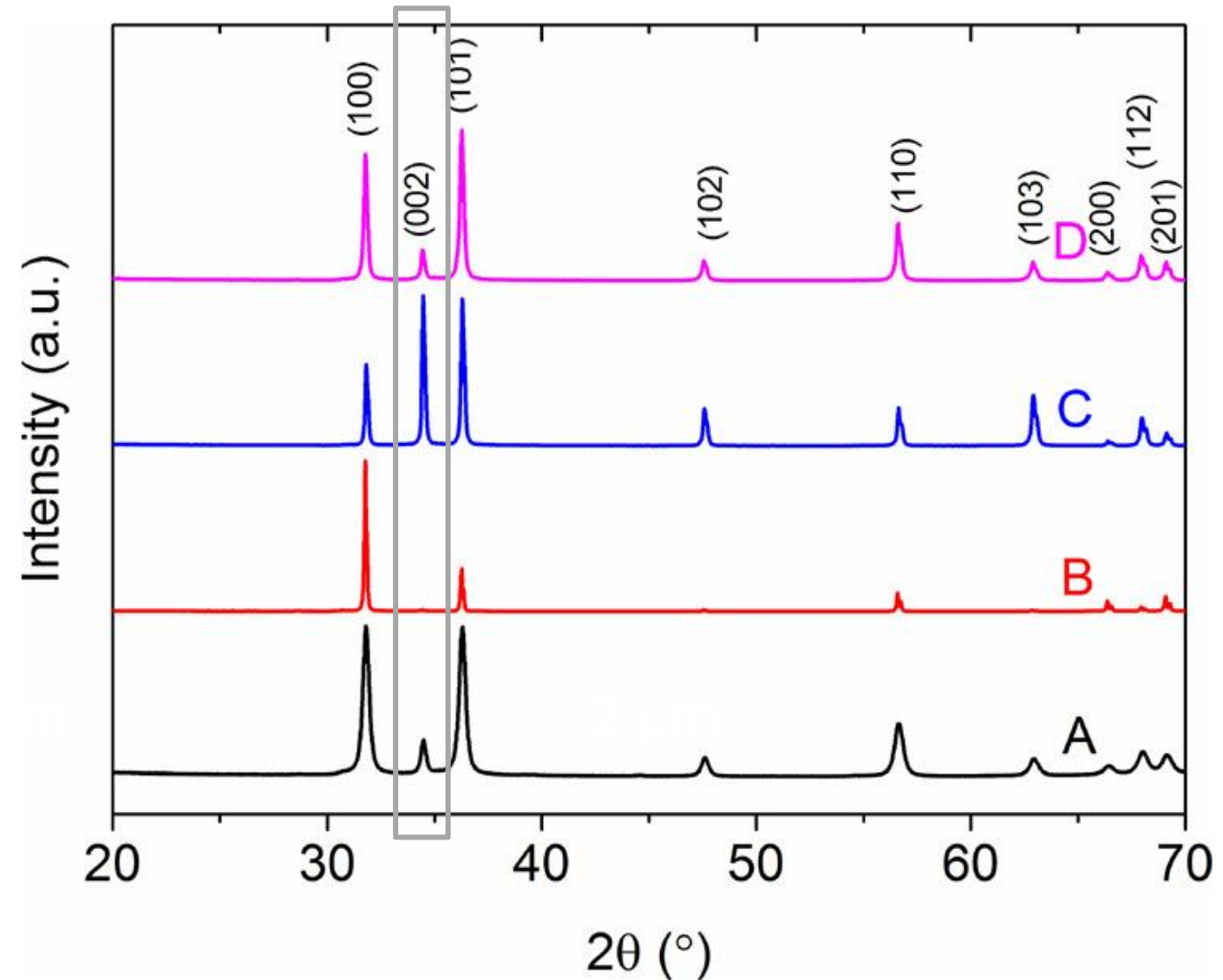
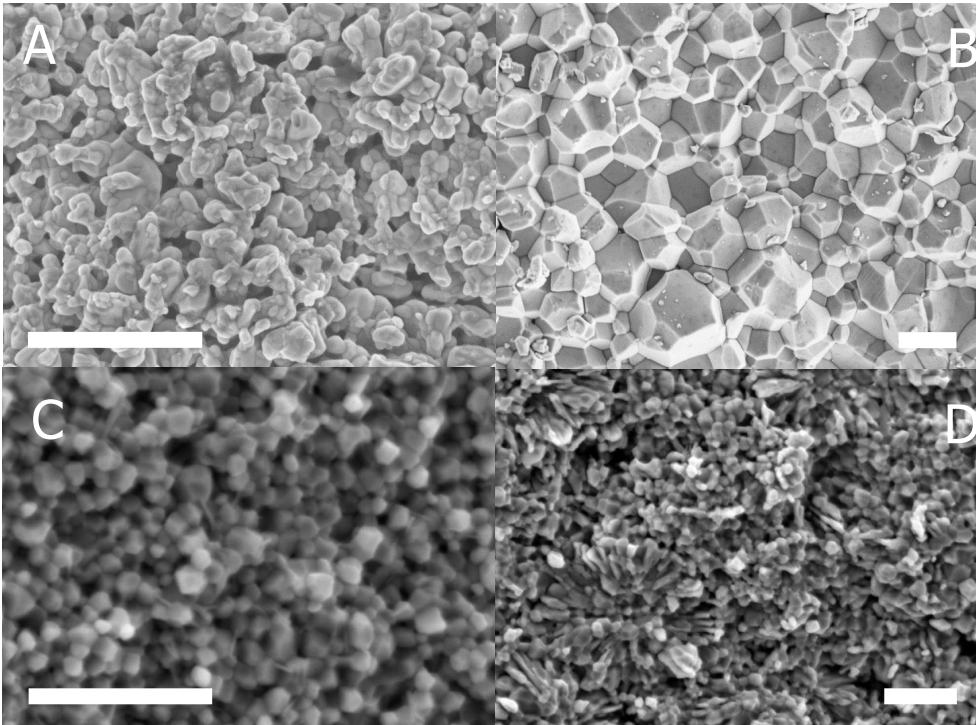


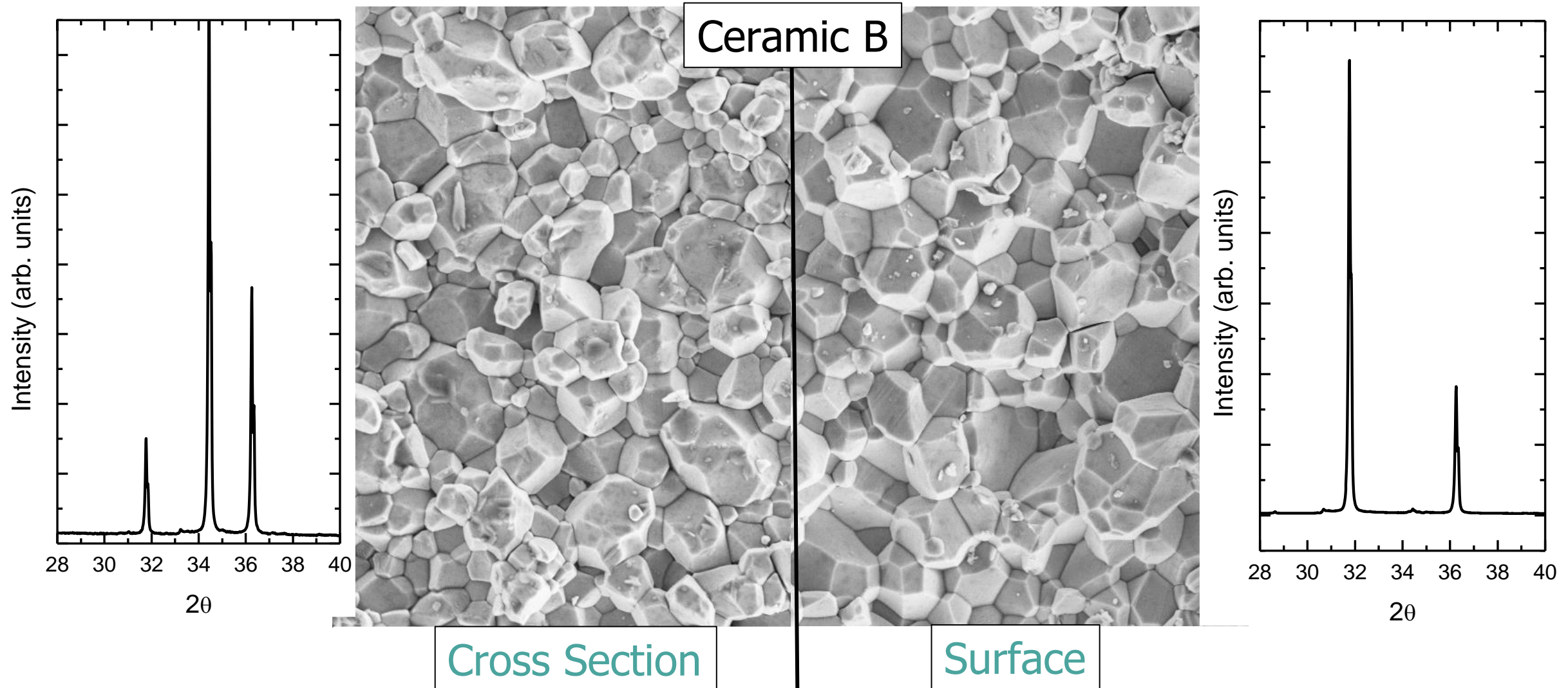


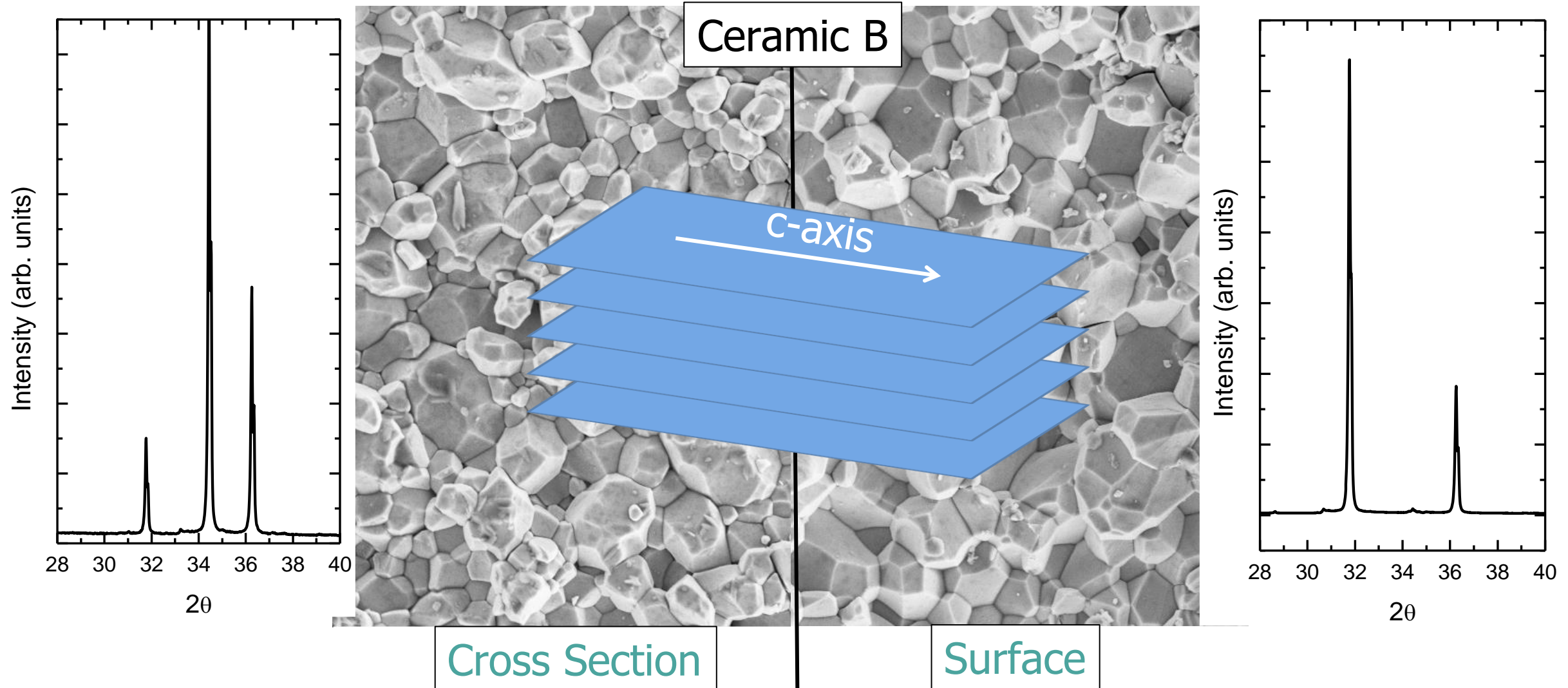
Higher sintering temperature → grain growth

Powders

- A sand rose morphology
- B platelets and nanoparticles
- C isotropic nanoparticles
- D sand rose morphology

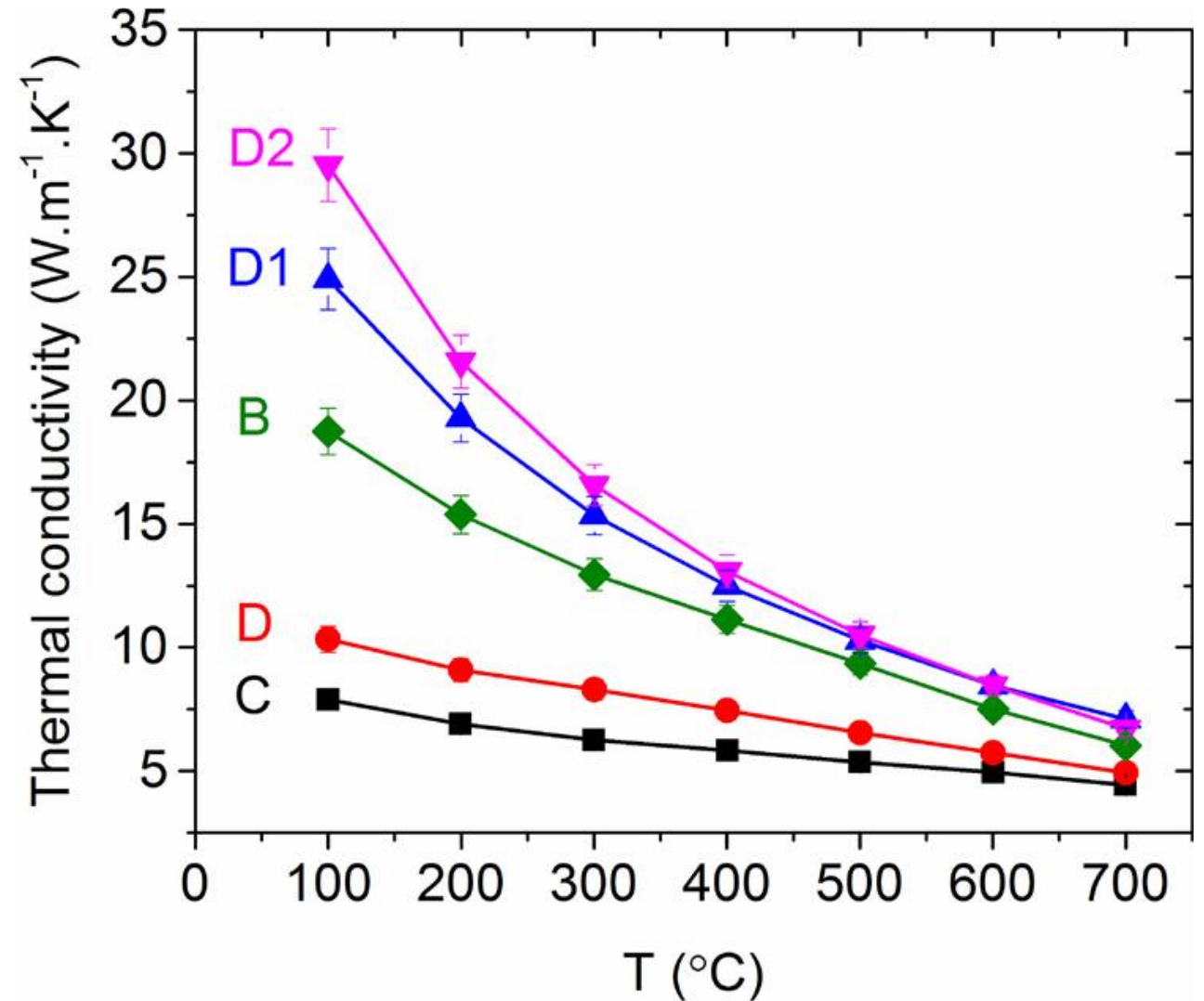


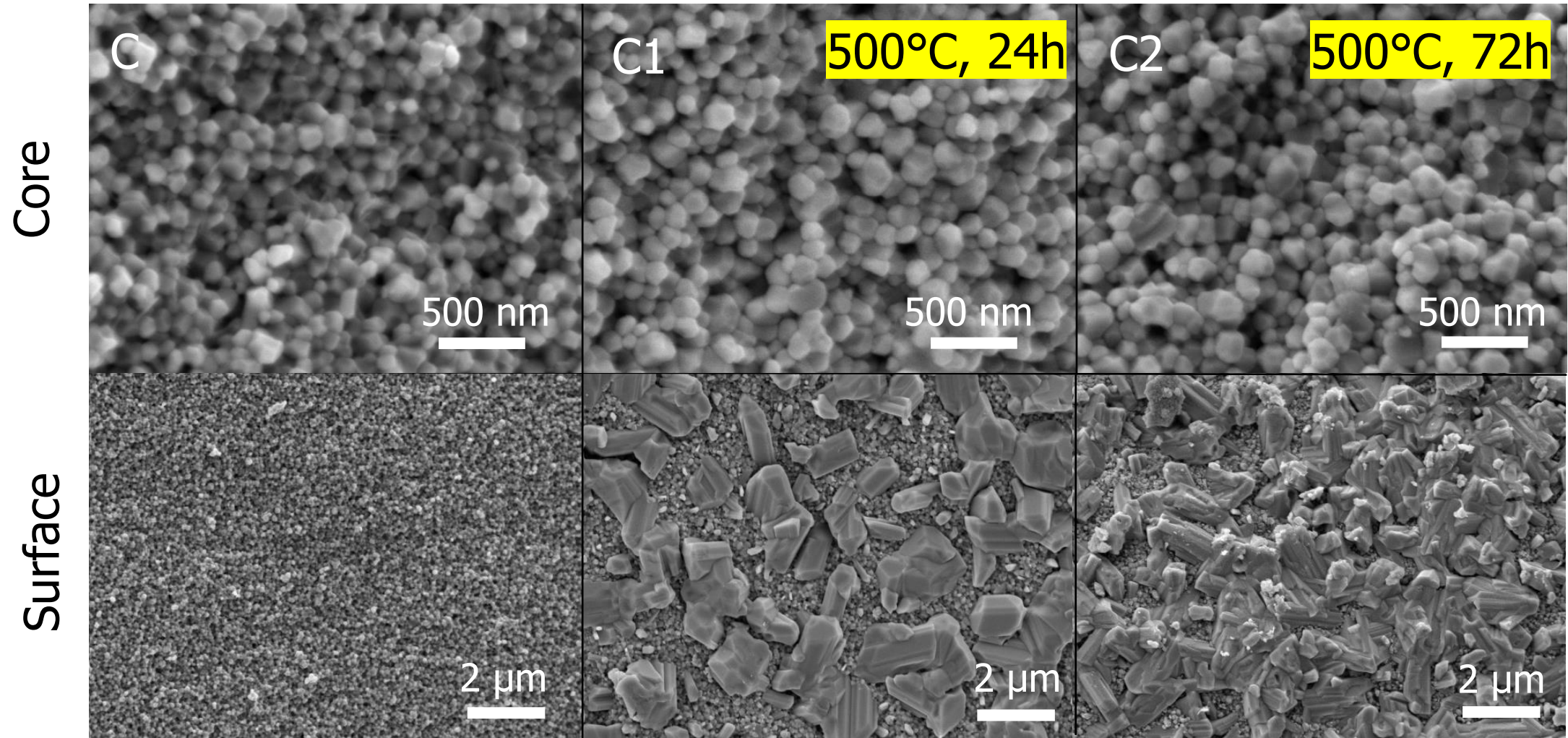




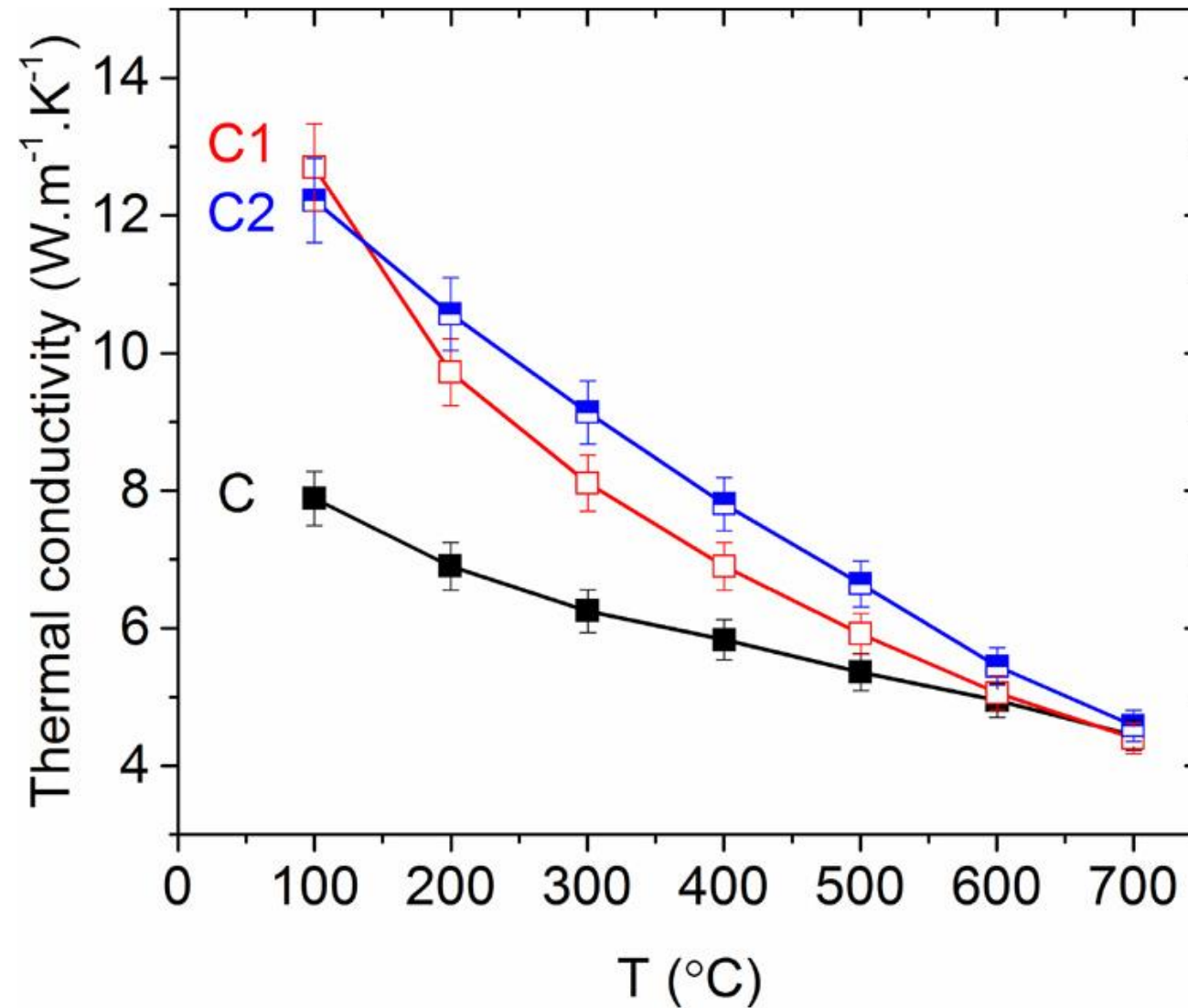
Sample	Average grain size (nm)
D2	5000
D1	1100
B	700
D	150/400-700
C	110

The thermal conductivity decreases with decreasing grain size





ZnO: thermal conductivity

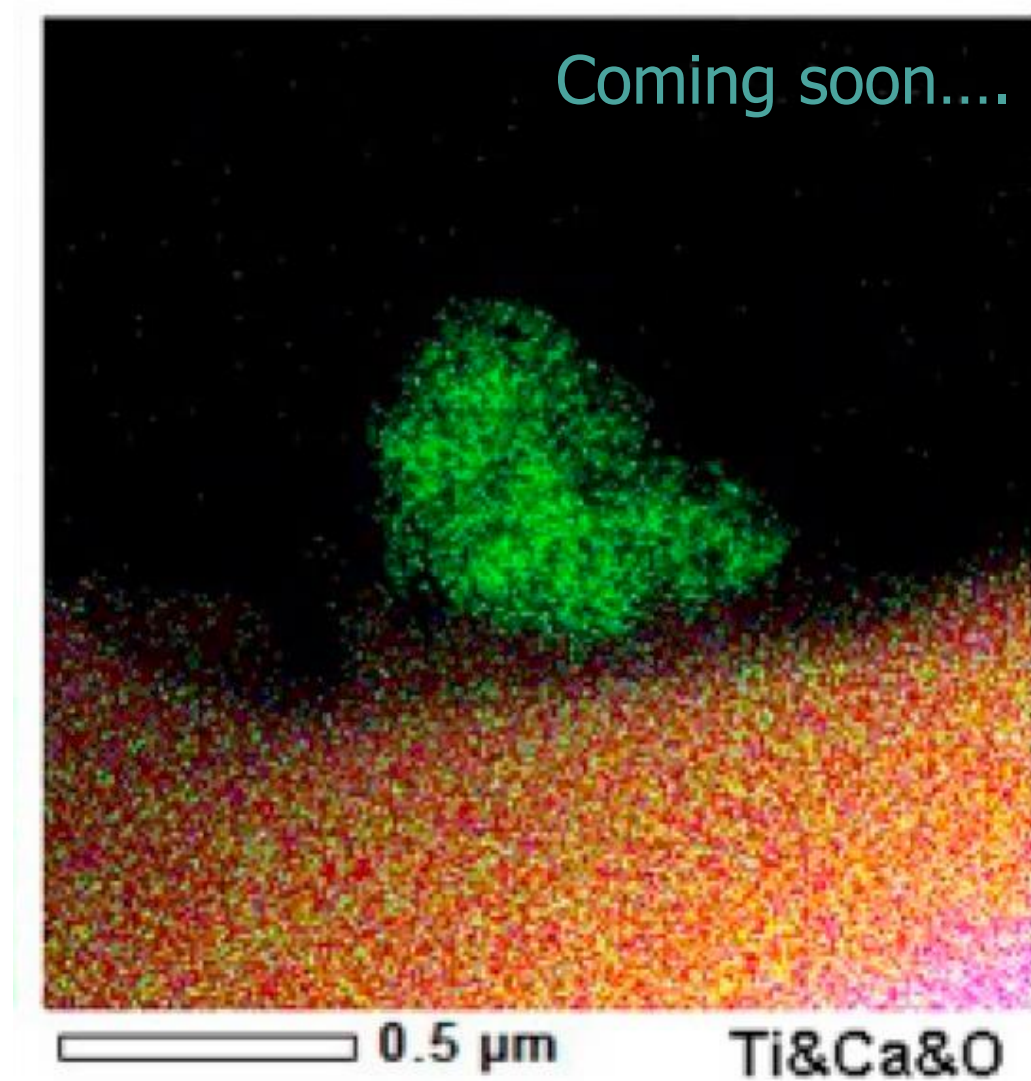


The size of the grains in ceramics depends on the size and morphology of the particles in the precursors.

The thermal conductivity decreases with decreasing grain sizes.

- Basics of ceramics
- ZnO nanostructuring
- **Nanocracks**
- ZnO nanowires
- Spontaneous nanostructuration

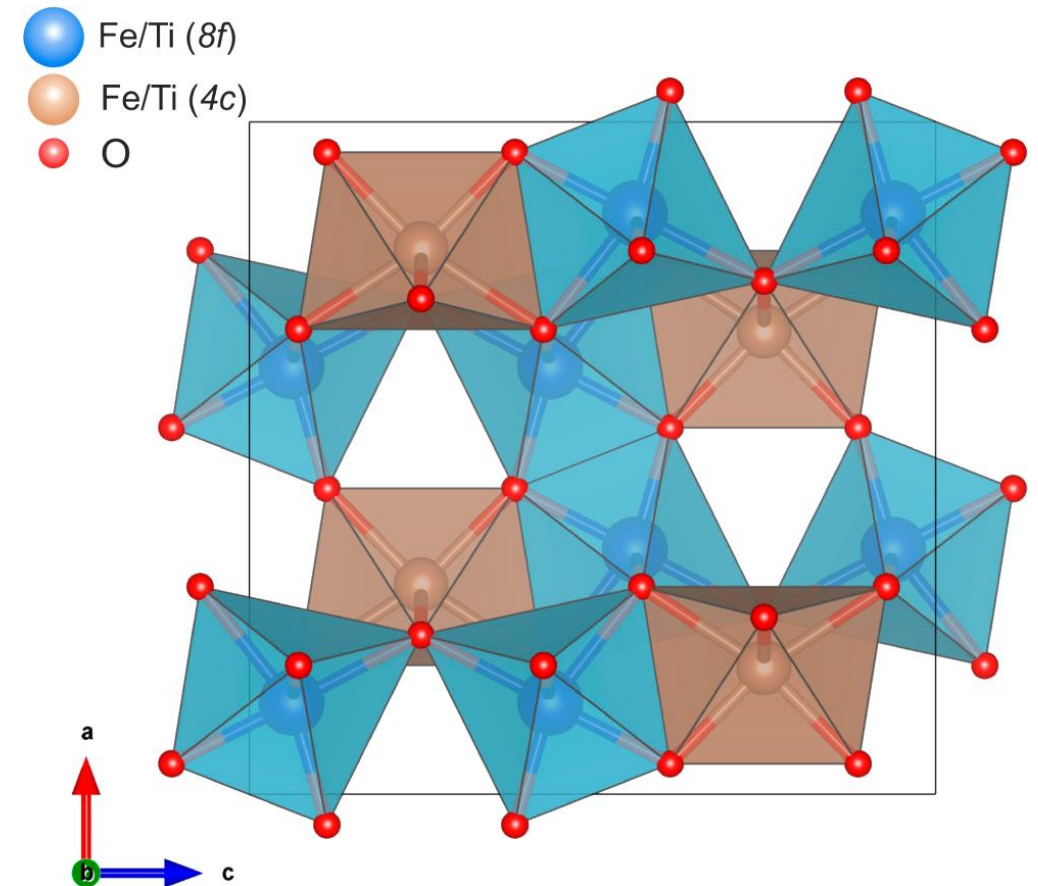
Thermal
conductivity



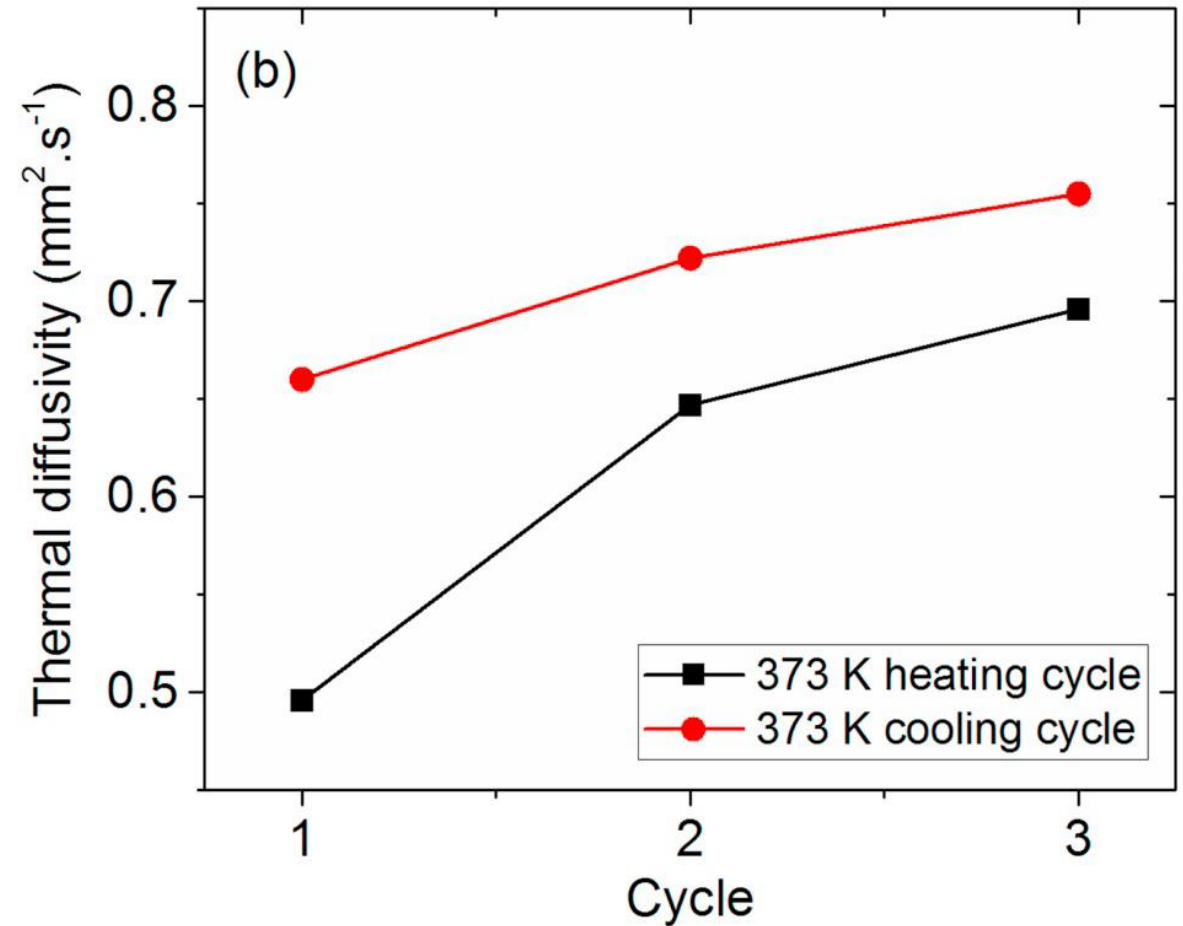
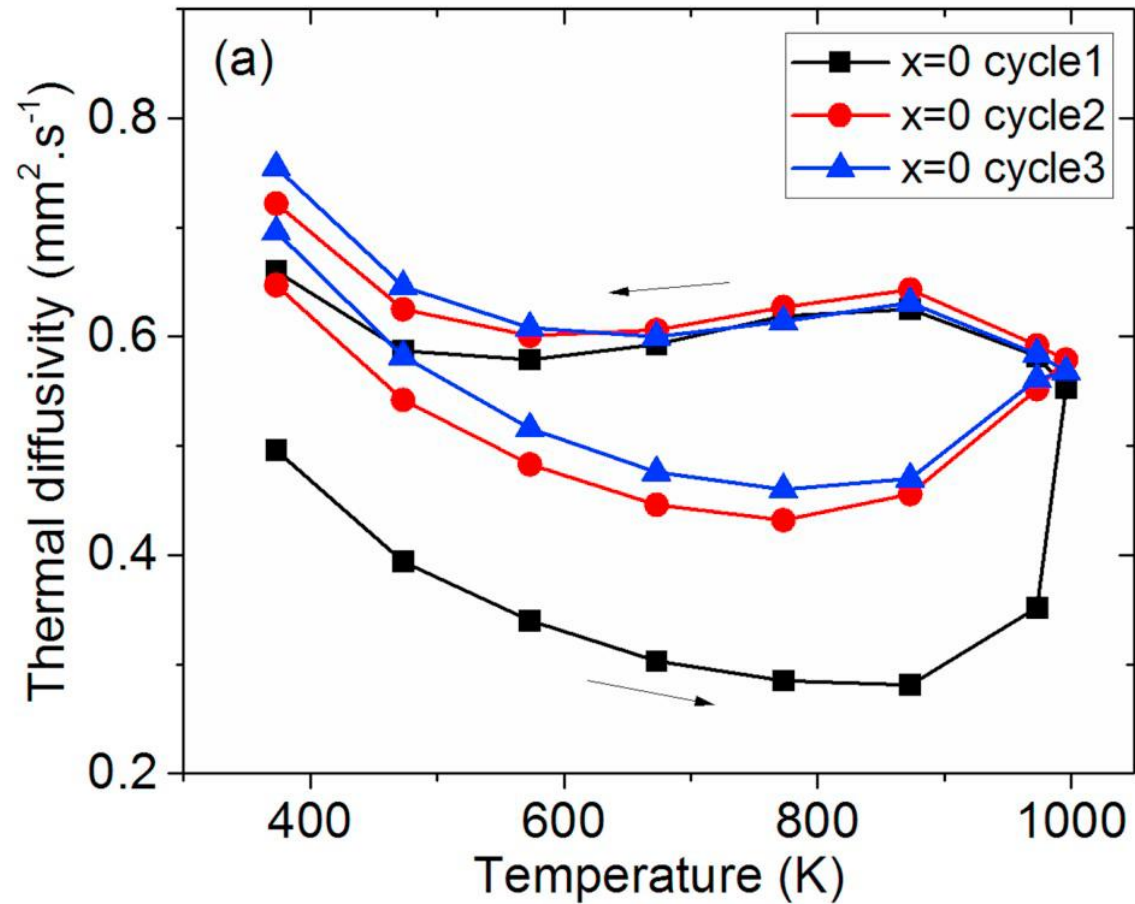


Orthorhombic (Bbmm space group)
Fe preferentially occupies 4c position
n-type semiconductor

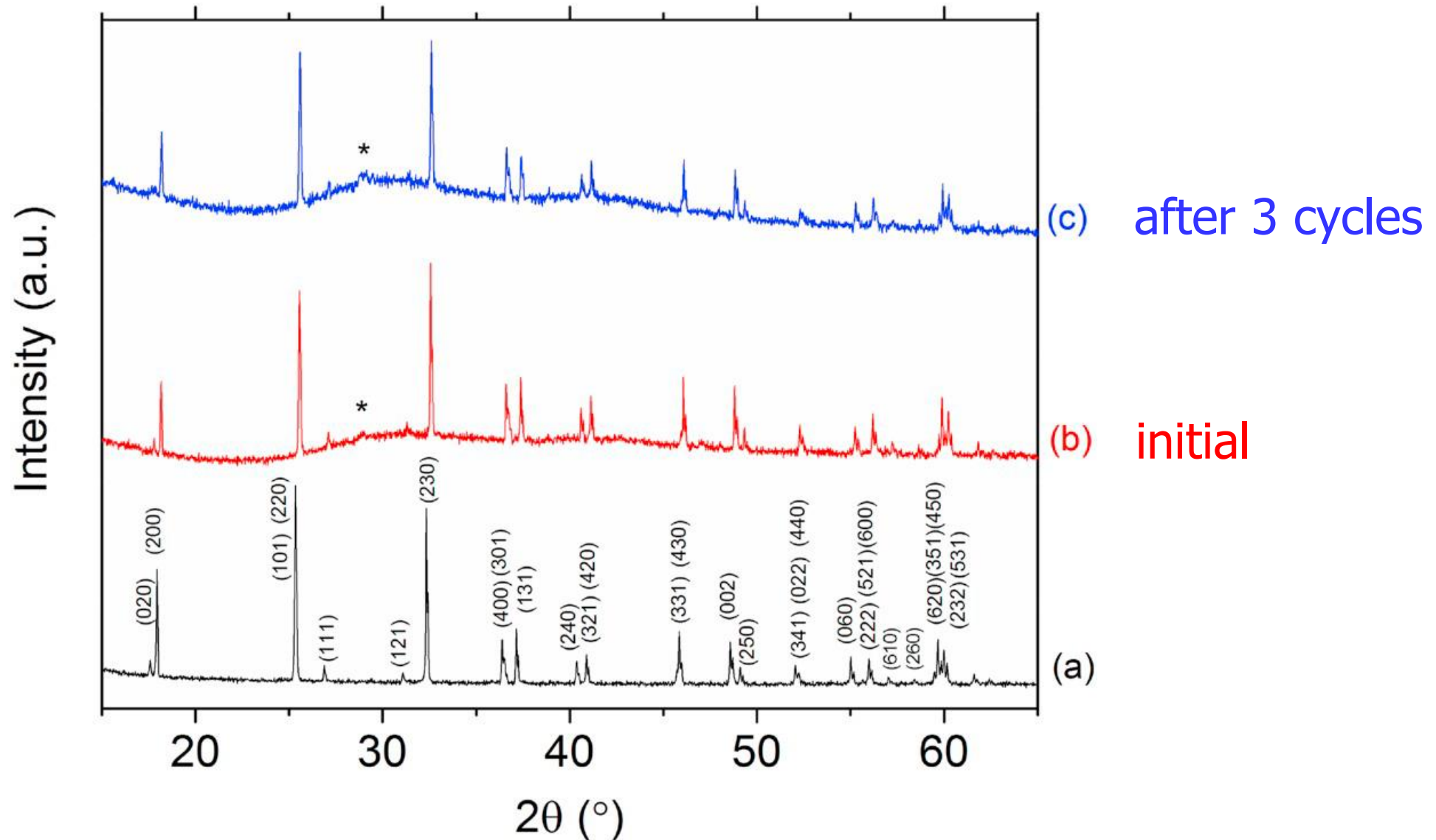
High values of Seebeck coefficients:
-100 to -320 $\mu\text{V K}^{-1}$ [286-1000 K]



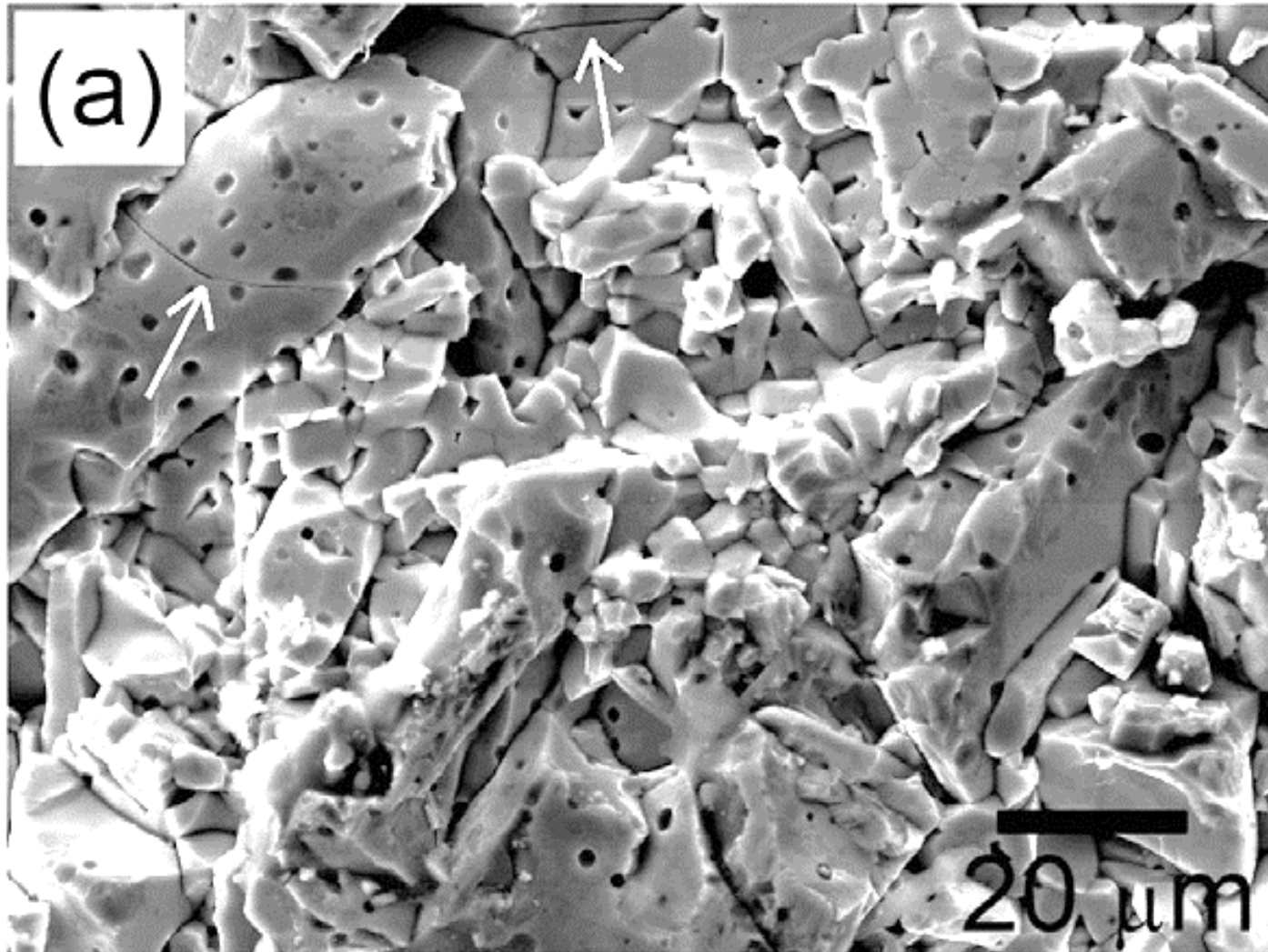
Thermal diffusivity upon cycling



X-ray diffraction after cycling



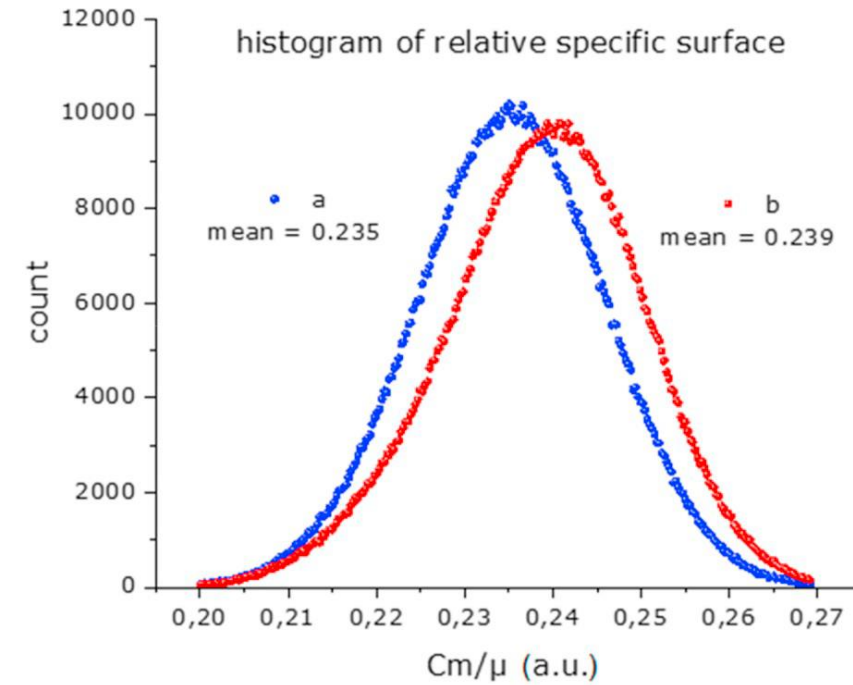
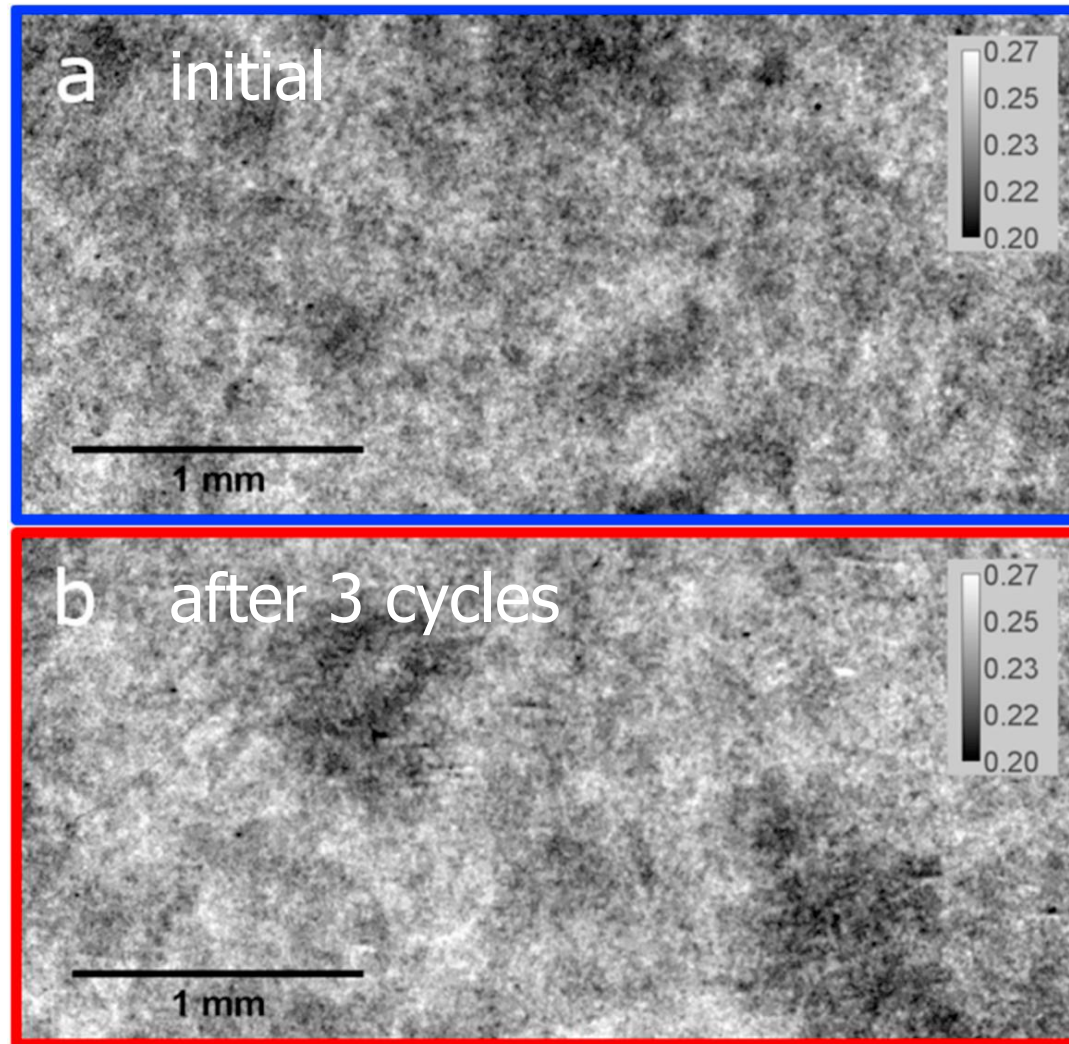
Thermal diffusivity: influence of cracks



High degree of anisotropy in thermal expansion → formation of microcracks during cooling

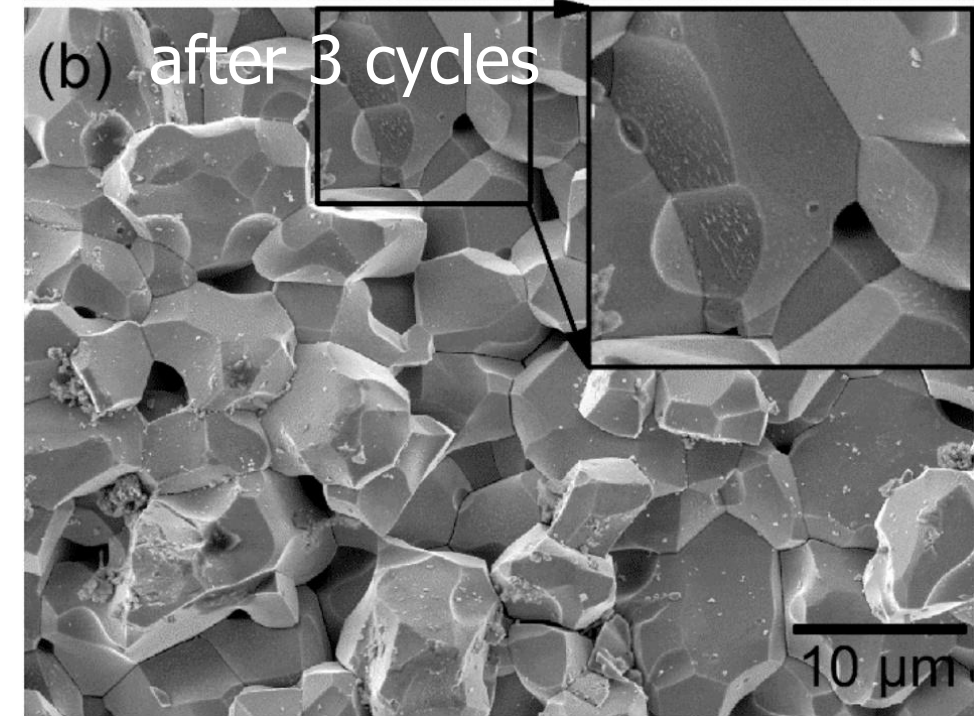
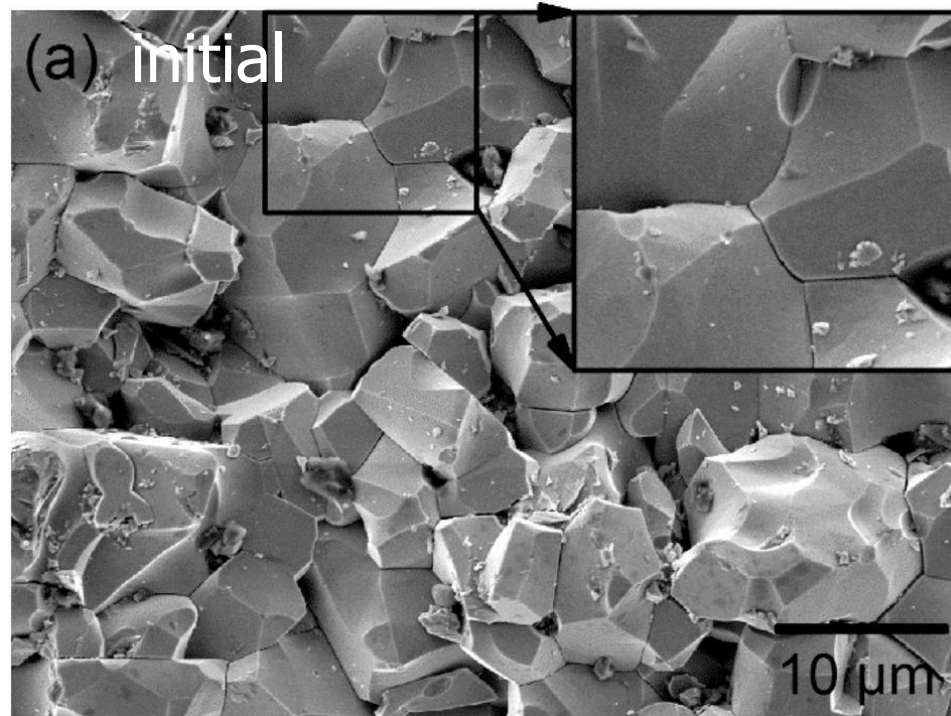
X-ray refraction radiographs

Relative specific surface



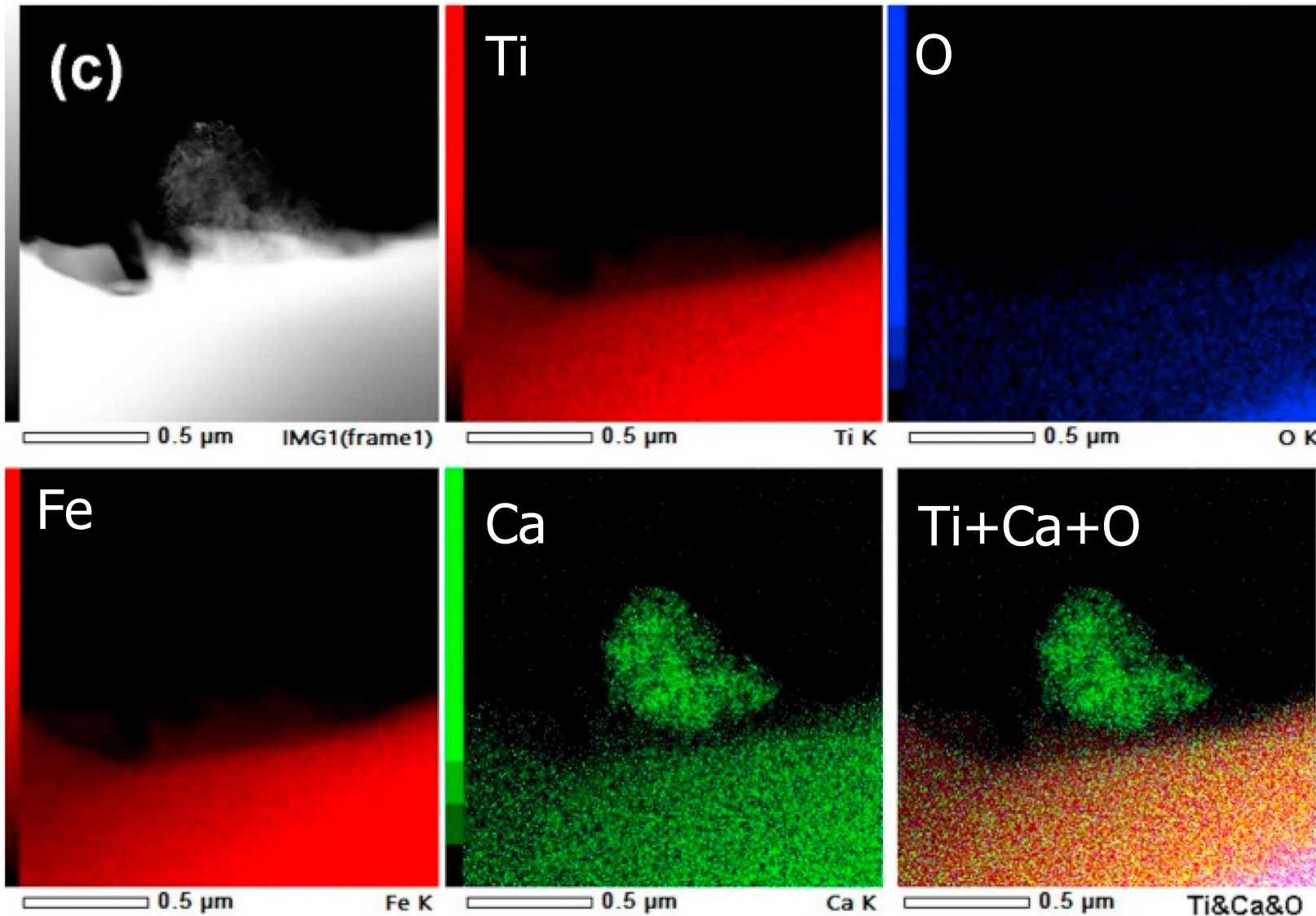
Increase of specific surface during cycling

X-ray refraction radiographs



nanocrystals at grain boundaries

Transmission Electron Microscopy images



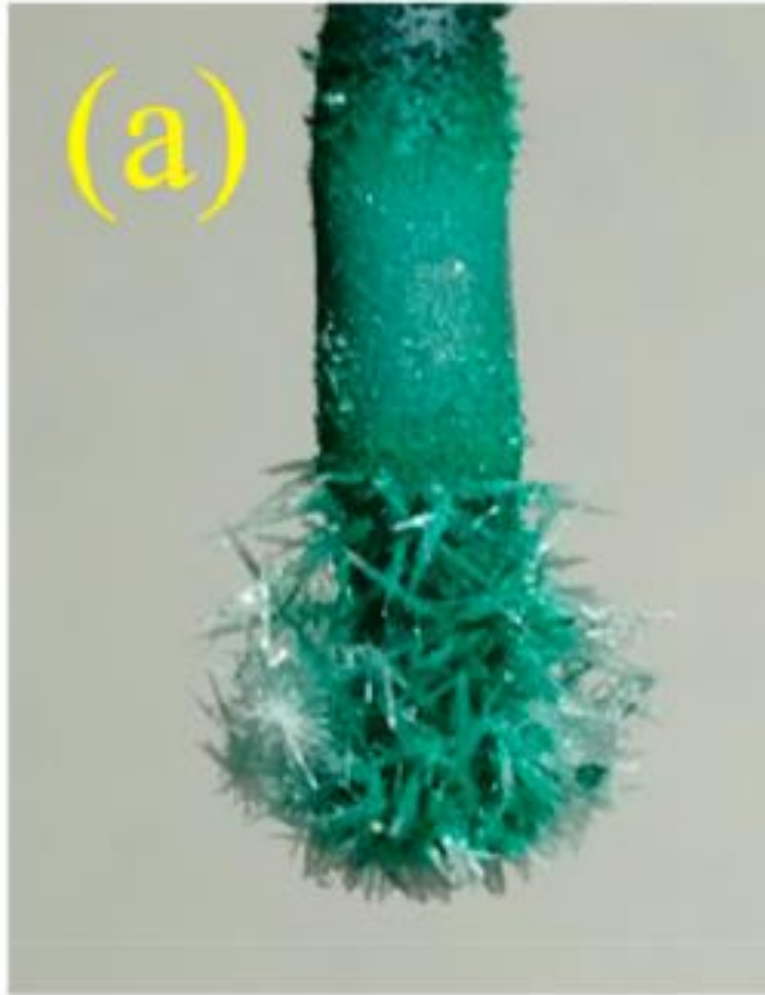
Fe_2TiO_5 with higher purity and better crystallinity is then obtained
→ higher thermal diffusivity

Stop blaming all the time the cracks!

Never trust X-ray diffraction to assess the purity of a compound!

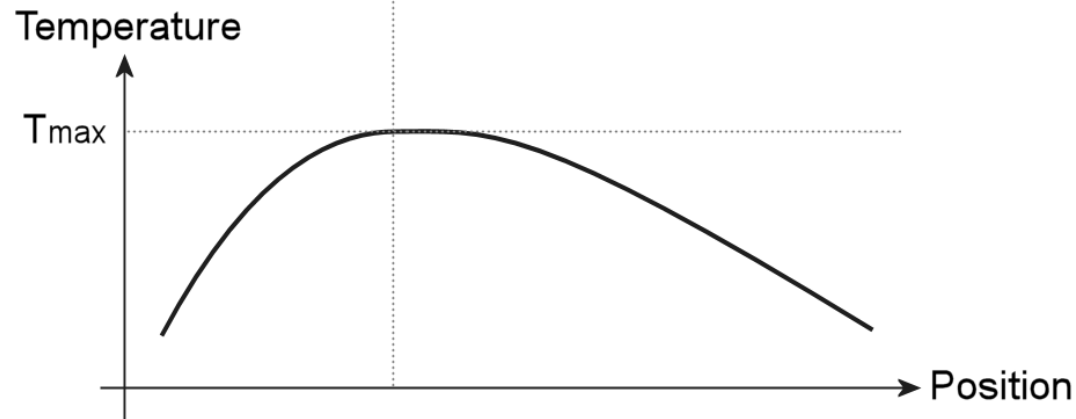
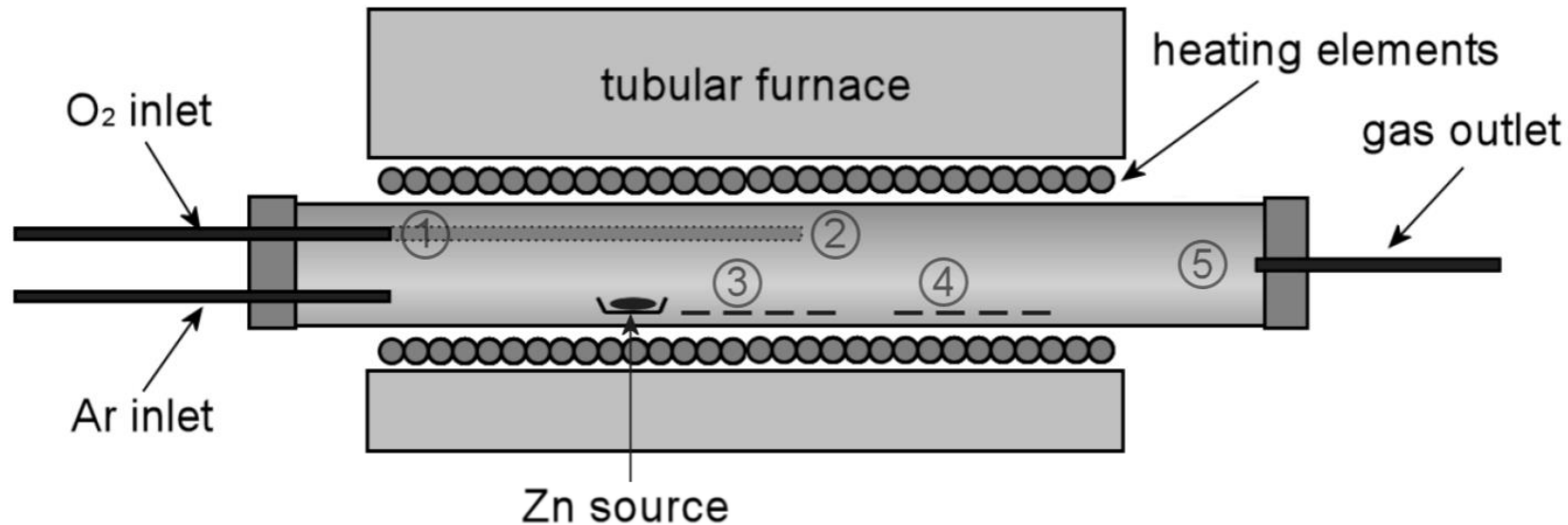
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Doped ZnO wires by...



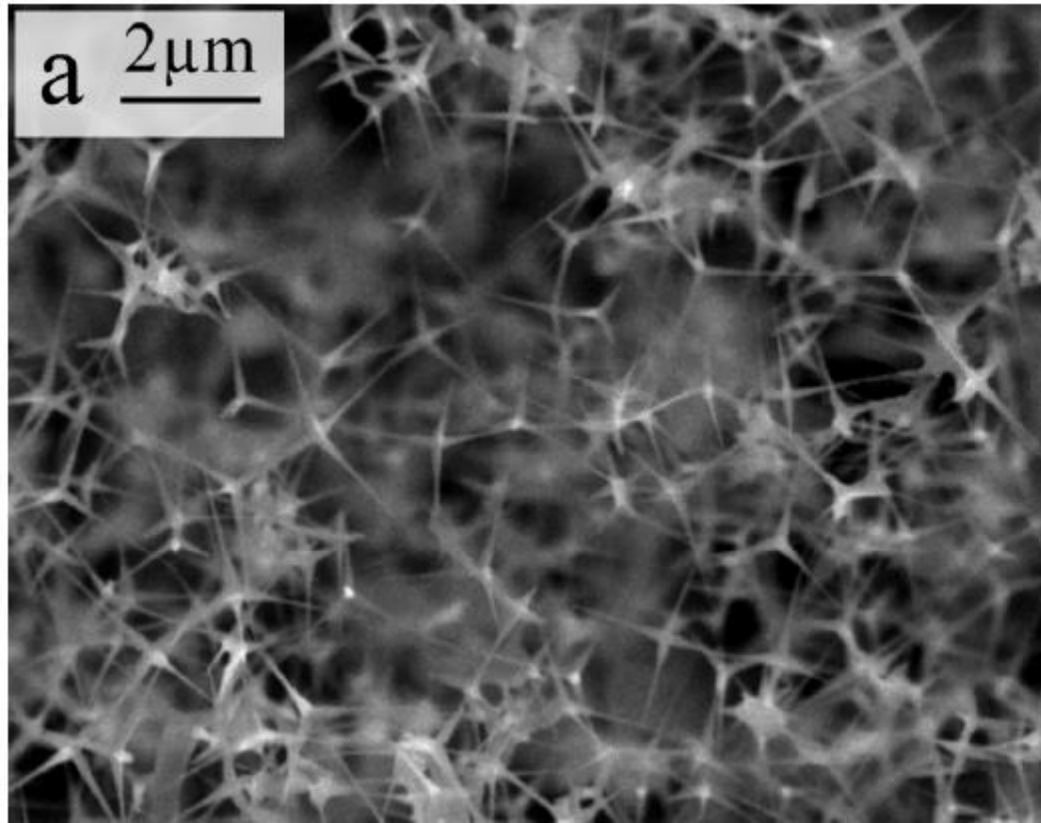
Coming soon....

ZnO wires: standard growth reactor

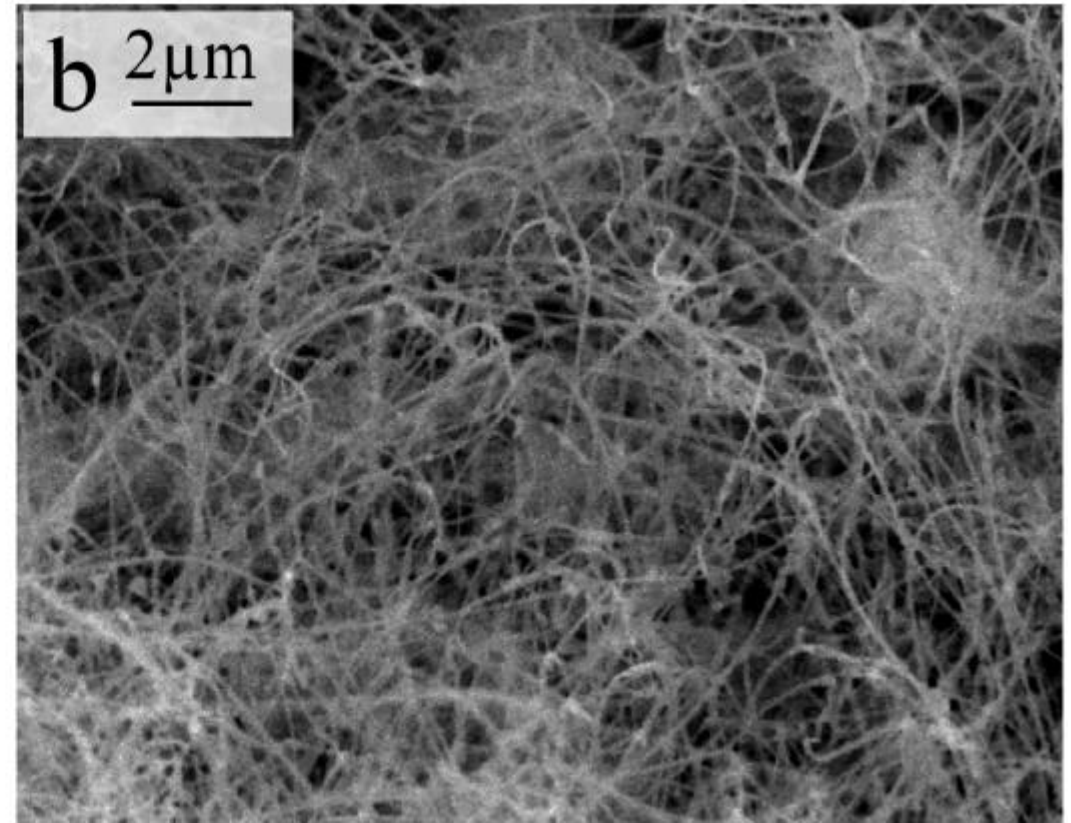


Zn source: polycrystalline
evaporation
In 3: nanowires
In 5: tetrapods

ZnO wires: standard growth reactor

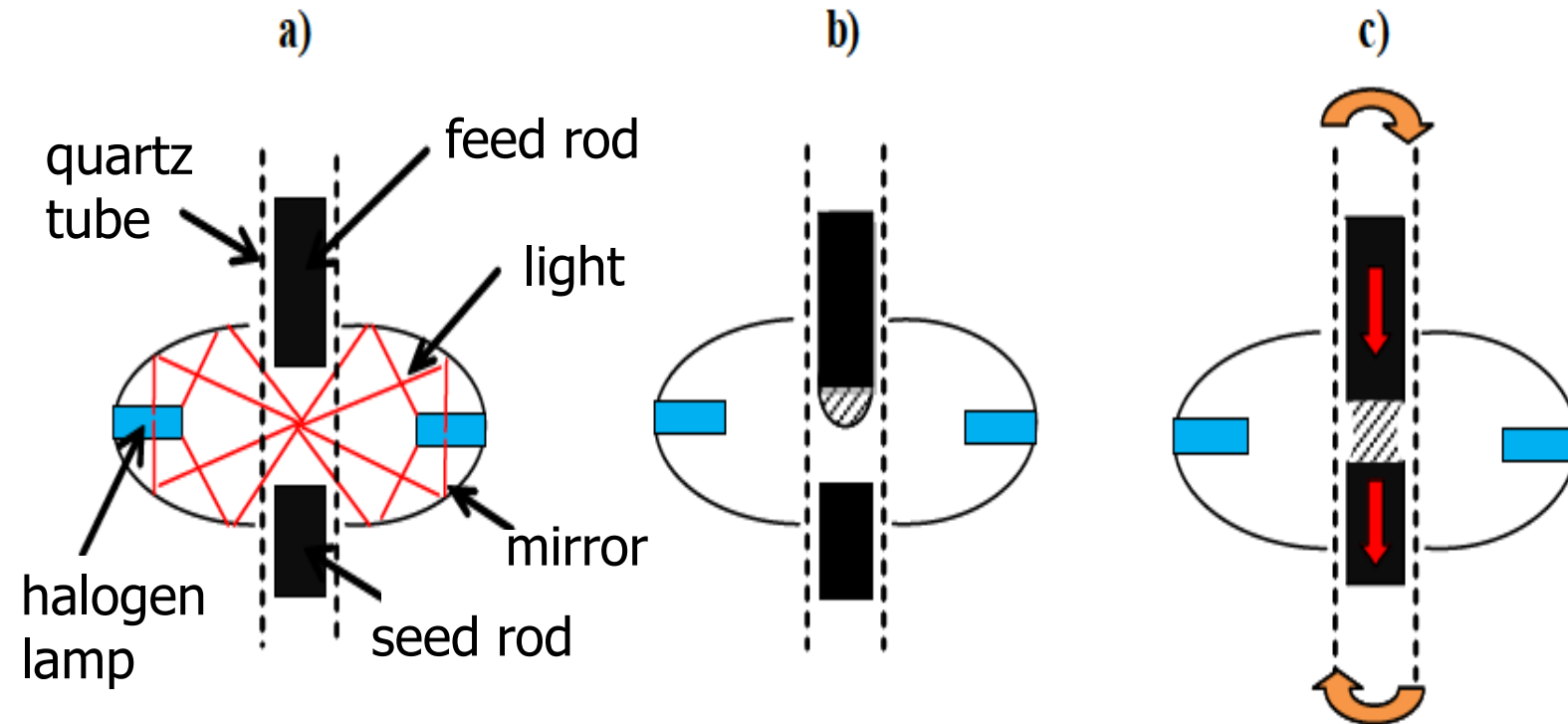


Tetrapods



Nanowires

Optical furnace



focus → melting of the rod → contact → crystal growth

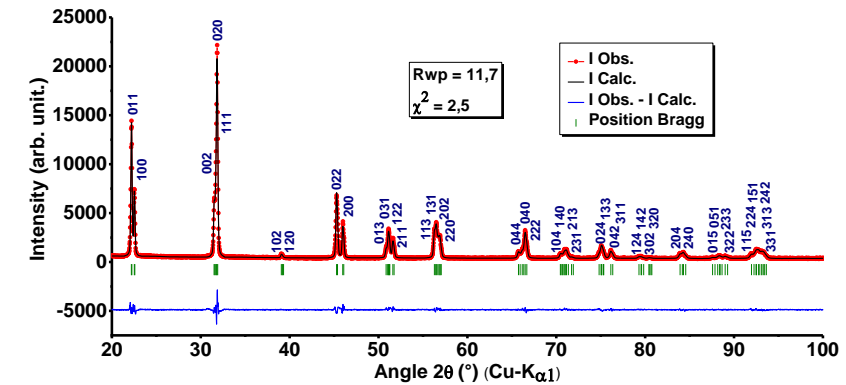
- power of the lamps
- diameter of the rod

- quality of the seed
- stable melted zone

- speed of rotation and translation

Optical furnace: before the growth

Synthesis of the phases



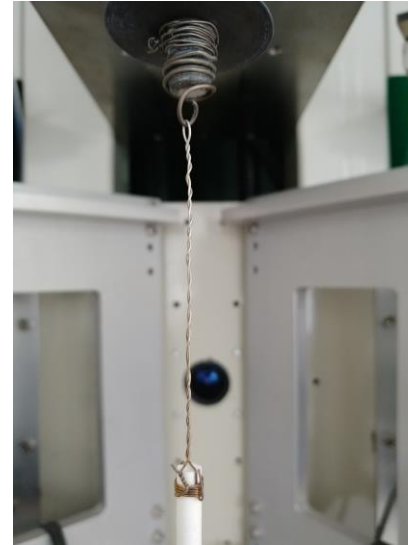
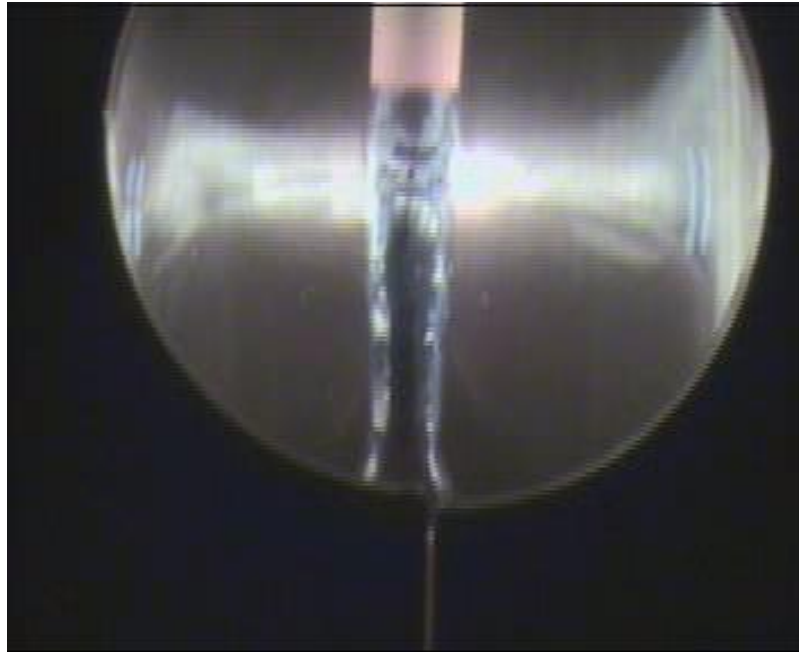
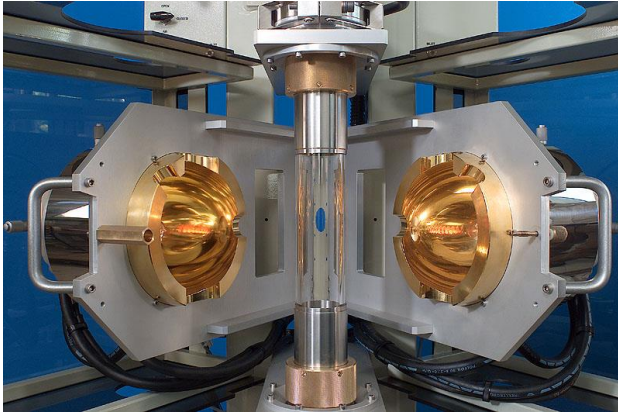
Shaping: isostatic pressing of the rods (diameter: 6 mm)



Sintering → homogeneous structures



Optical furnace: experimental setup



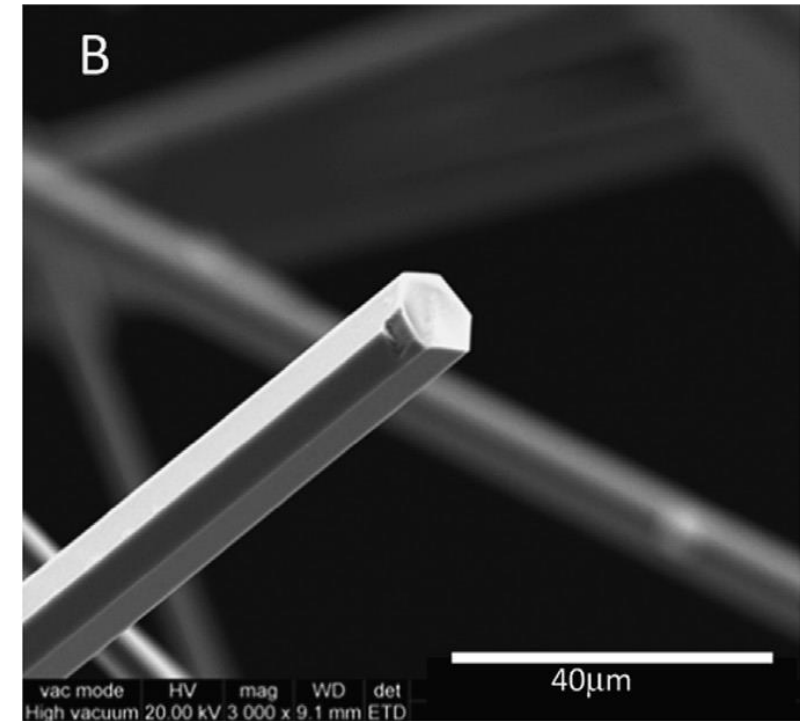
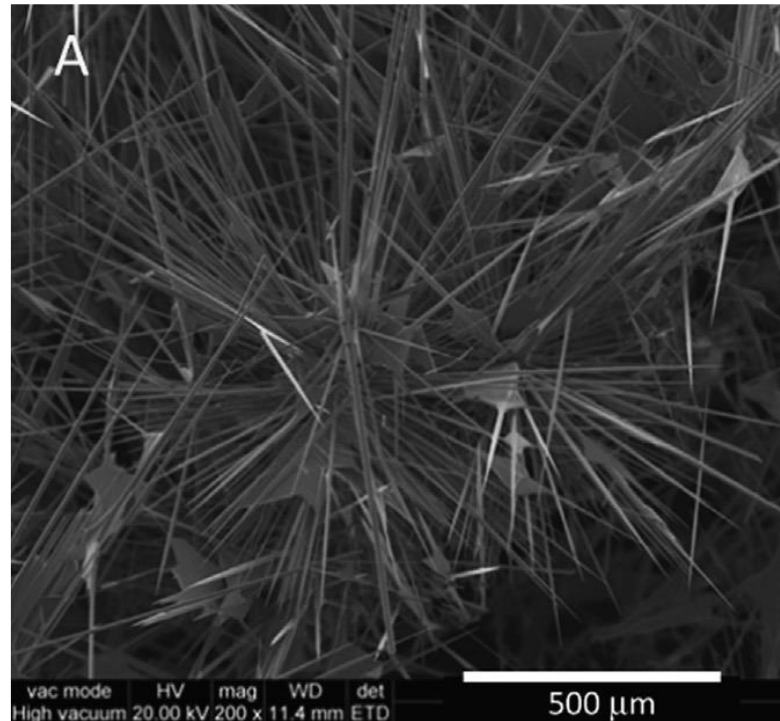
feed rod:
free to move



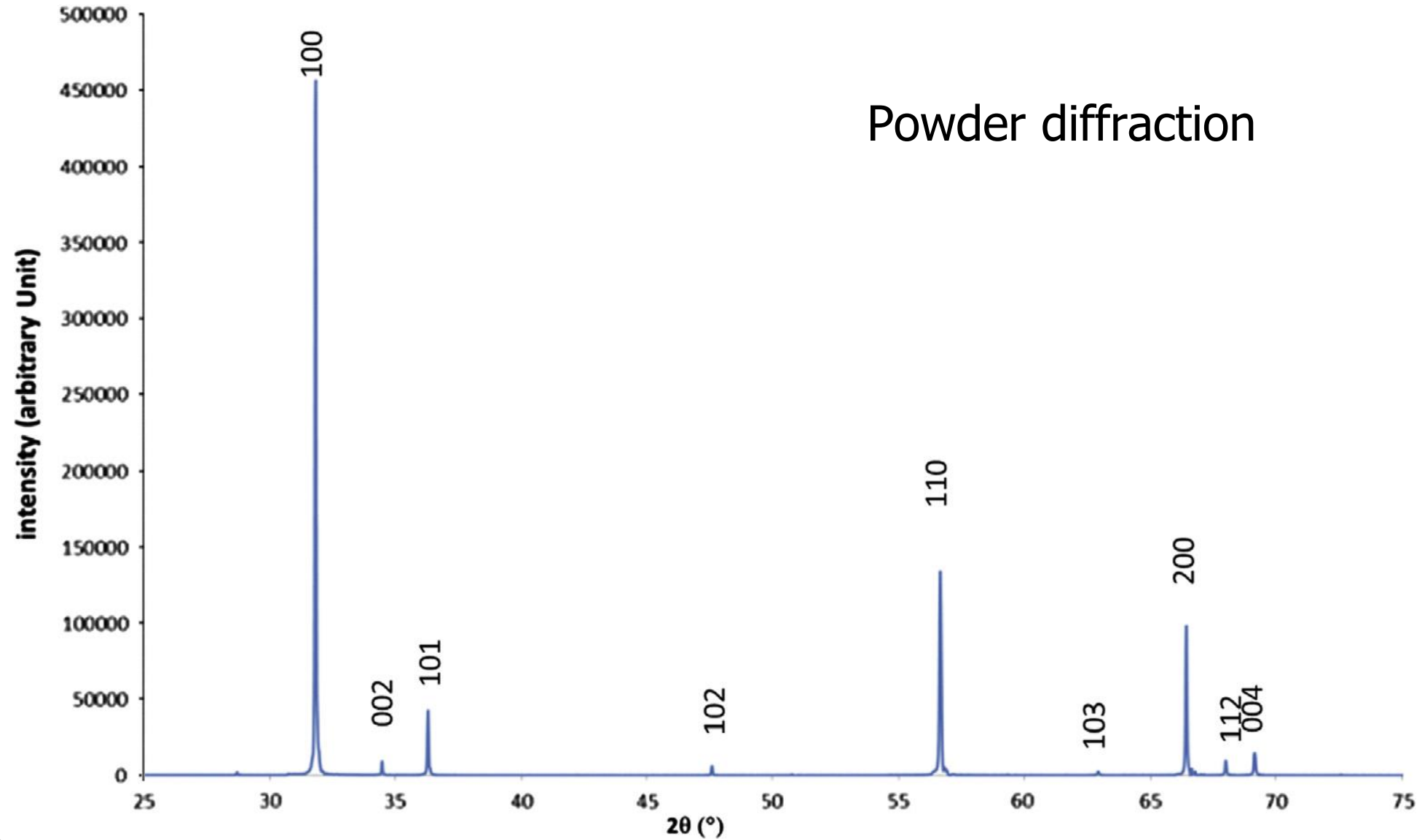
seed rod: fixed
with ceramic paste



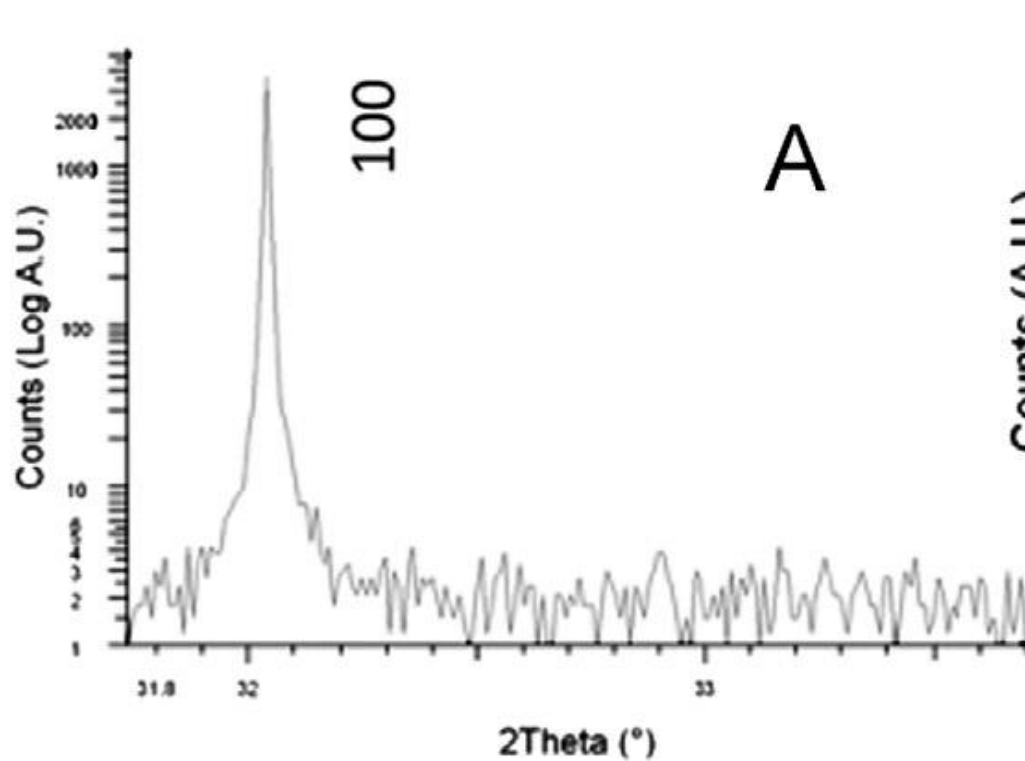
In 10 minutes



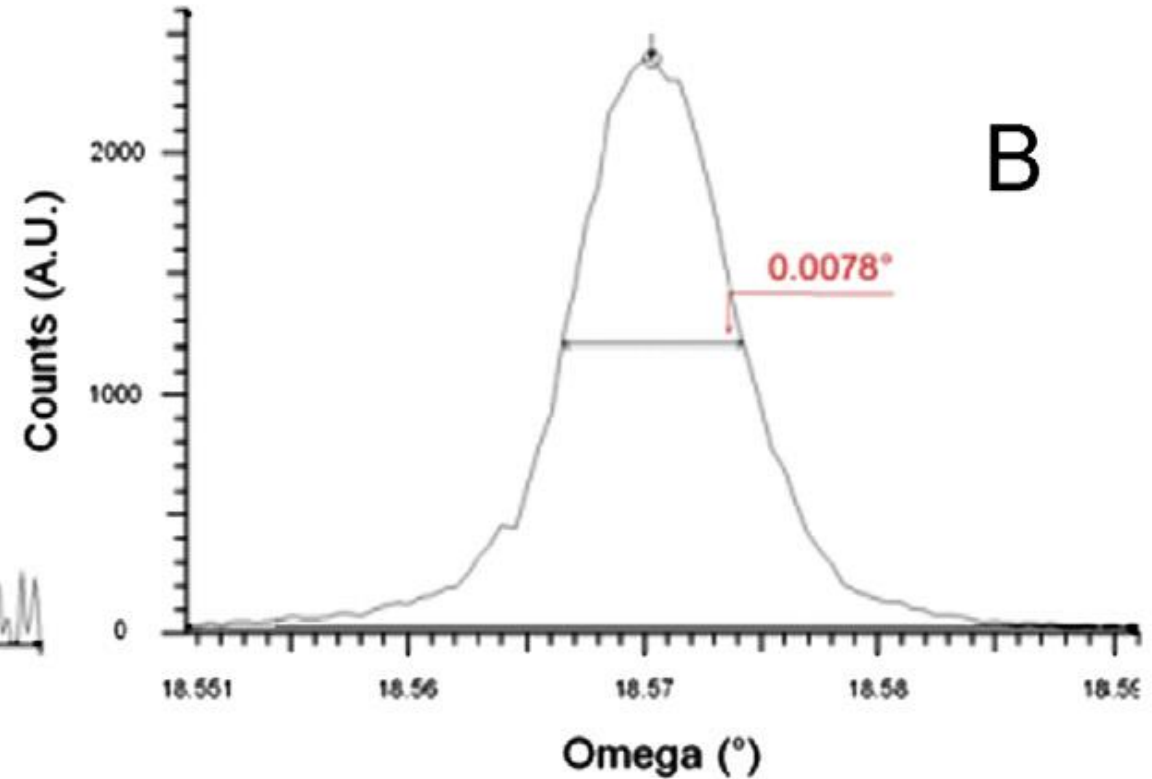
ZnO wires: X-ray diffraction



ZnO wires: high crystallinity

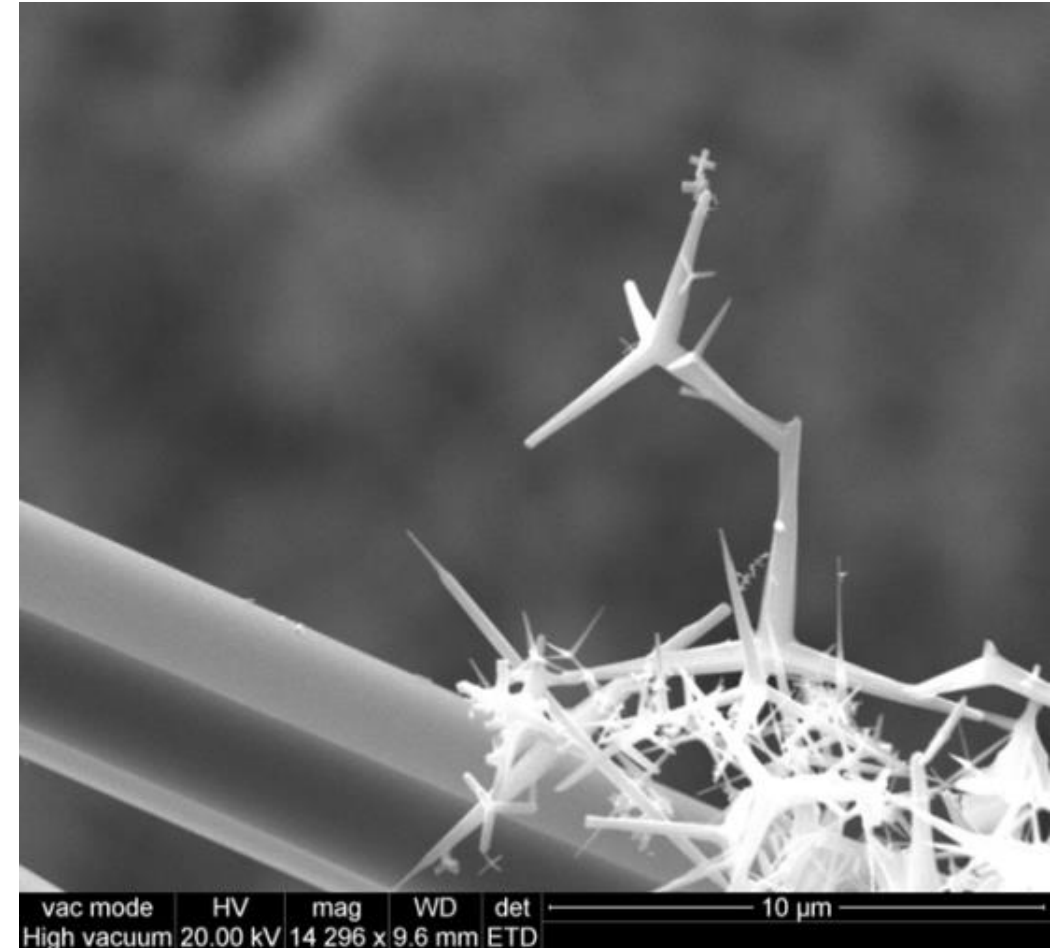
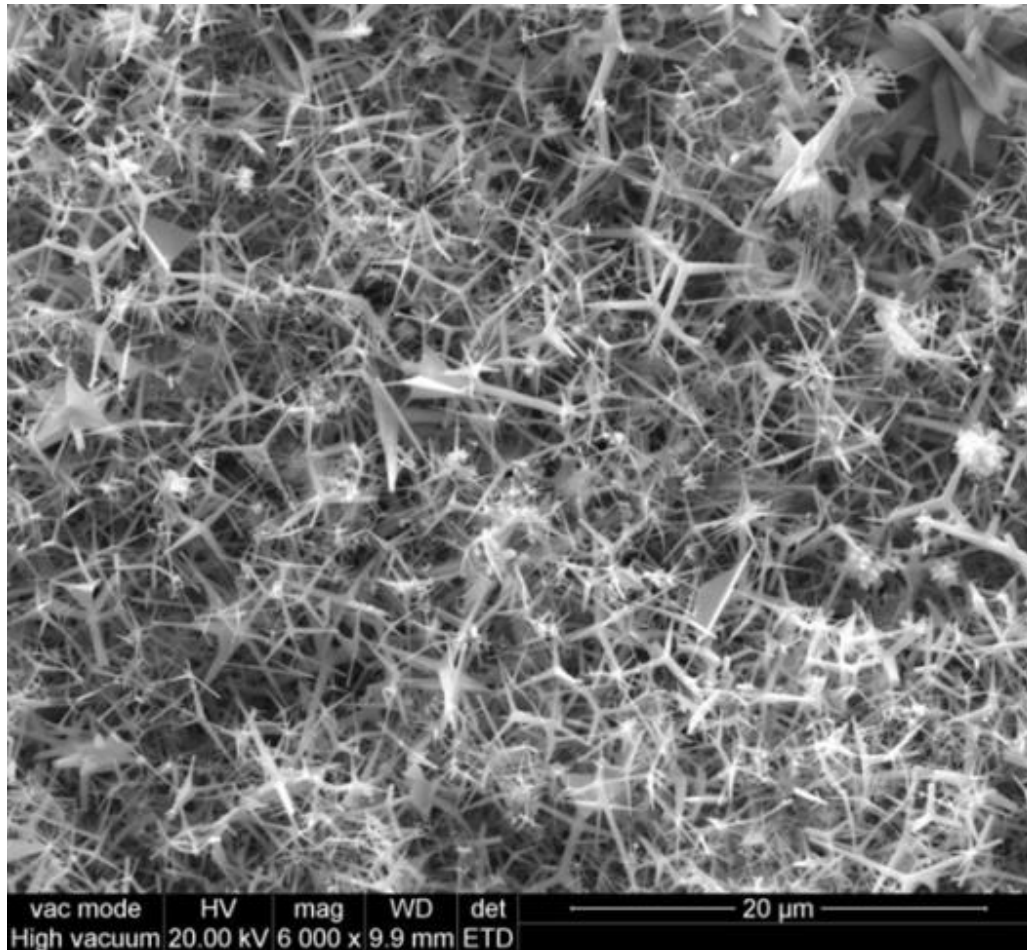


Micro-diffraction

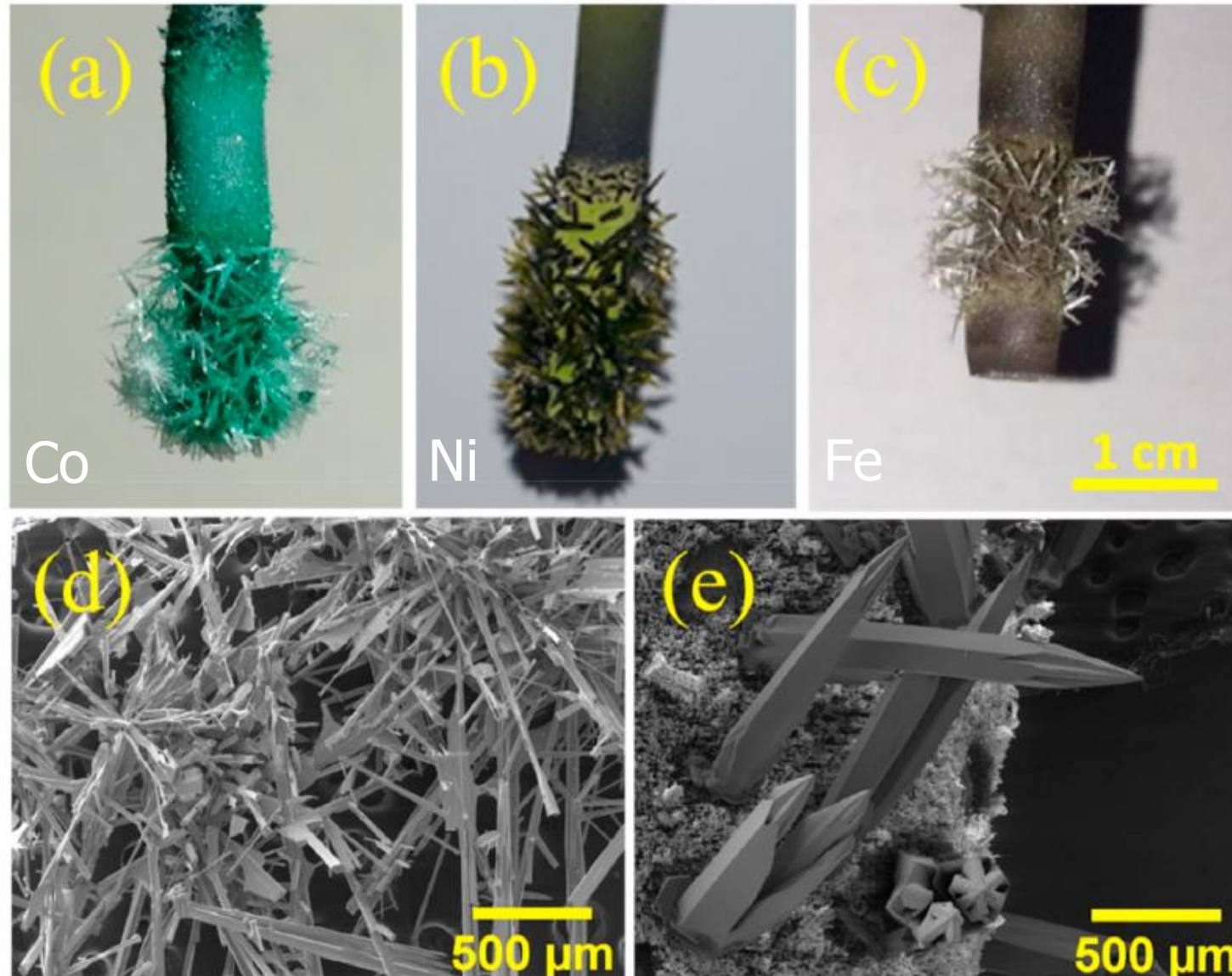


Rocking curve

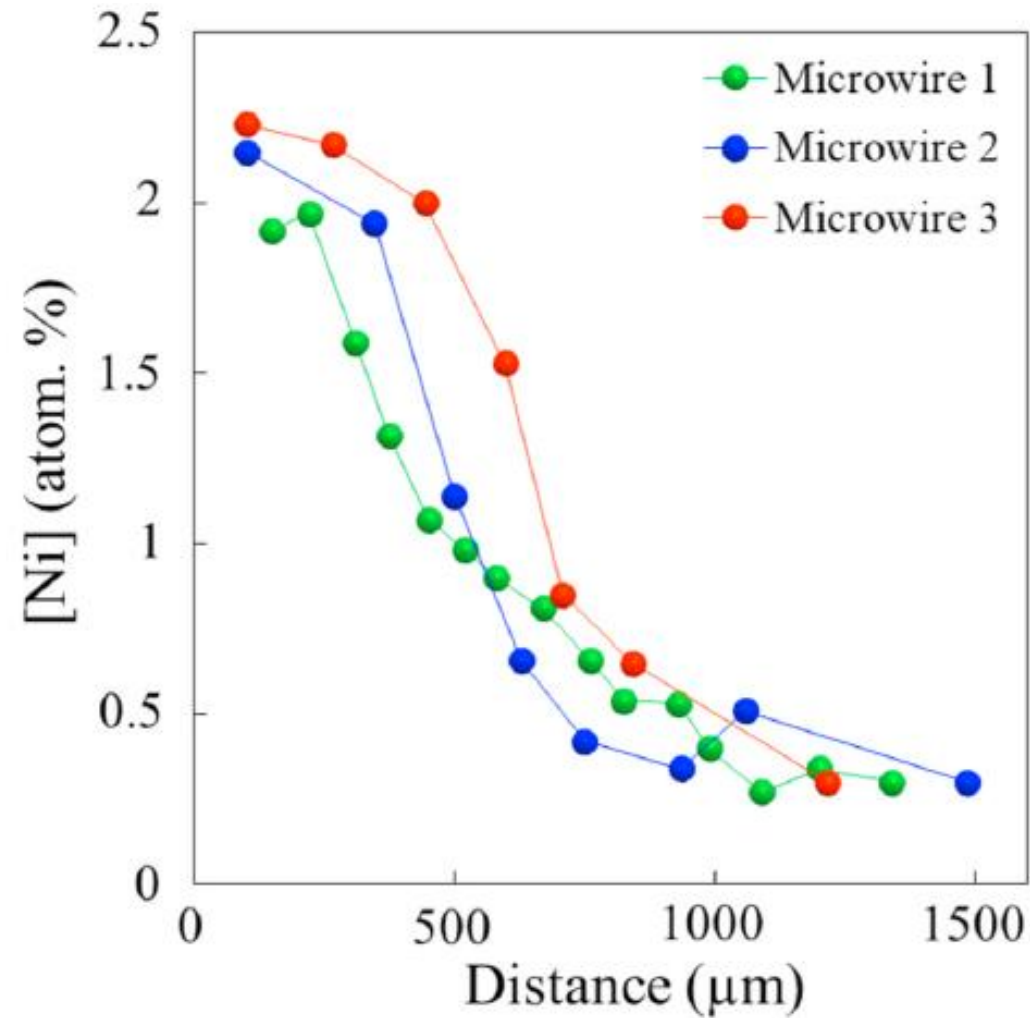
Higher temperatures (higher lamp power)



Doped ZnO wires



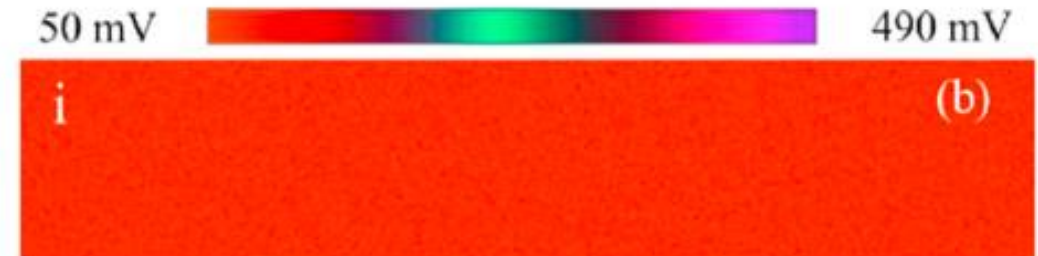
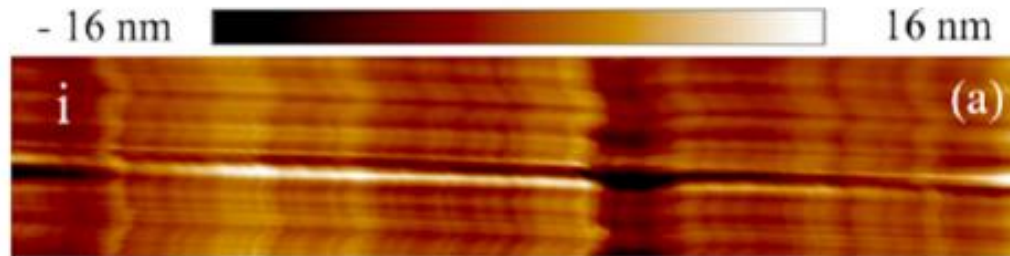
Doped ZnO wires: diffusion process



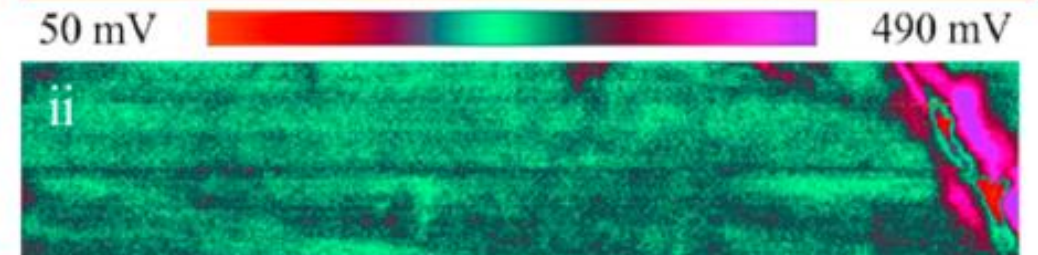
Doped ZnO wires: diffusion process

Scanning capacitance microscopy measurements

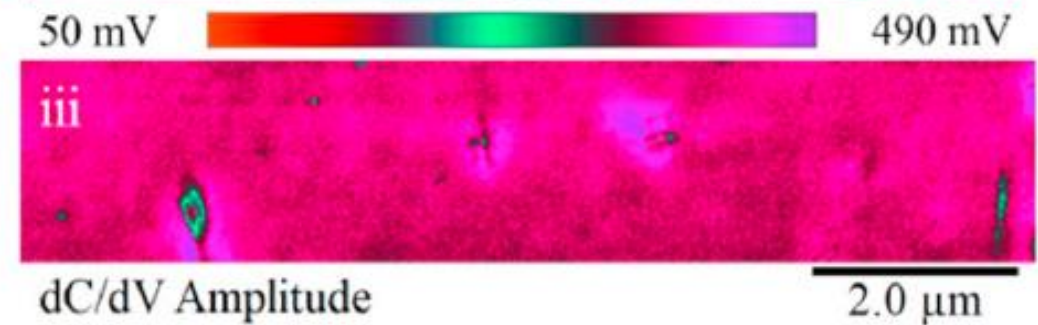
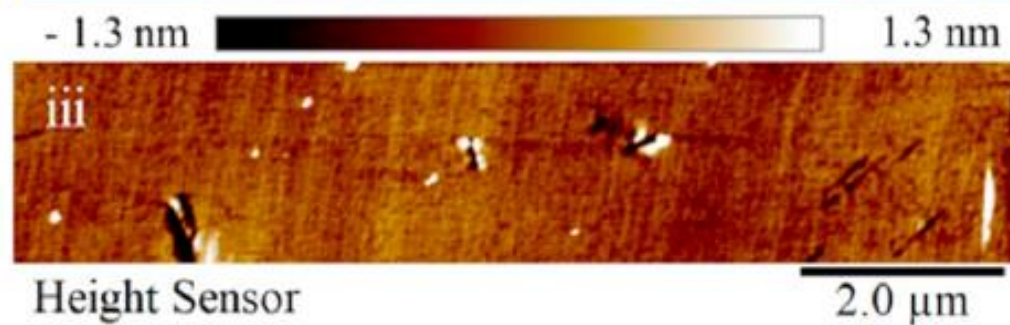
base



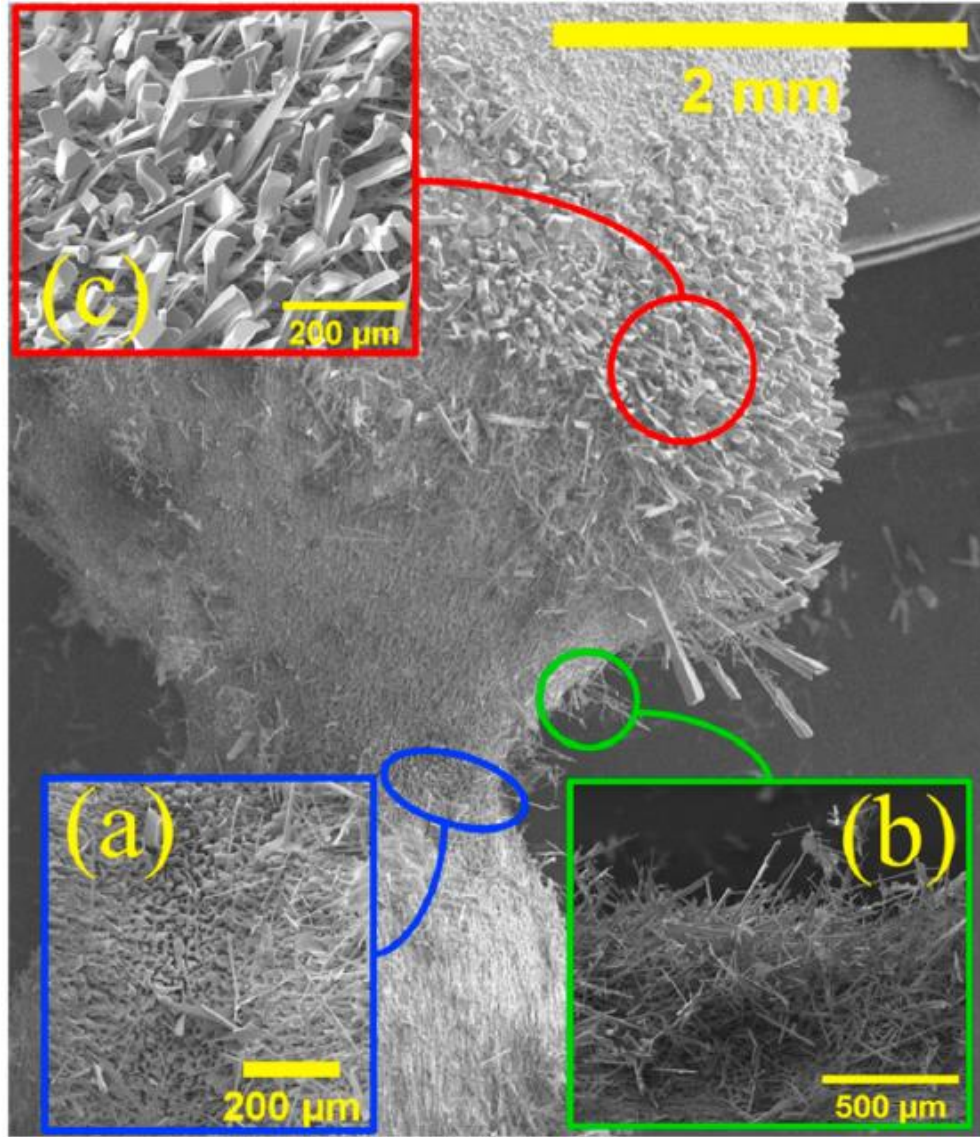
middle



tip



Crystallization of SnO₂



< 100 μm: no crystallization

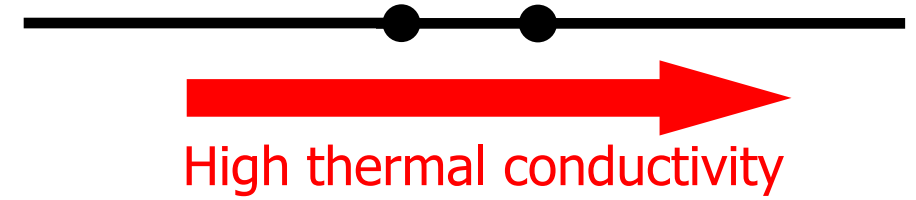
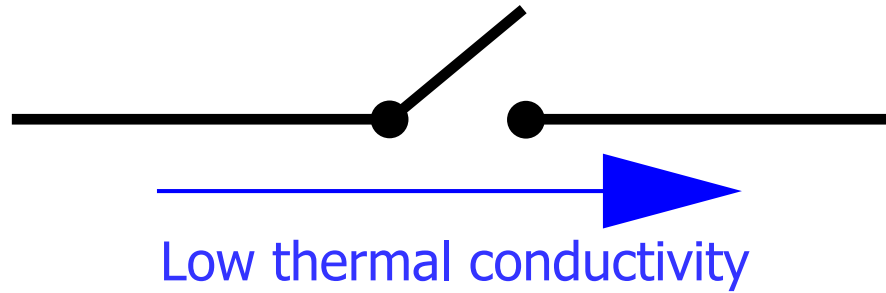
100 μm - 800 μm: microwires (diameter: 10 μm)

800 μm - 3 mm: microwires (diameter: 50 μm)

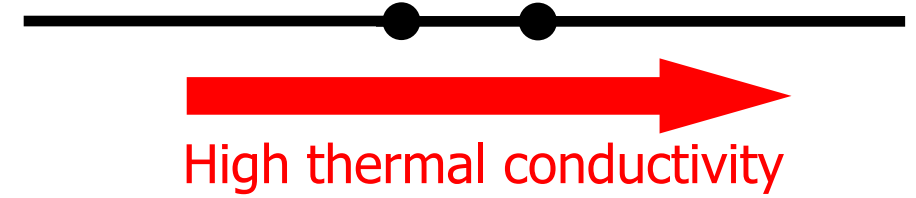
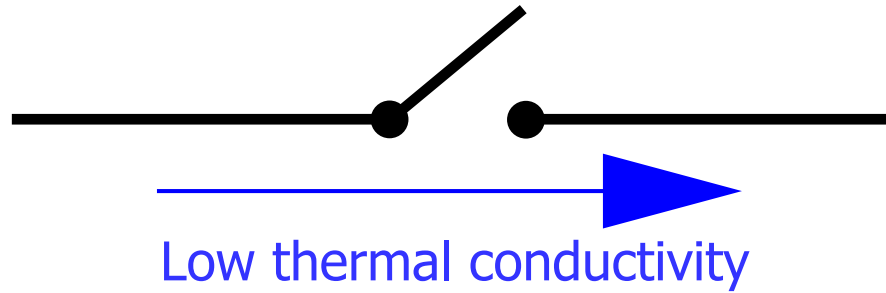
It is possible to make **nanostuctures** with techniques designed for **macroscopic samples**.

- Basics of ceramics
- ZnO nanostructuring
- Nanocracks
- ZnO nanowires
- **Spontaneous nanostructuration**

Is it possible to control heat flows as easily as electricity?



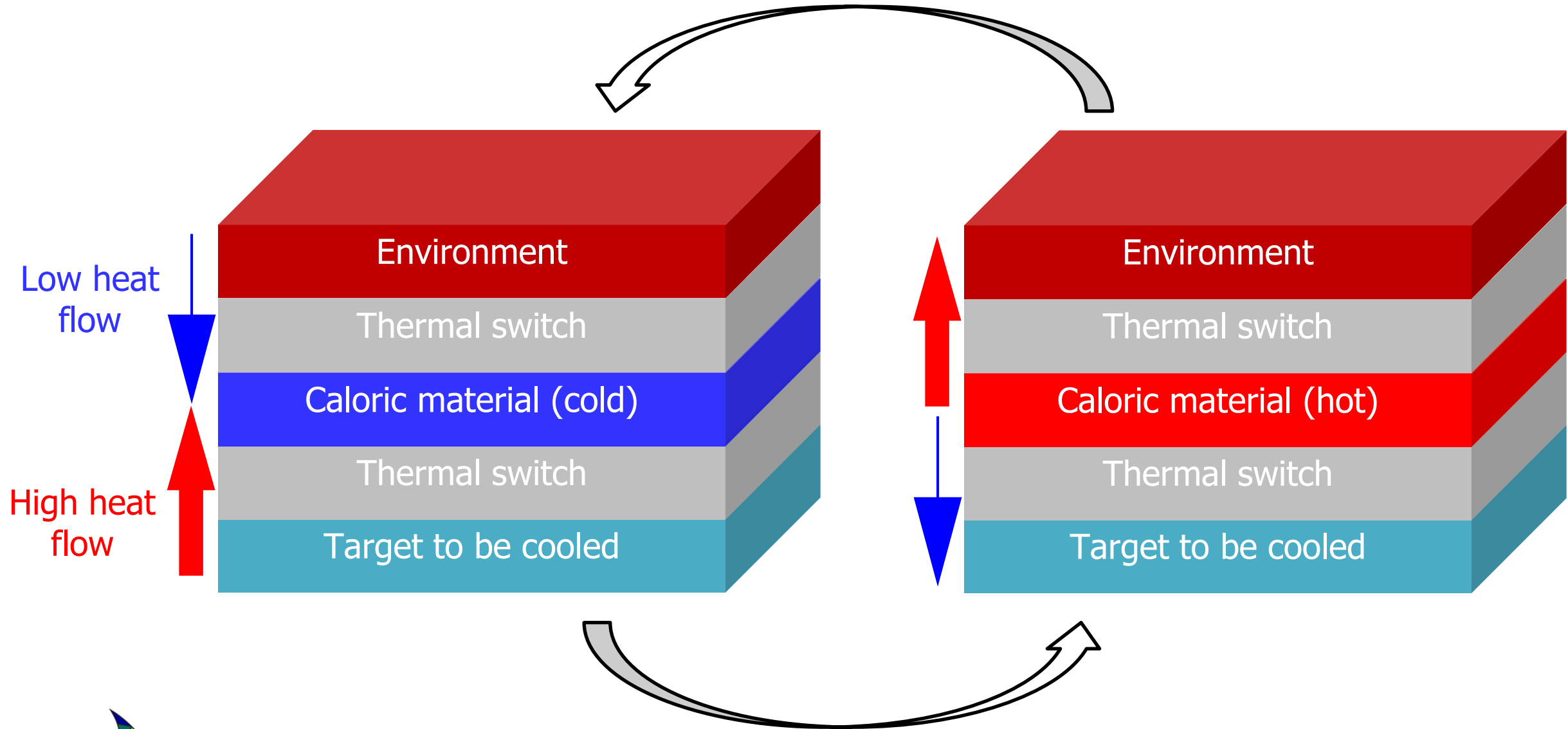
Is it possible to control heat flows as easily as electricity?



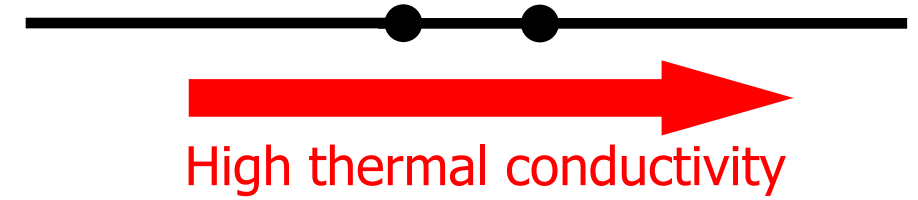
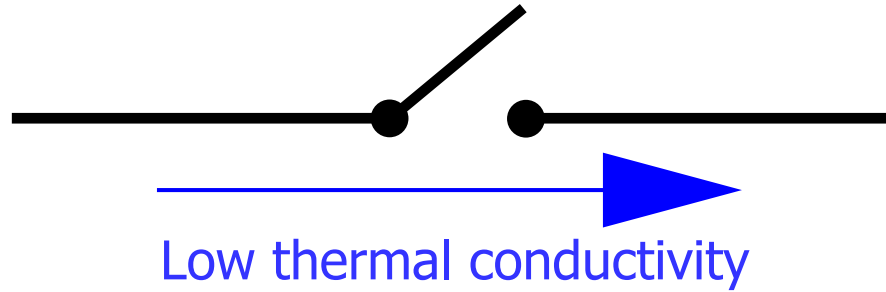
Not yet....

What could be achieved with thermal switches?

Environment friendly refrigeration



The ideal thermal switch



Environment
friendly

Easily
manufactured

$$R = k_H/k_L \\ \sim 10$$

Cyclable
 10^9 times

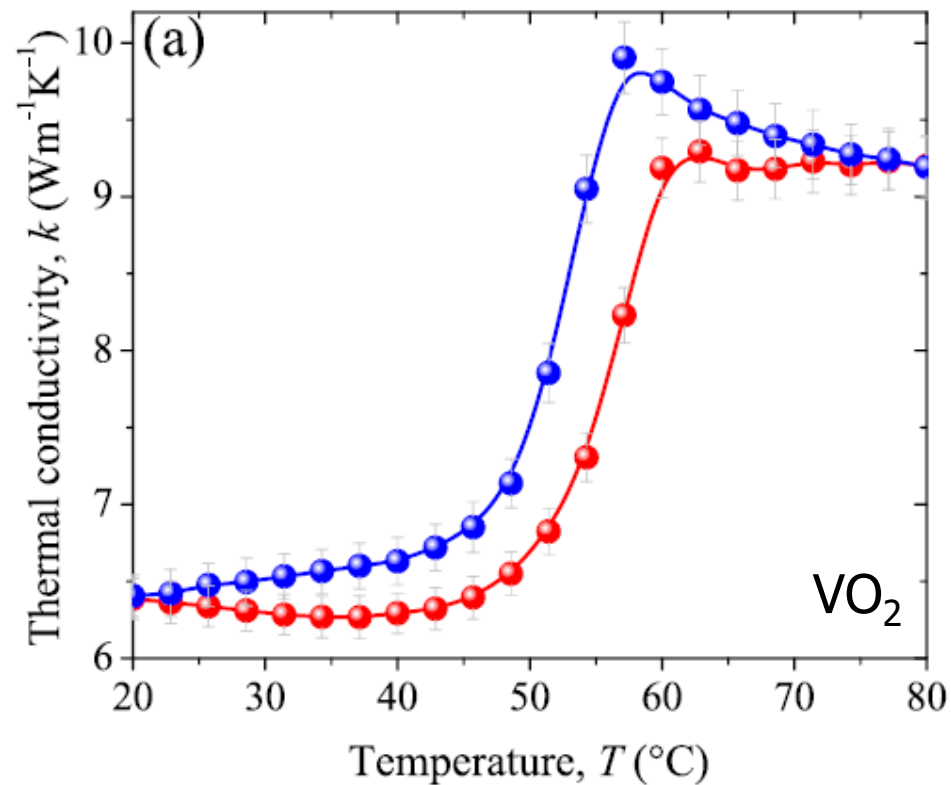
No moving
parts

Switch fast
< 20 ms

Close to room
temperature

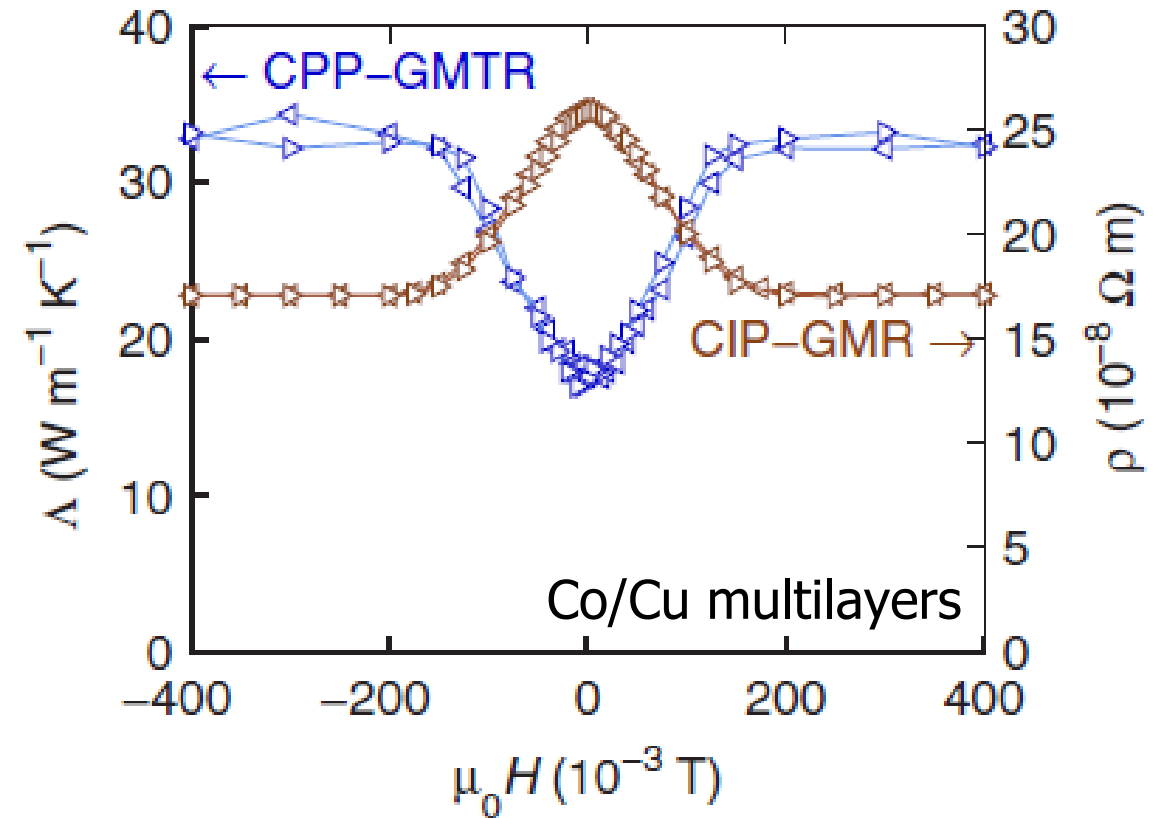
Operate with small
temperature gradients
< 4 K

Current strategies for thermal switches



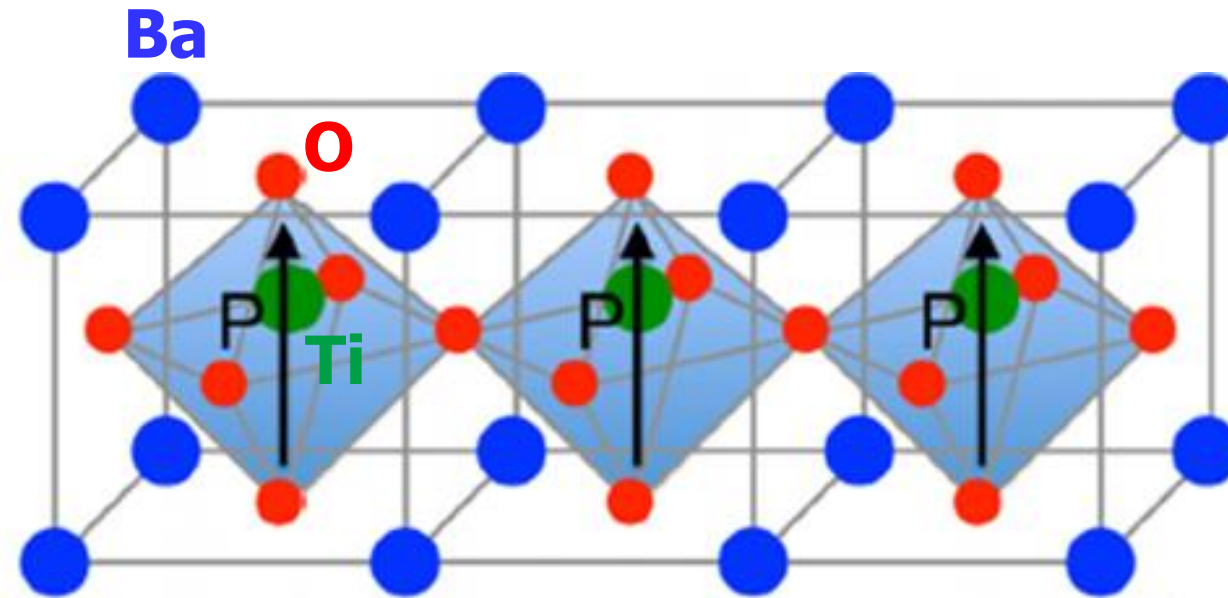
insulator-metal transition

(phase change materials)

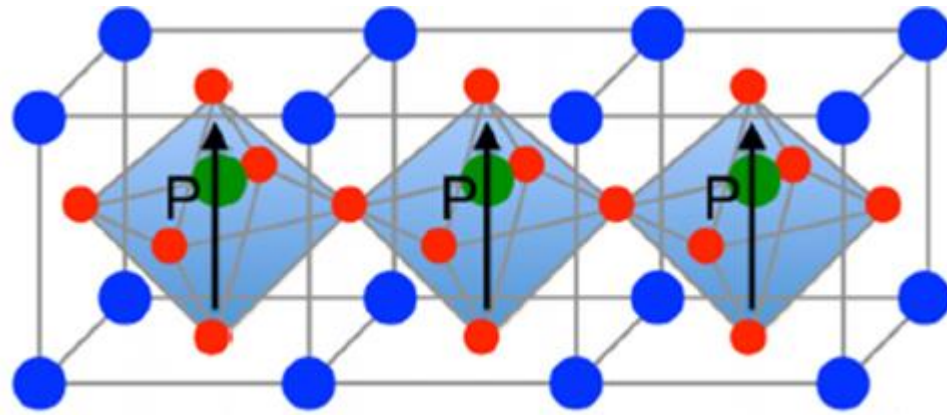


giant magnetoresistance

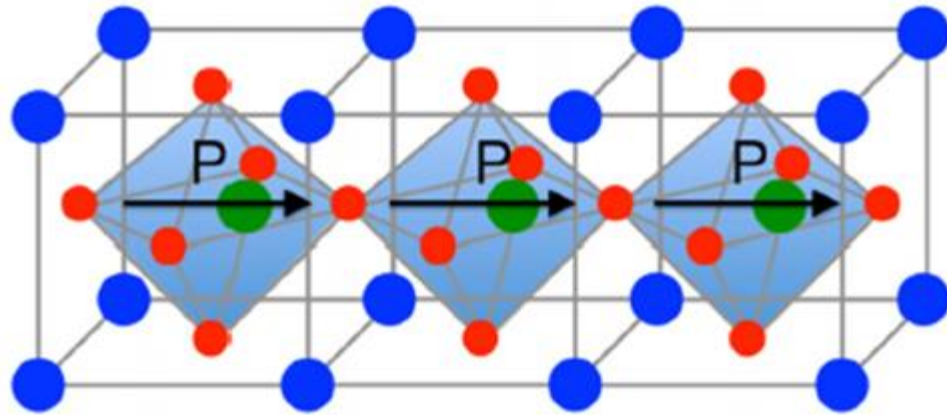
A ferroelectric perovskite



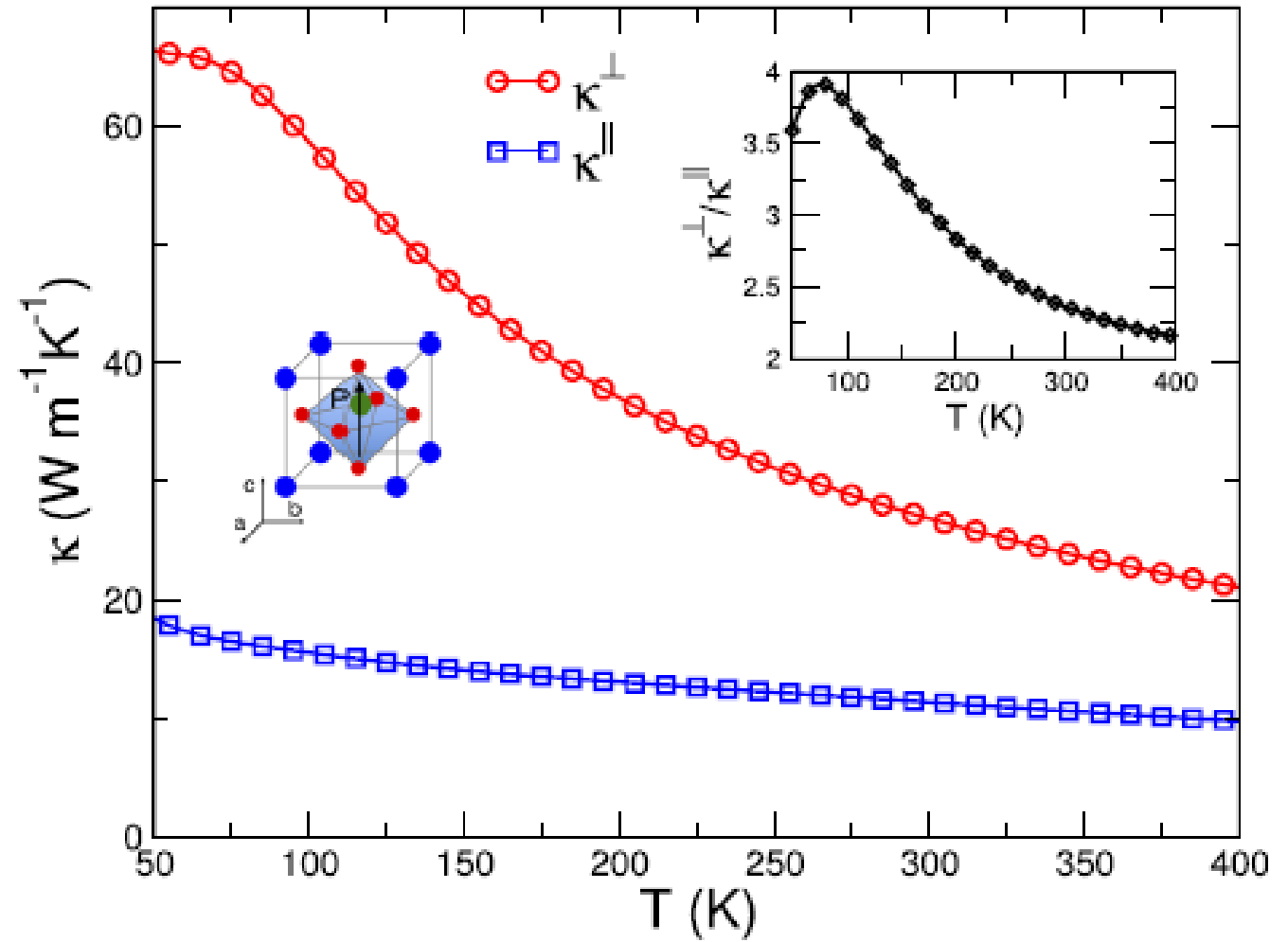
Prediction: anisotropy-driven thermal conductivity



High thermal conductivity

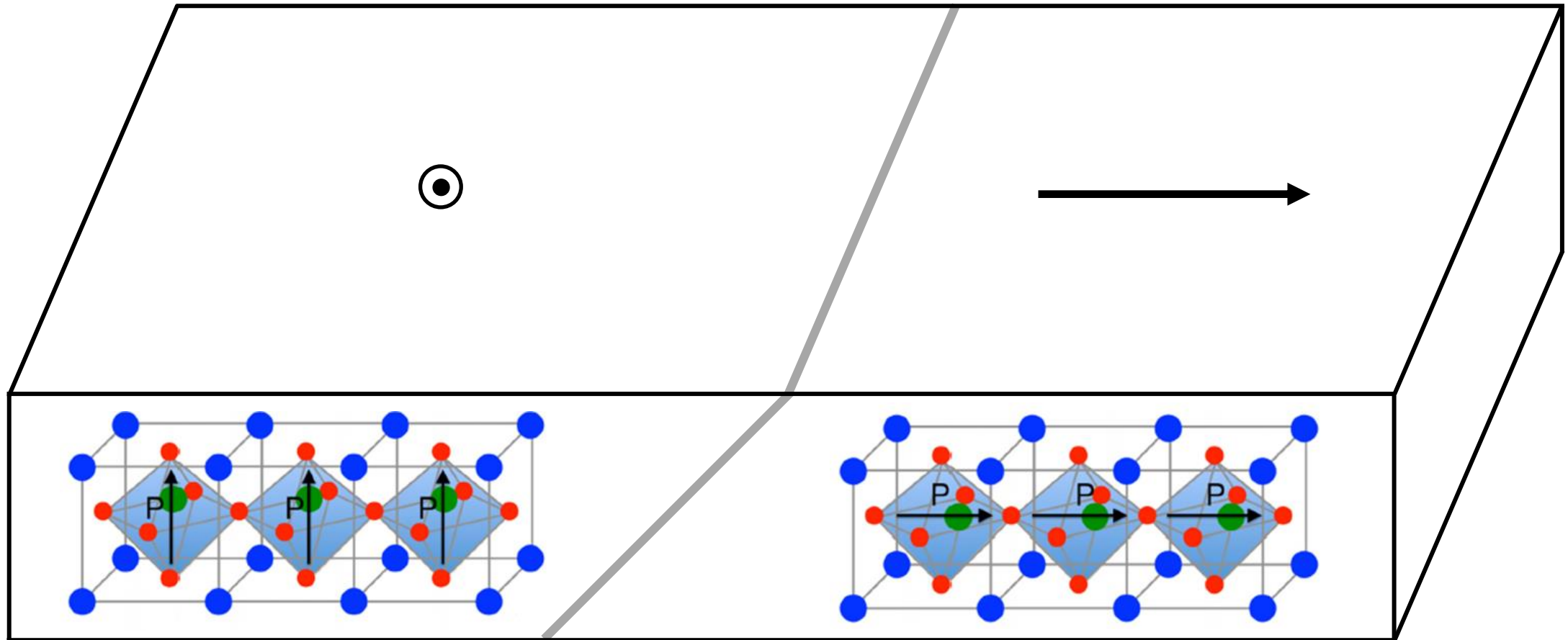


Low thermal conductivity



BaTiO₃: an experimental model for a verification

BaTiO₃ single crystals at room temperature have a **tetragonal symmetry** and spontaneously exhibit **ferroelectric domains**



BaTiO₃: an experimental model for a verification

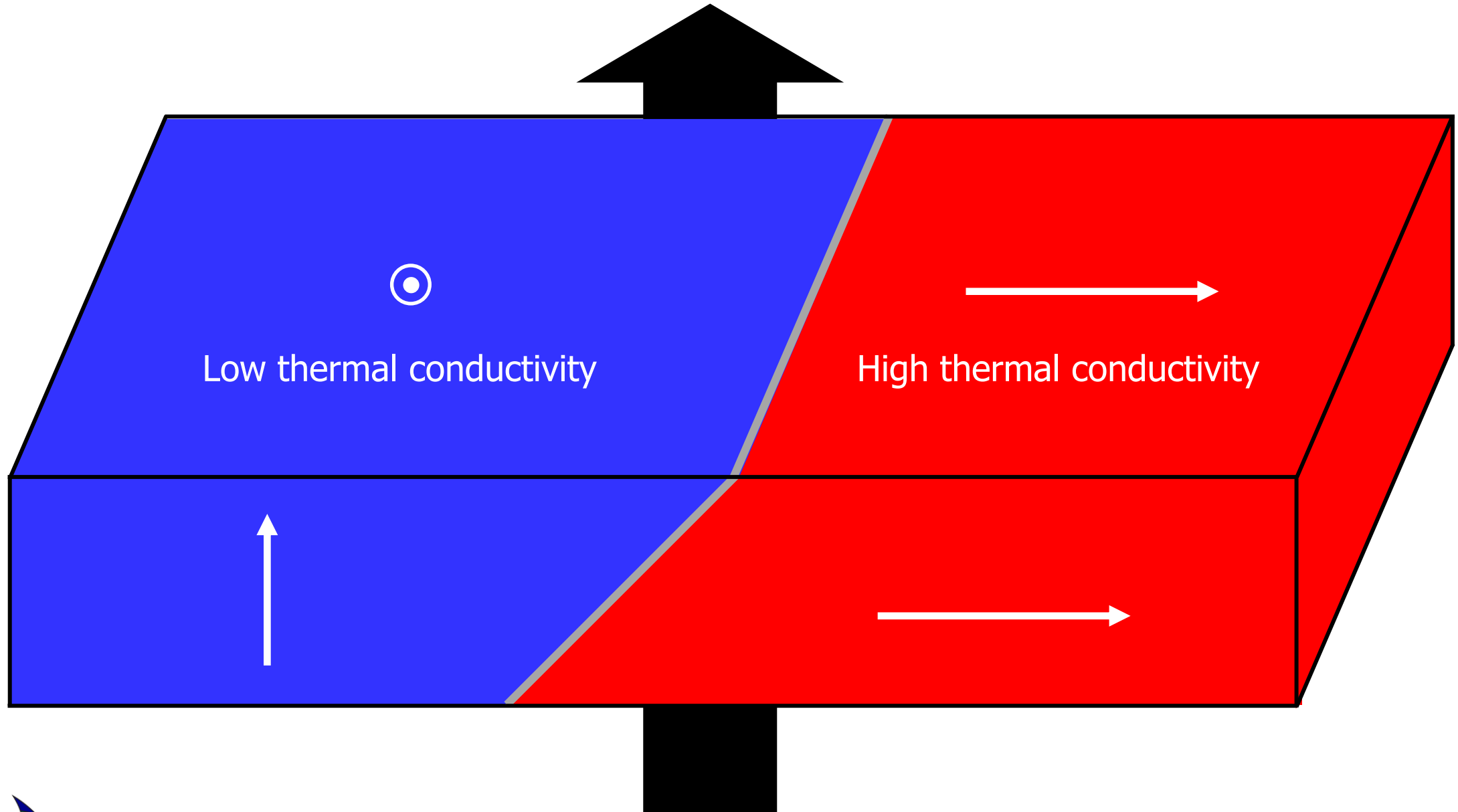


Image of ferroelectric domains

Piezoresponse force microscopy image of the domains

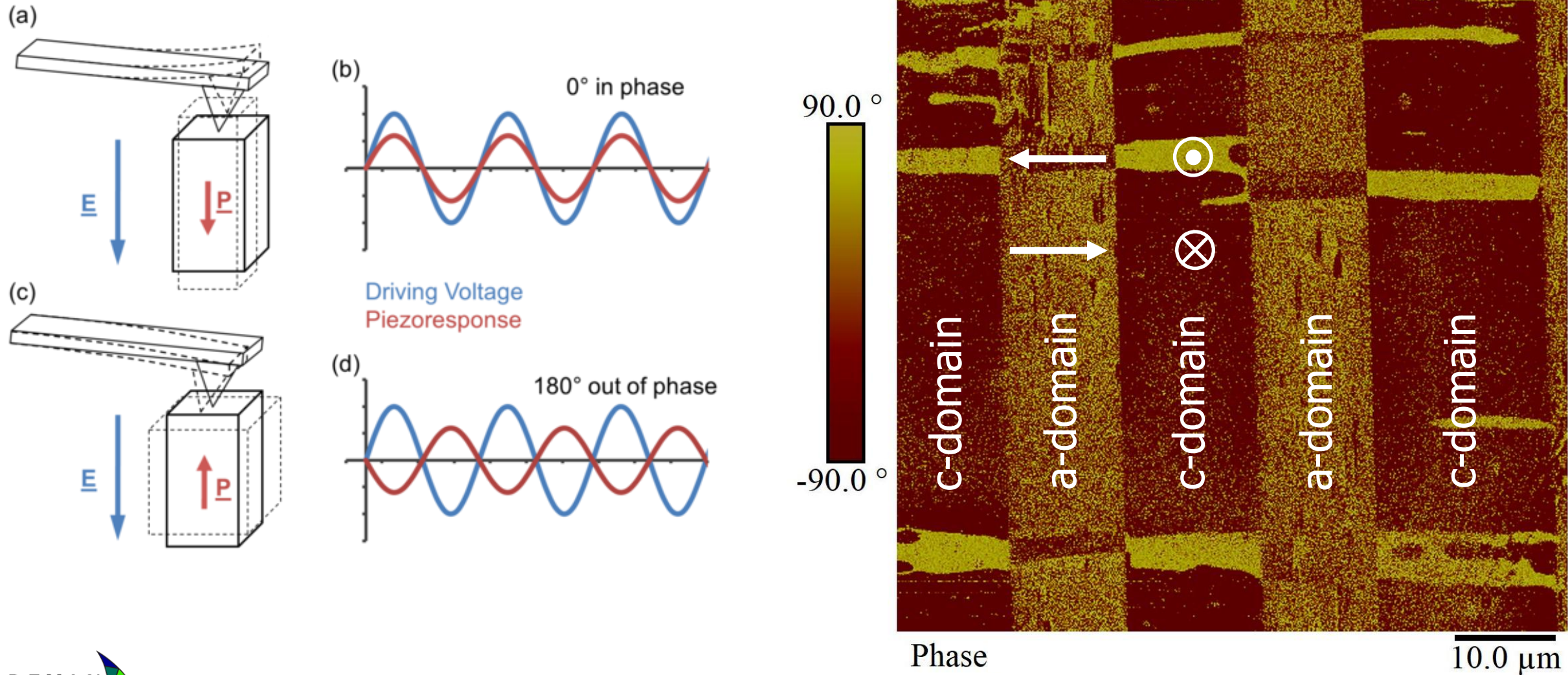
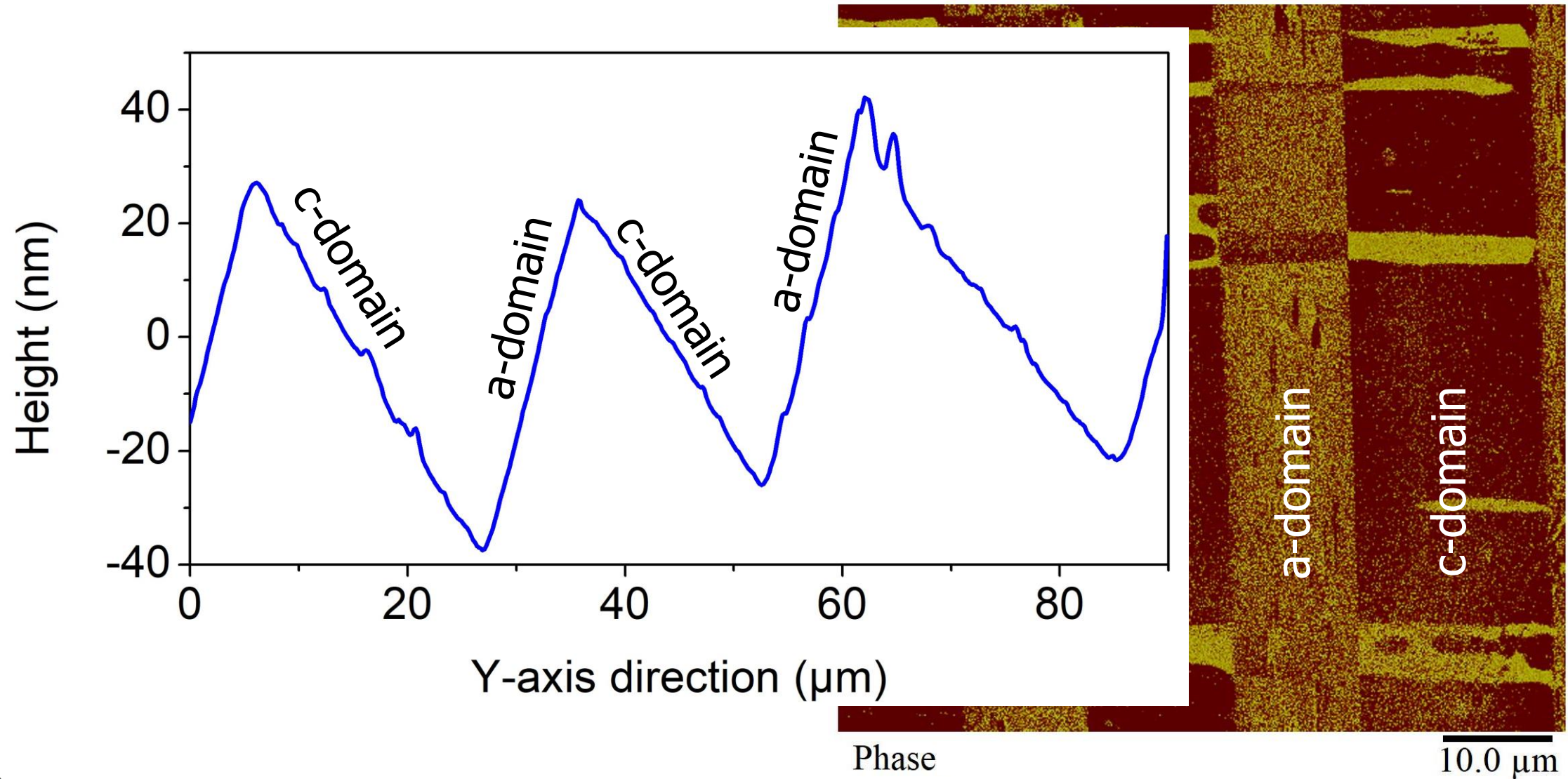
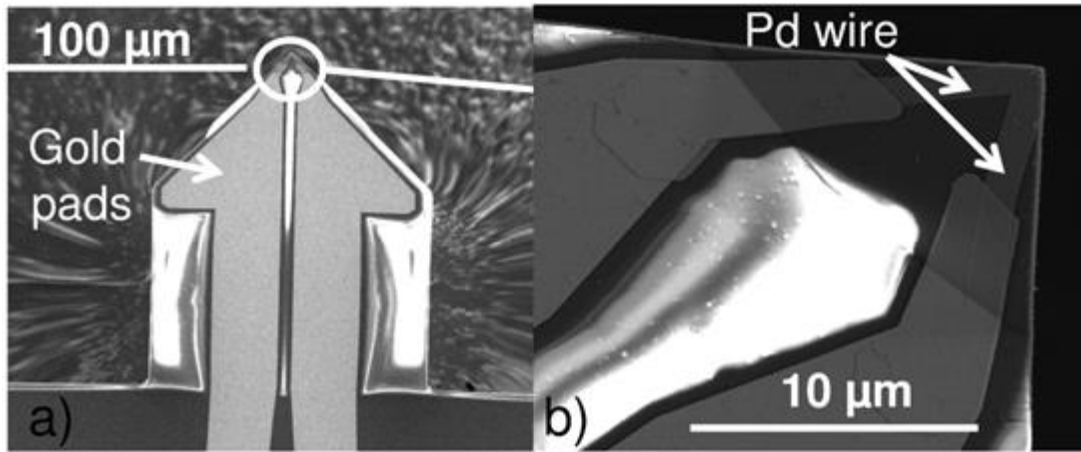


Image of ferroelectric domains

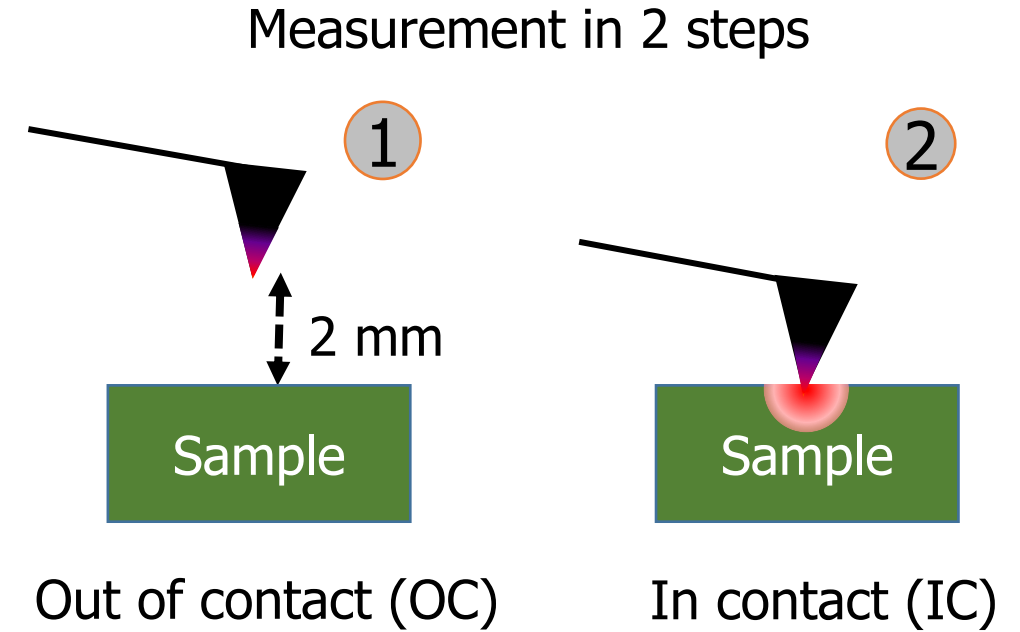
Piezoresponse force microscopy image of the domains



Scanning Thermal Microscopy measurement



KelvinNanoTechnology probe
(KNT)



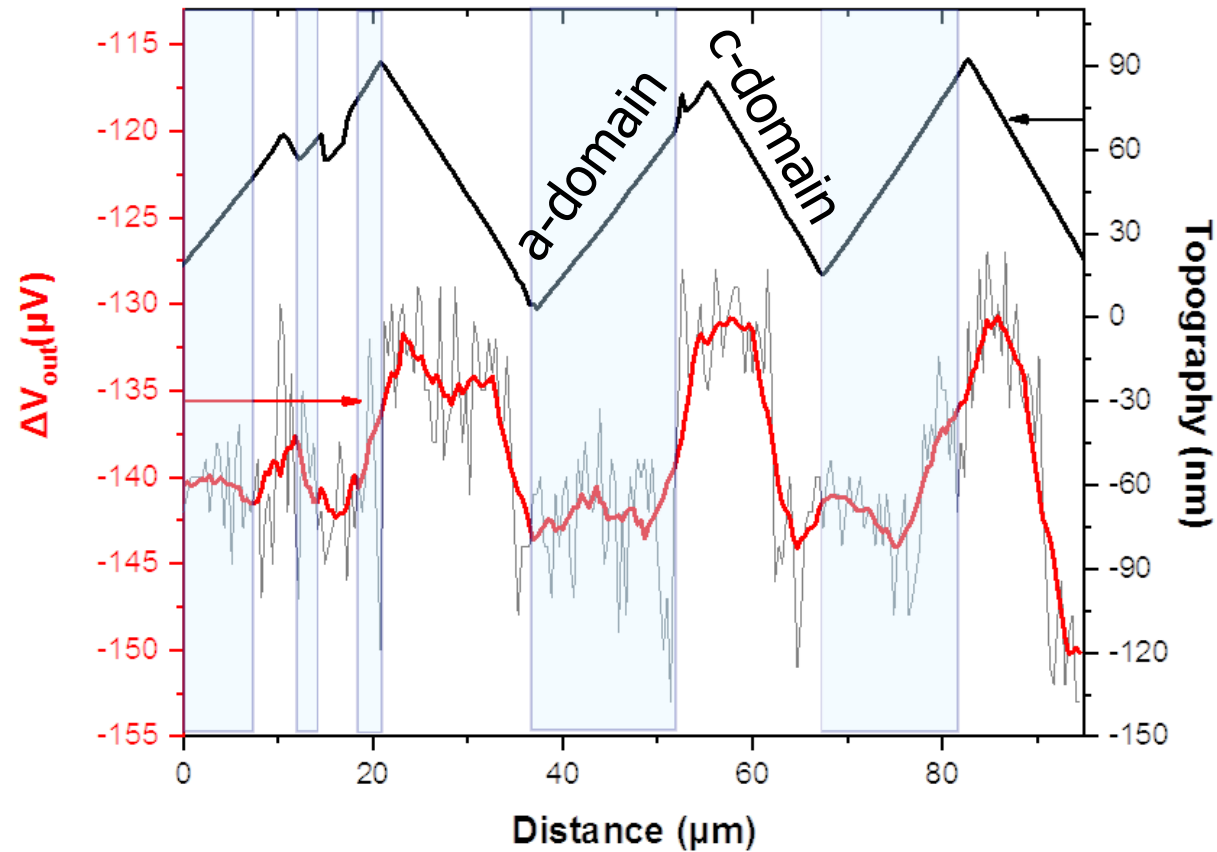
$$\begin{aligned}\Delta G_p &= G_{p-IC} - G_{p-OC} \\ &= \frac{G_{contact}}{1 + \frac{G_{contact}}{G_{sample}}} - G_{env}\end{aligned}$$

$$G_{sample} = \left(\frac{1}{4b\kappa_{BaTiO_3}} + \frac{4}{3\pi b^2} \frac{\Lambda_{ph-BaTiO_3}}{\kappa_{BaTiO_3}} \right)^{-1}$$

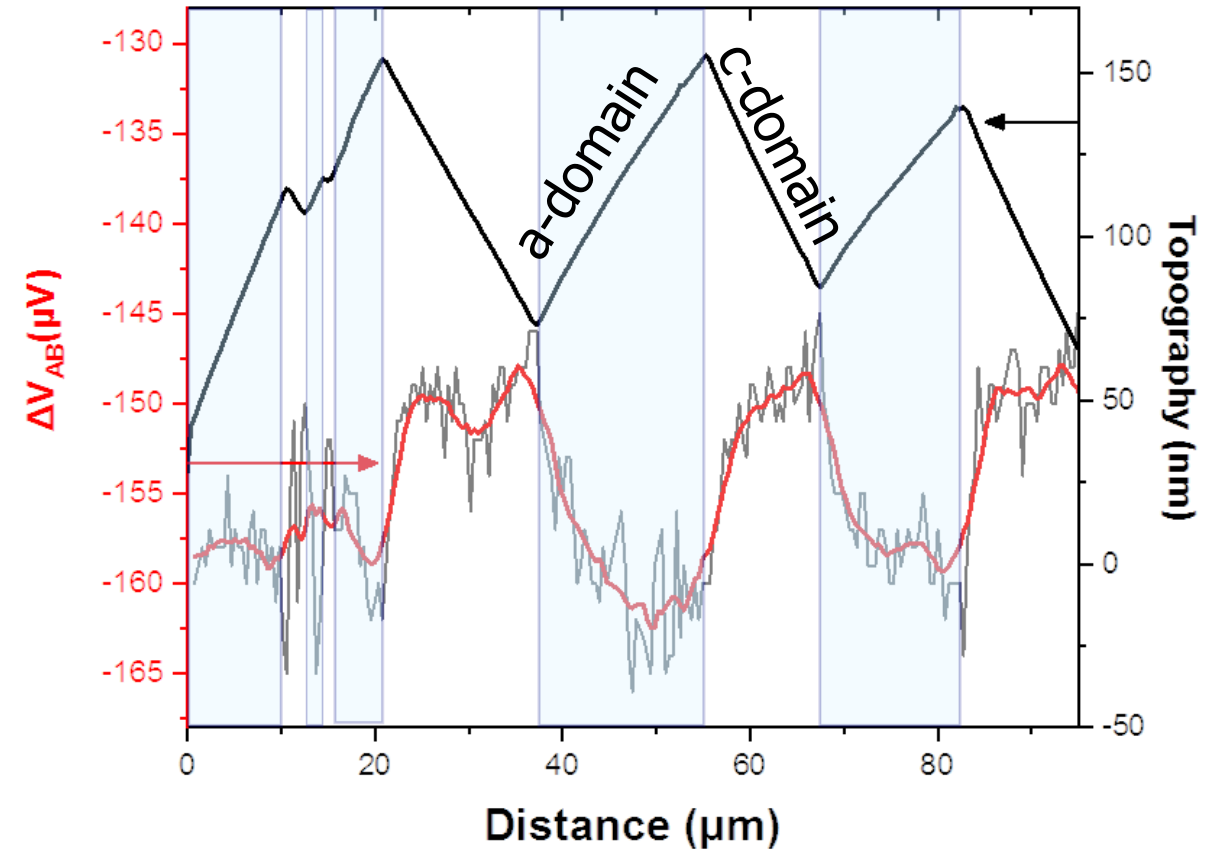
$$\Lambda_{ph-BaTiO_3} \cong 100 \text{ nm}$$

Scanning Thermal Microscopy measurement

In vacuum

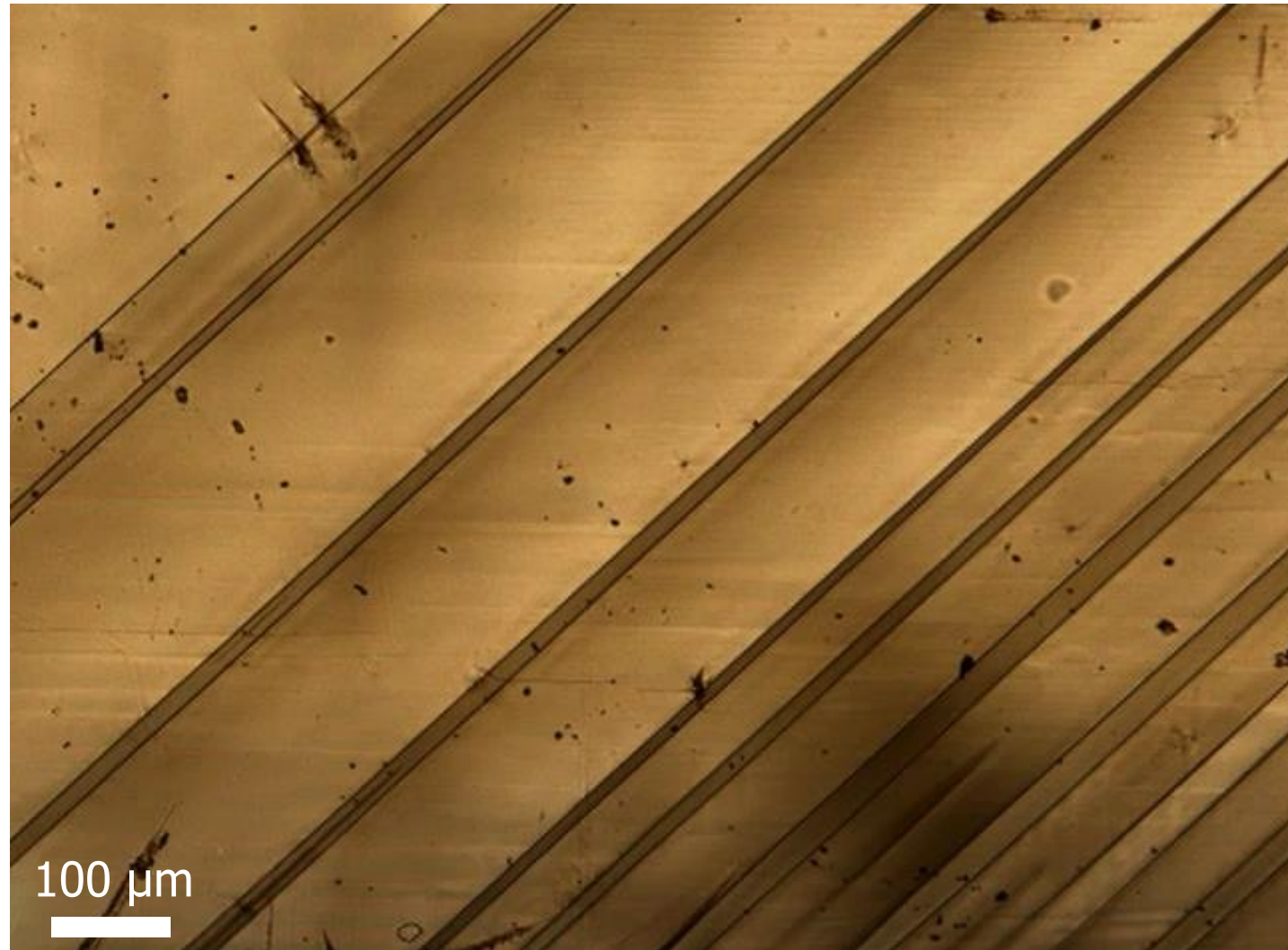


In air



$$K_{\text{a-domain}} - K_{\text{c-domain}} = + 0.3 \text{ W m}^{-1} \text{ K}^{-1}$$

Ferroelectric domains move under an electric-field

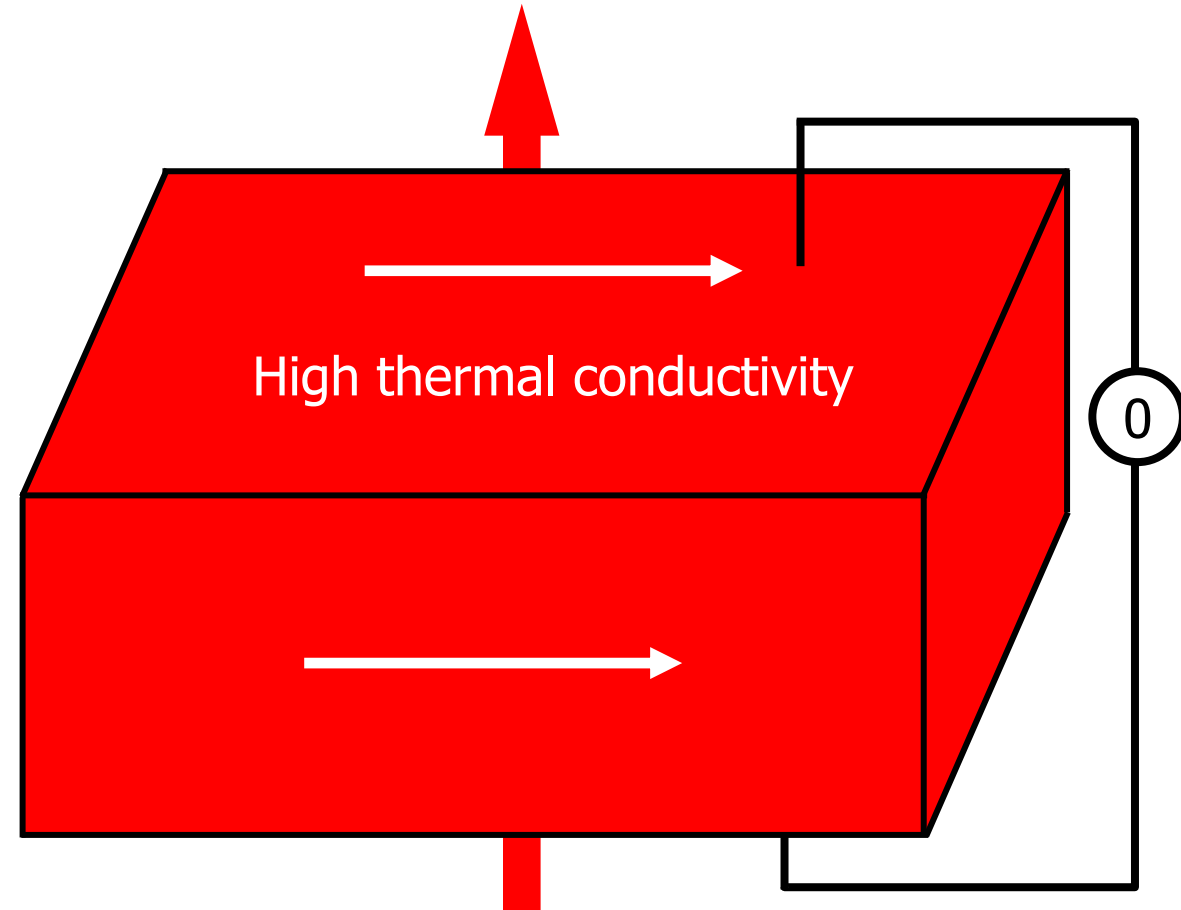
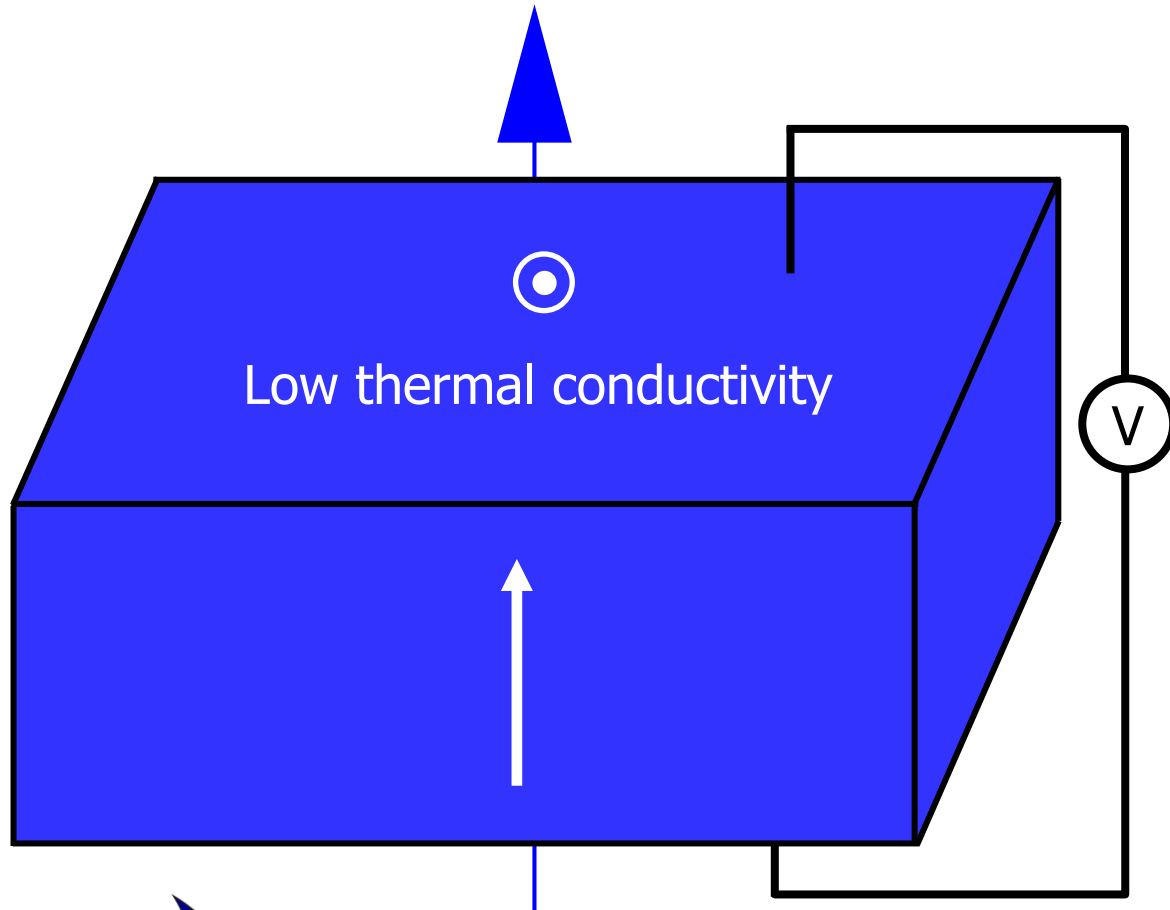


Take home message: a ferroelectric thermal switch

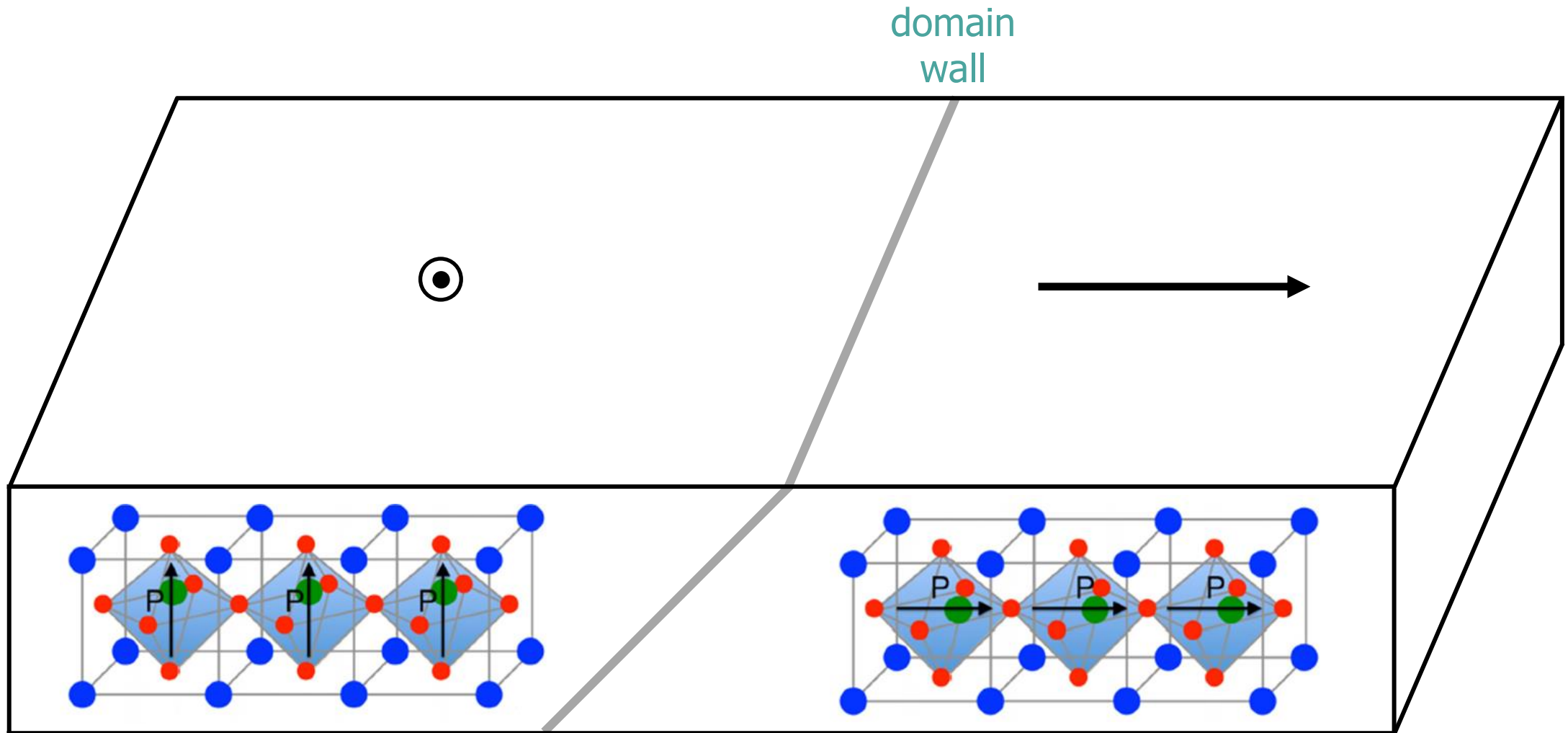
Ferroelectric domains exhibit different **thermal conductivities**

Ferroelectric domains move under an **electric field**

→ it's a **thermal switch**!



What about domain walls?



A zoo of ferroelectric domain walls

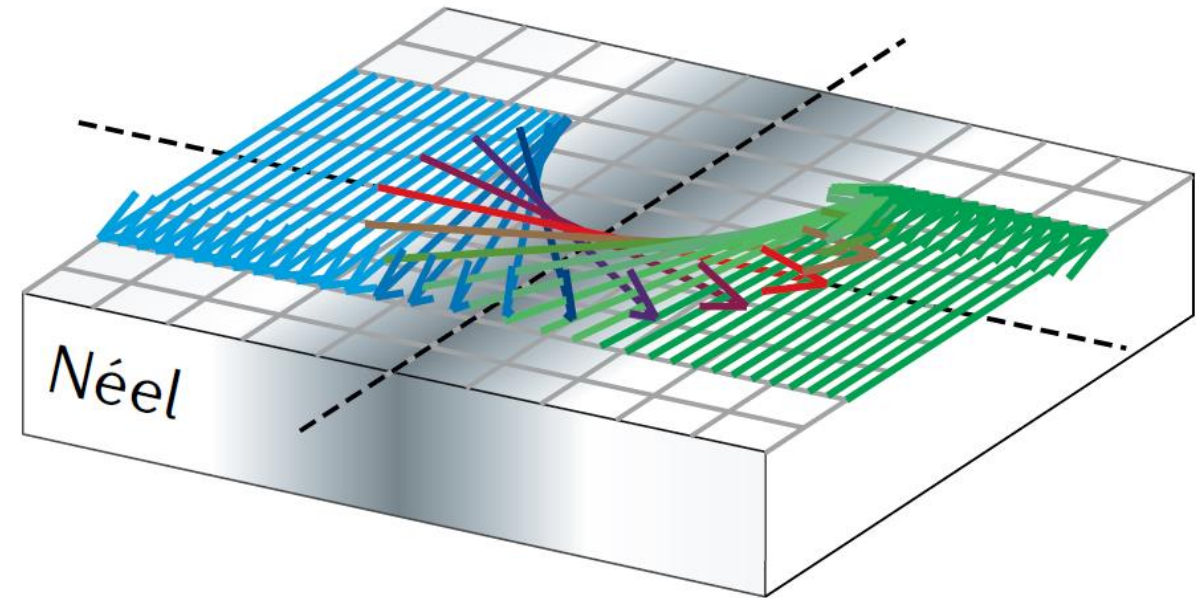
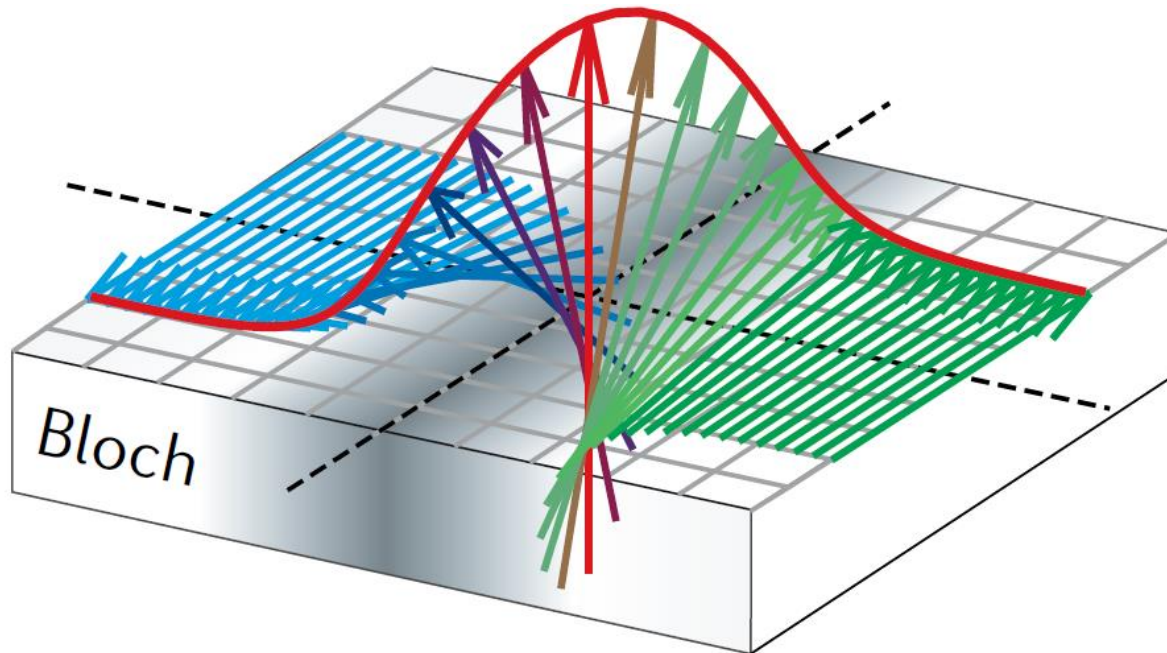
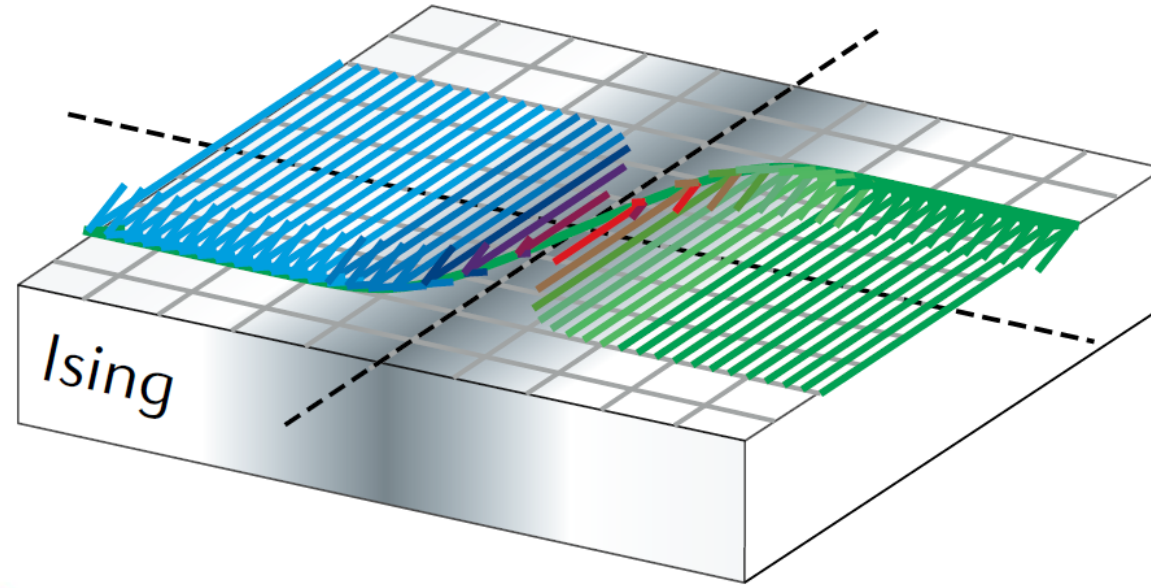
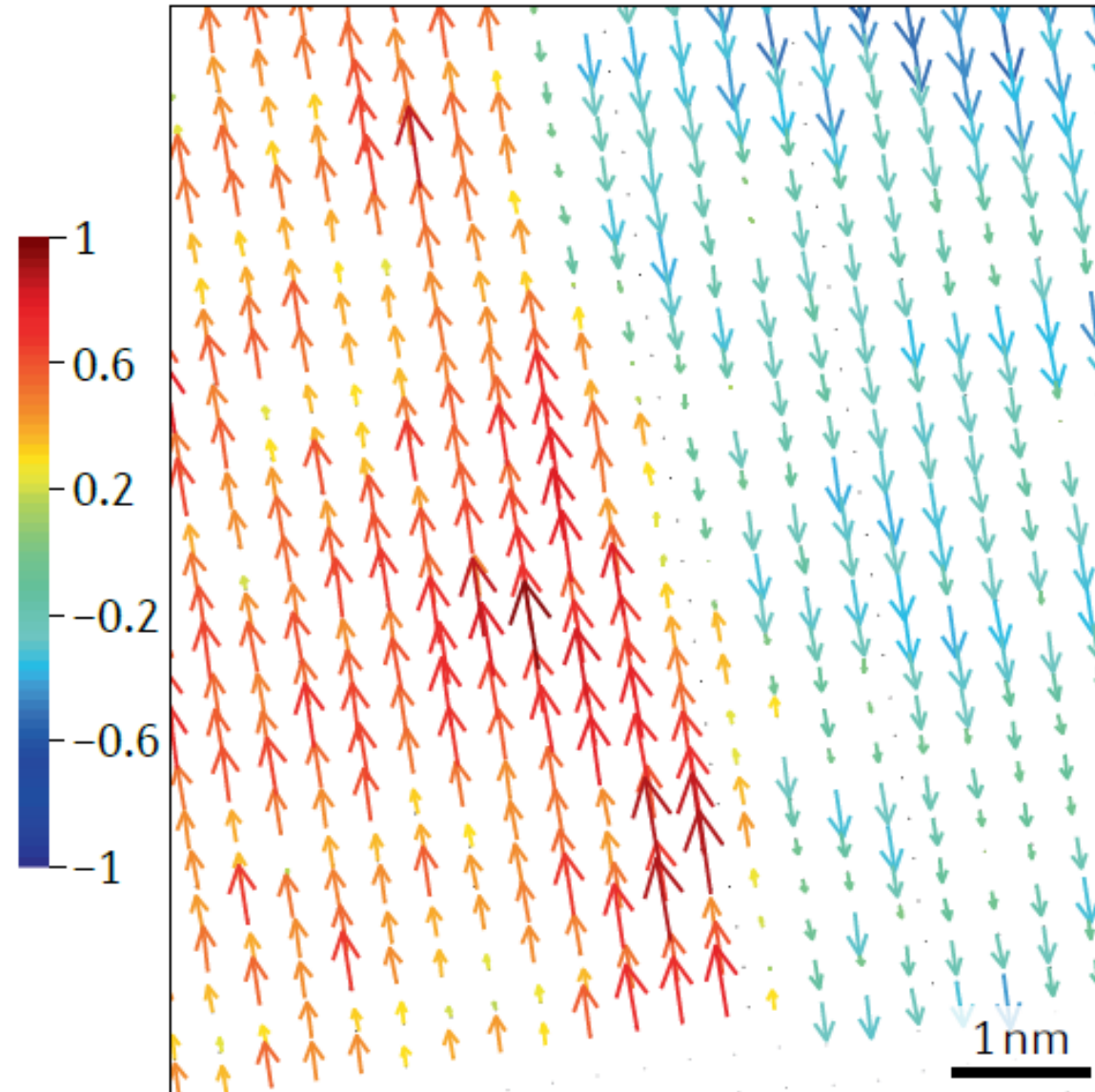
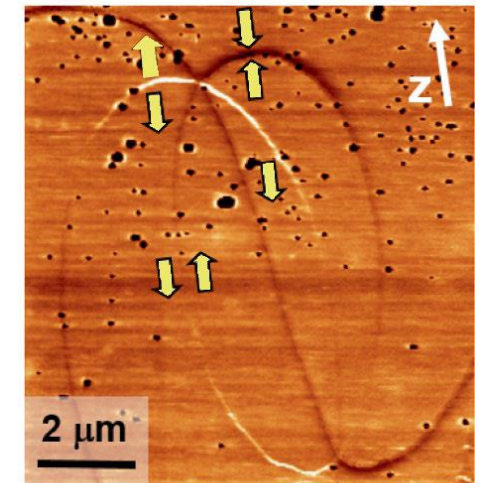
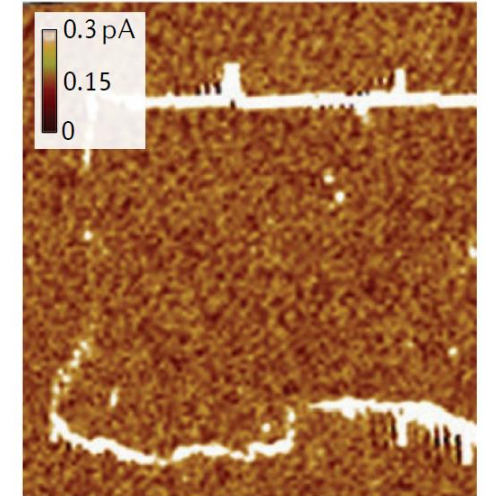


Image of a real ferroelectric domain wall

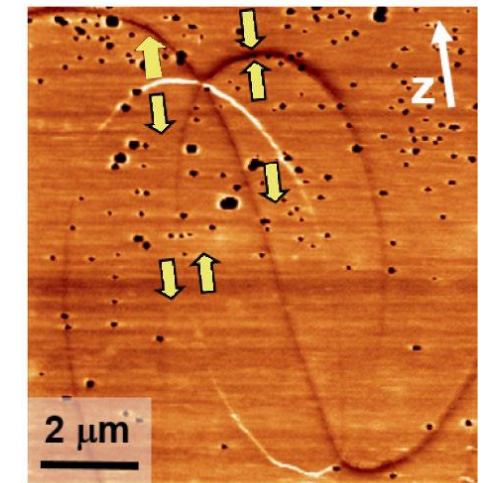
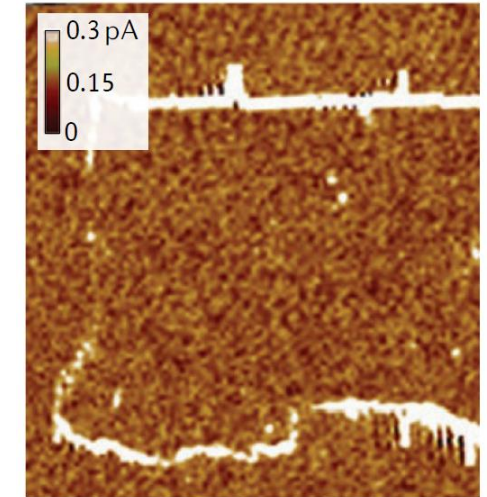
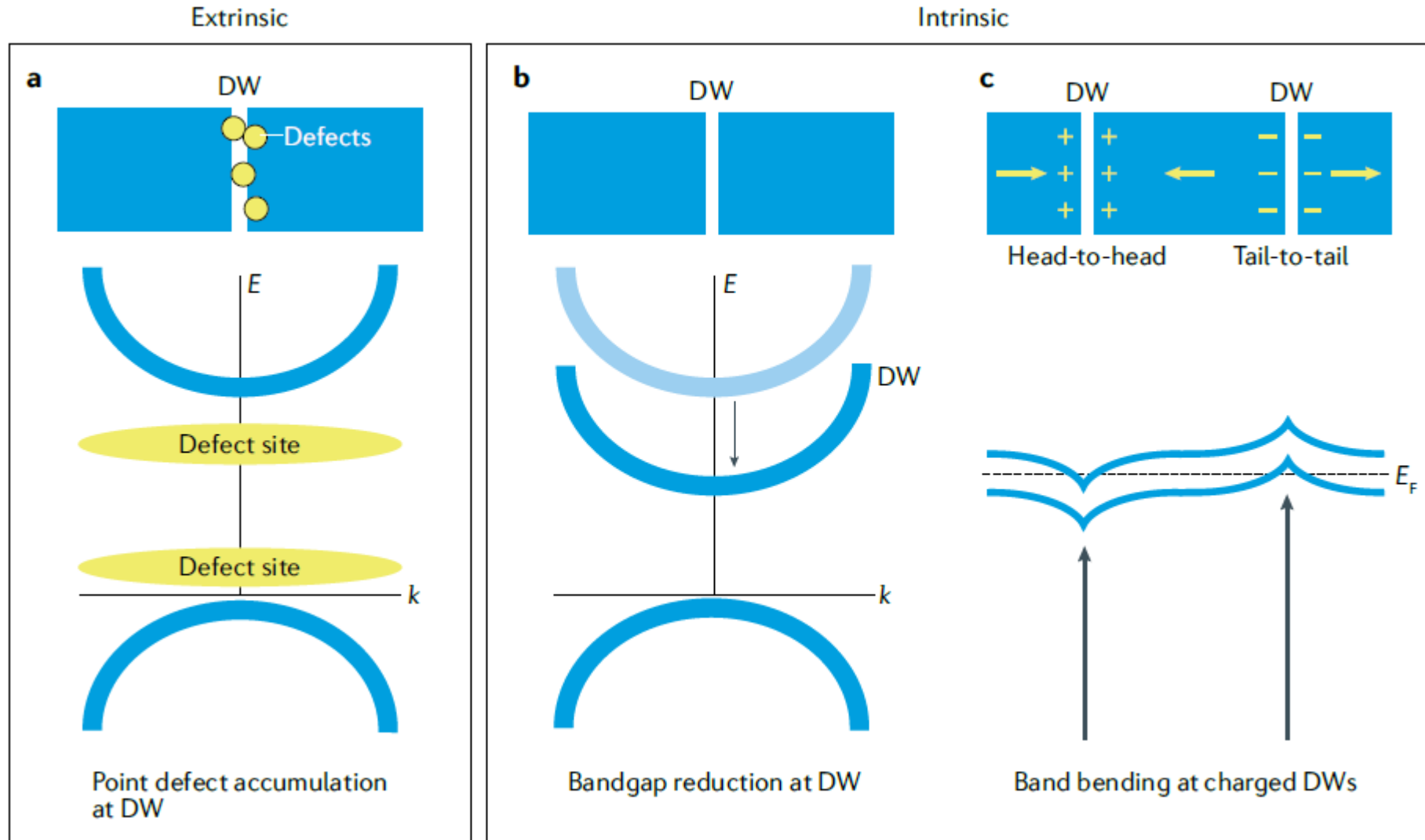
Scanning transmission electron microscopy on a 180° Ising domain wall in LiNbO_3



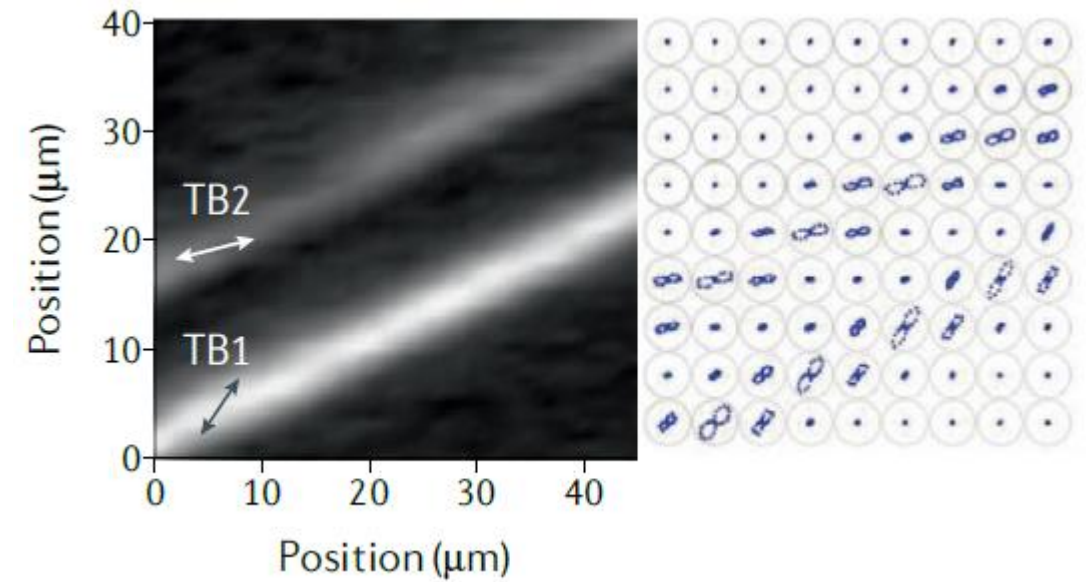
Domain-wall engineering: electric conduction in ferroelectrics



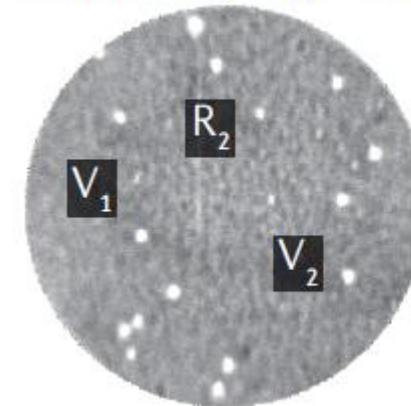
Domain-wall engineering: electric conduction in ferroelectrics



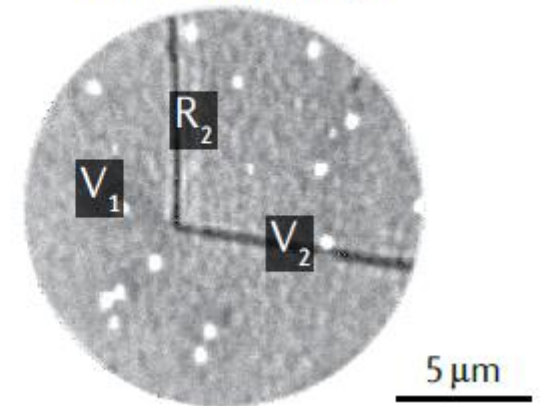
Domain-wall engineering: polarization in non-polar materials



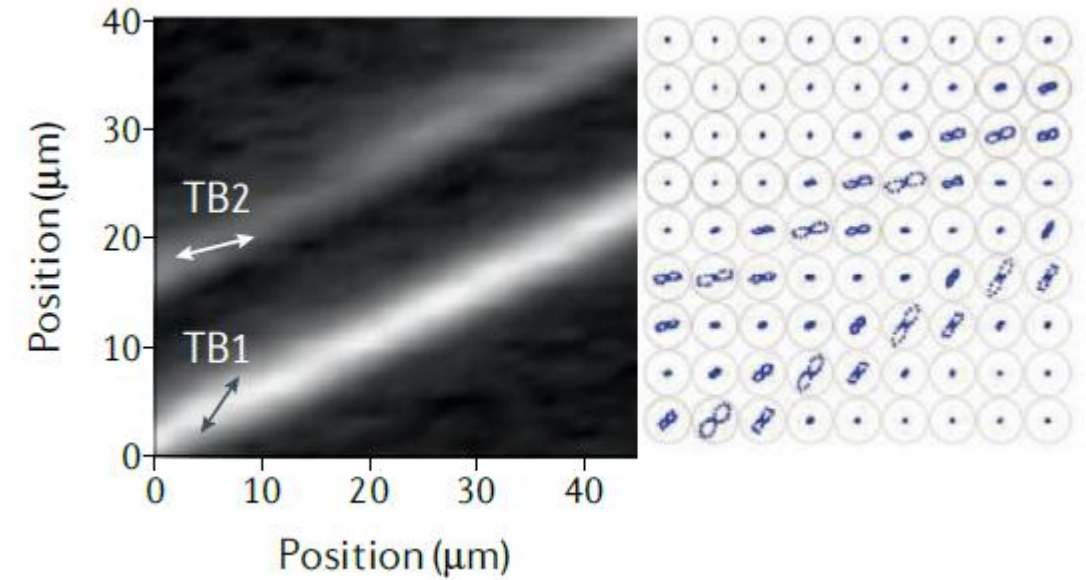
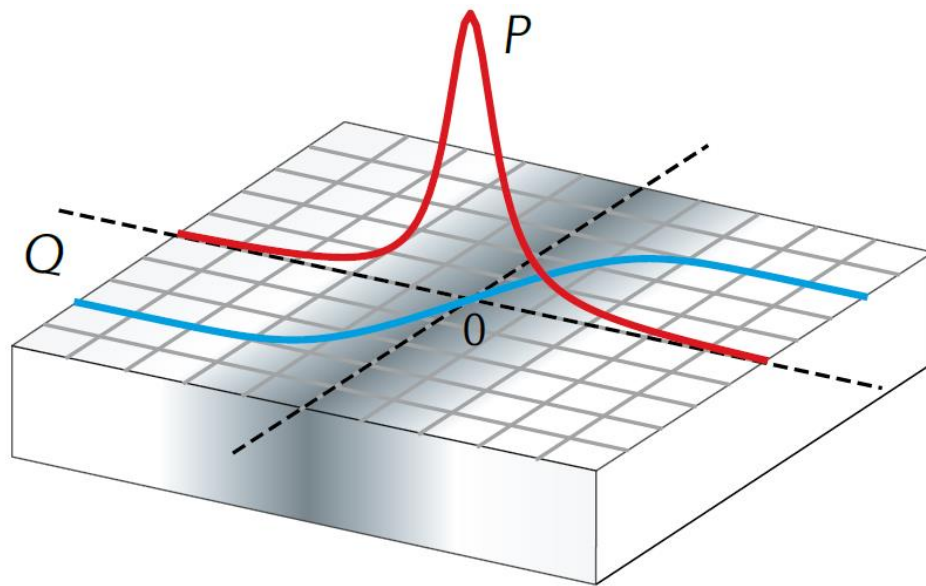
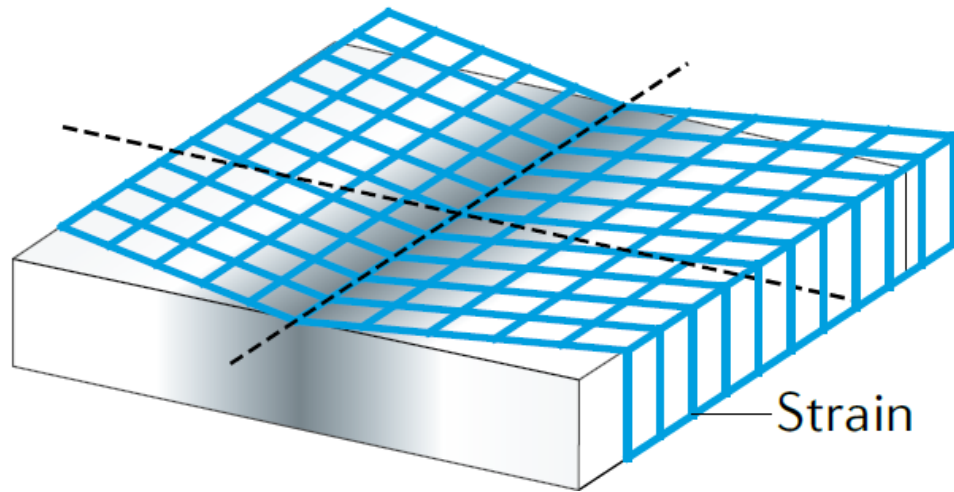
After charge injection



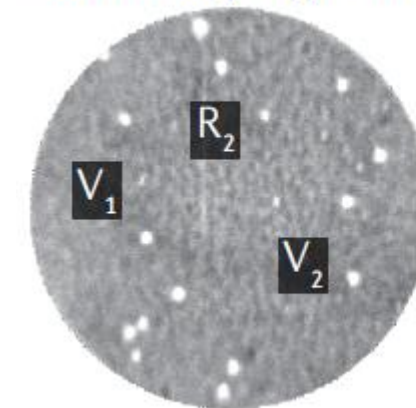
After annealing



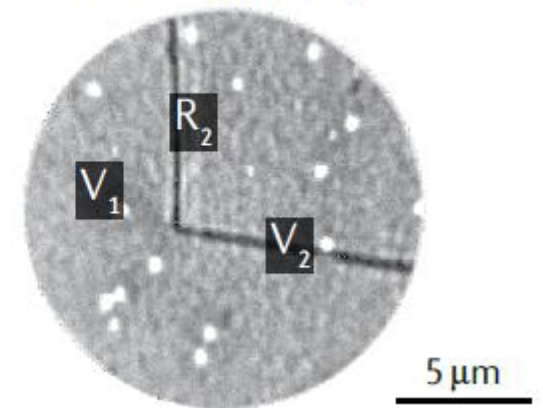
Domain-wall engineering: polarization in non-polar materials



After charge injection



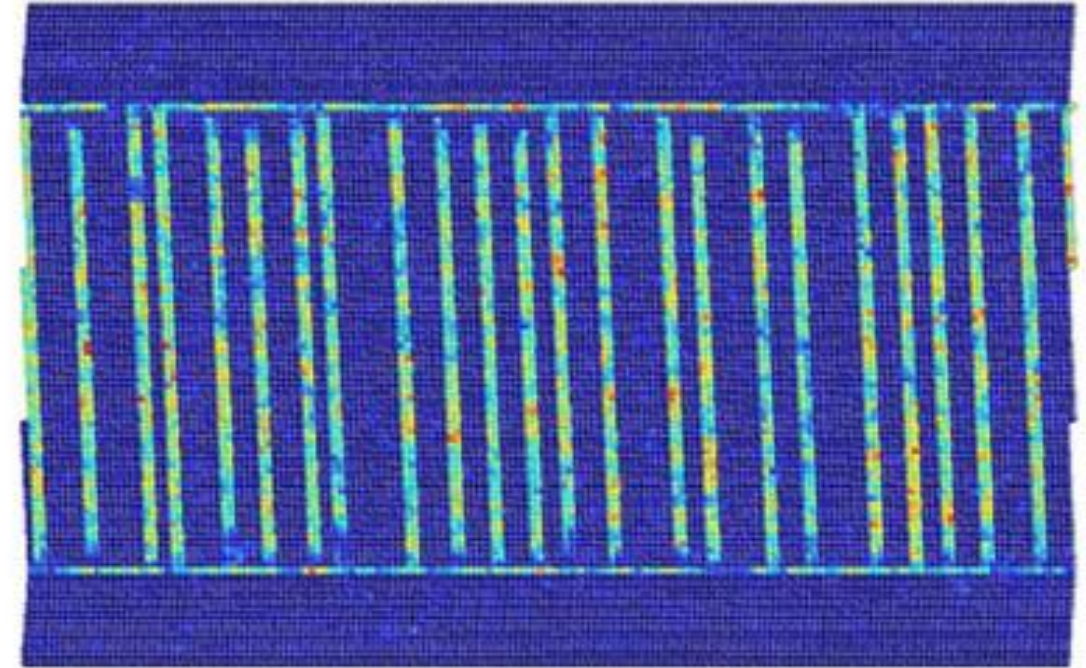
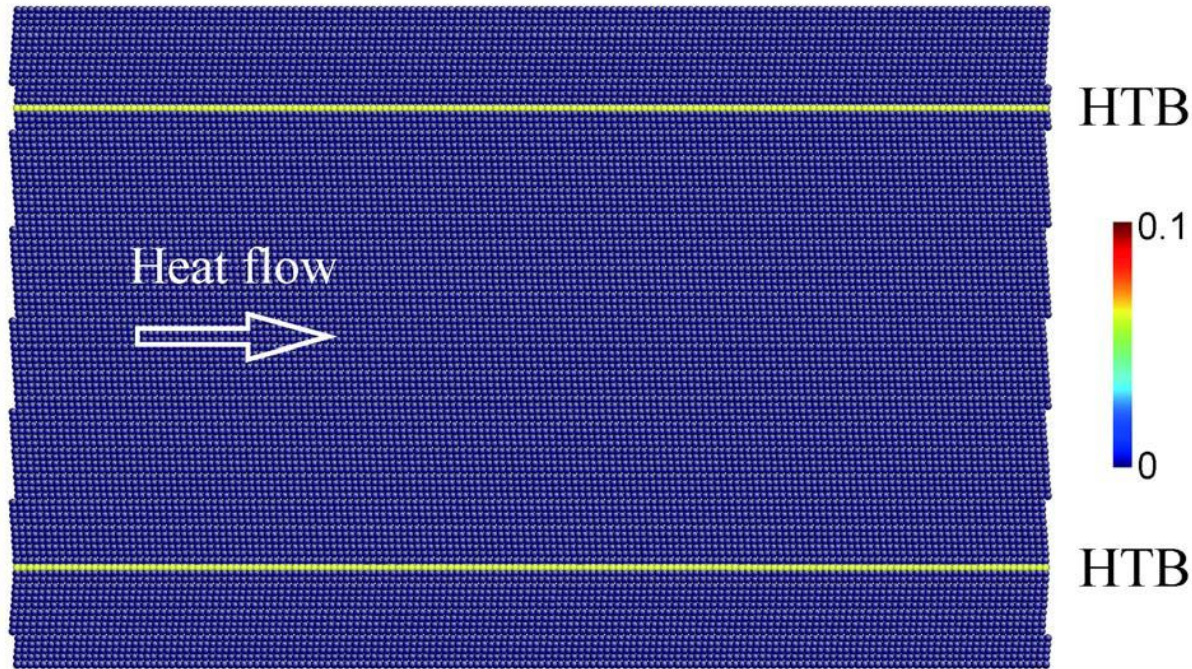
After annealing



Domain-wall engineering in ferroelectric and ferroelastic materials

Domain walls are 2D topological defects that can **move** in response to an electric-field or an applied pressure. When this **spatial confinement** is combined with observations of emergent **functional properties**, it becomes clear that domain walls represent new and exciting objects in matter.

Prediction: domain walls reduce the thermal conductivity

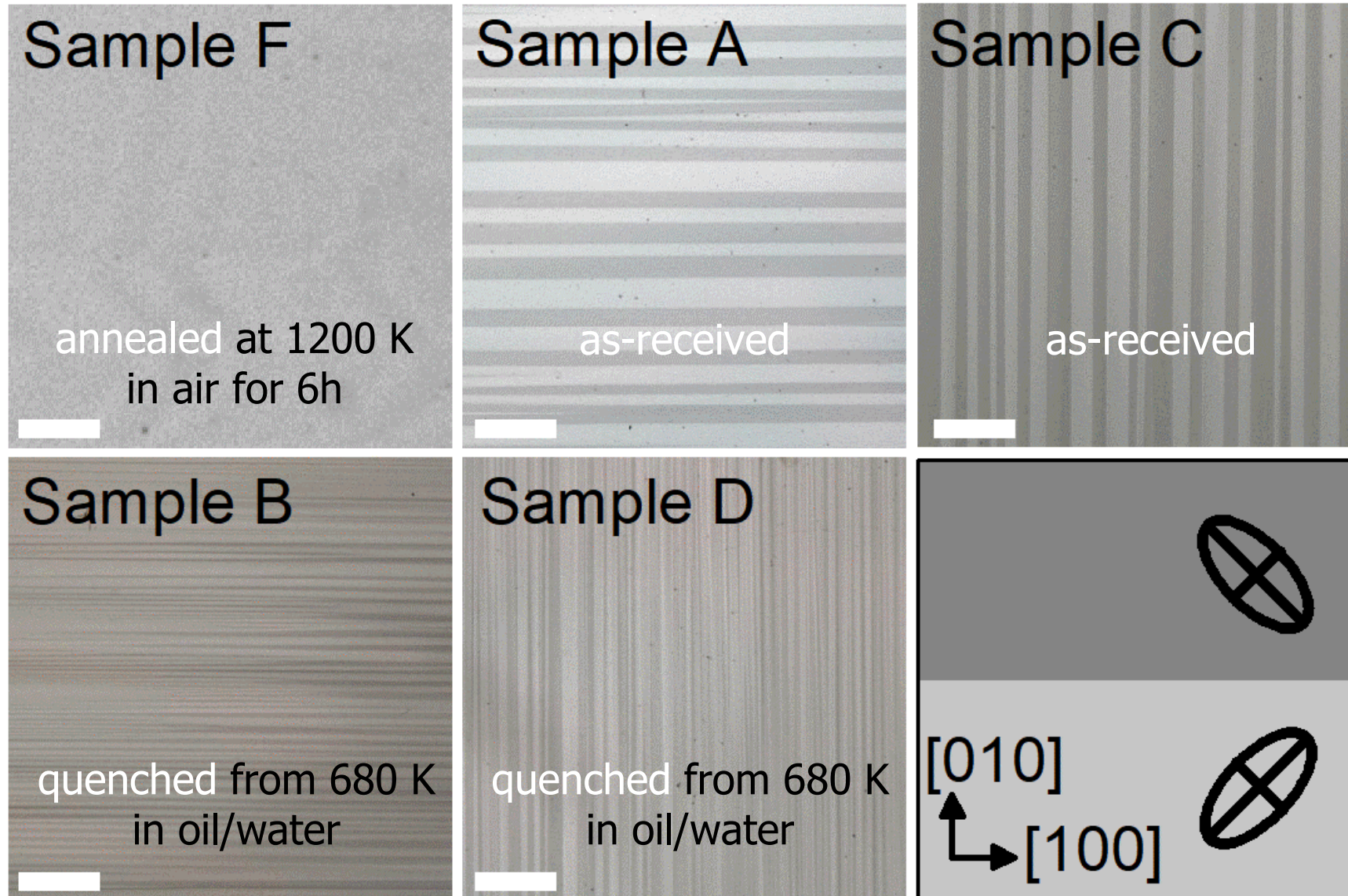


High thermal conductivity

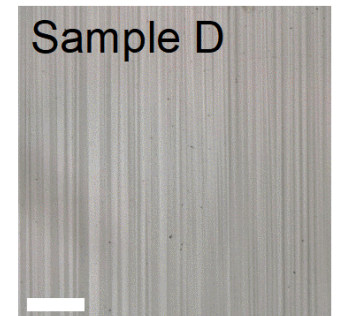
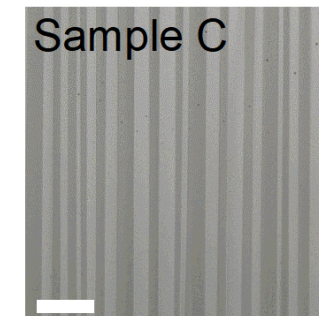
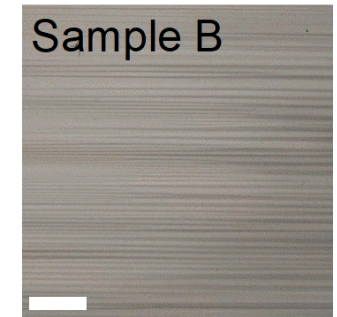
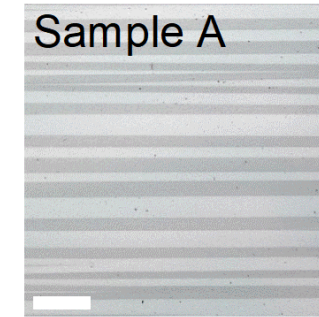
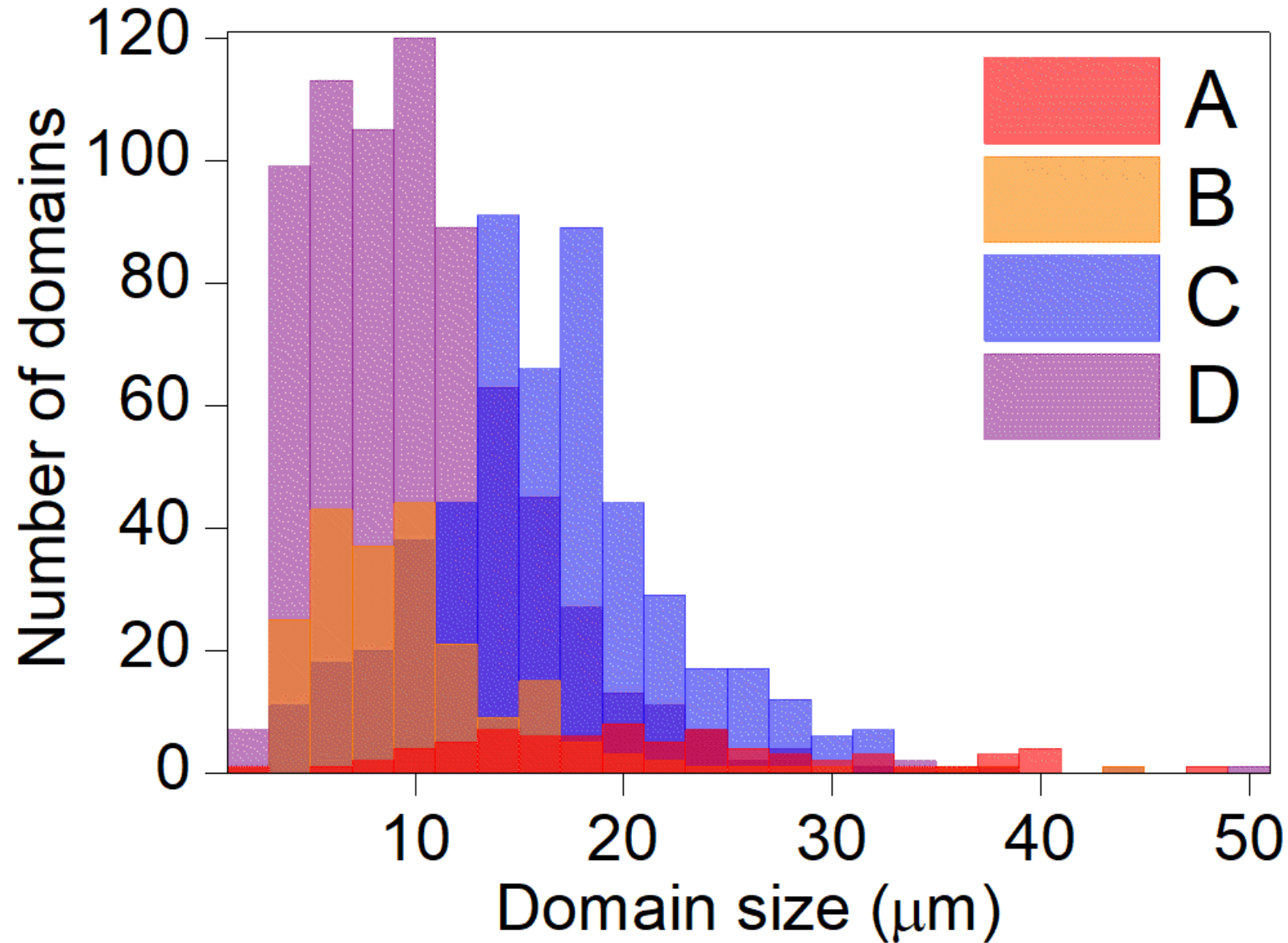
$$K_{\text{High}}/K_{\text{Low}} = 4$$

Low thermal conductivity

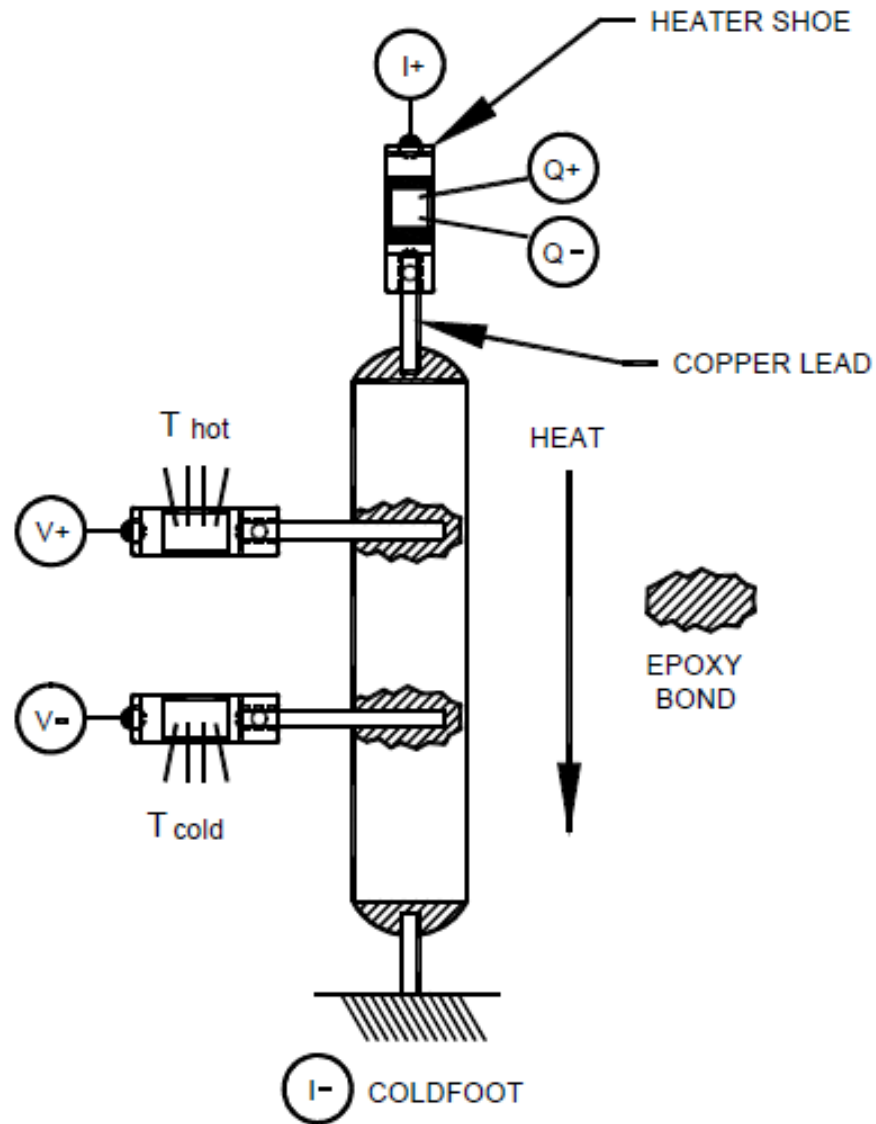
A set of suitable samples: LaAlO_3 single crystals



Different densities of domain walls

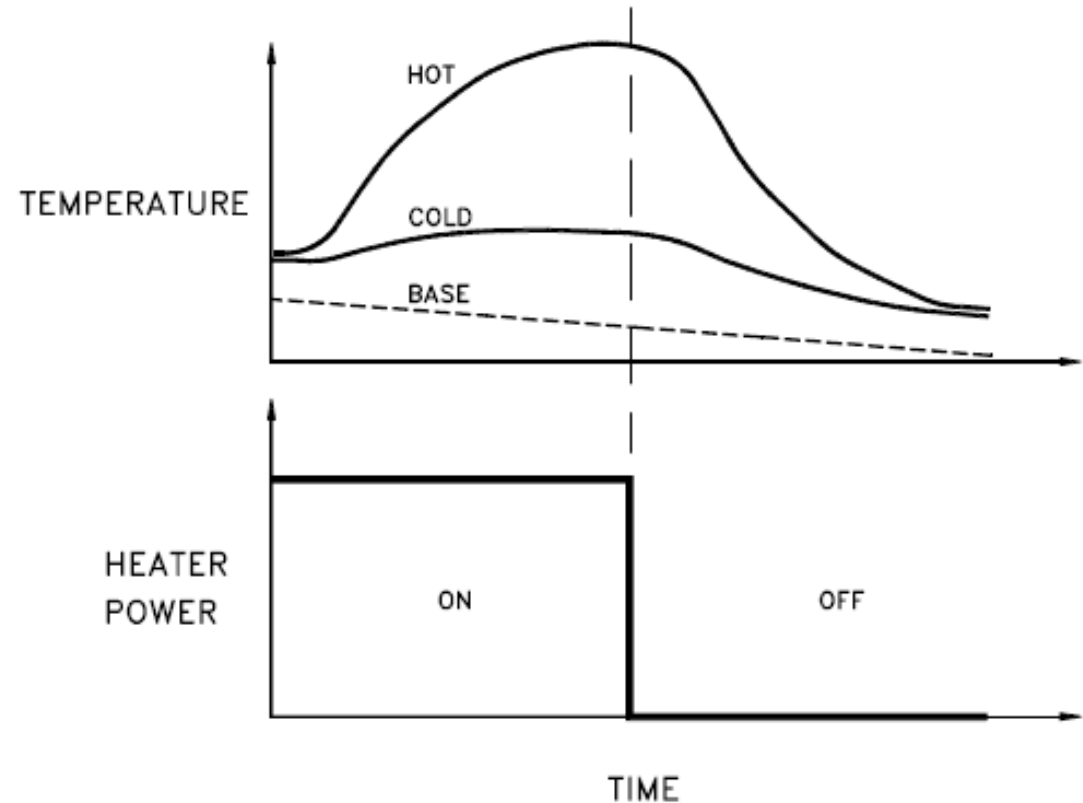


Physical Property Measurement System (PPMS)

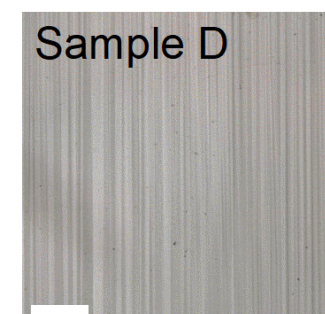
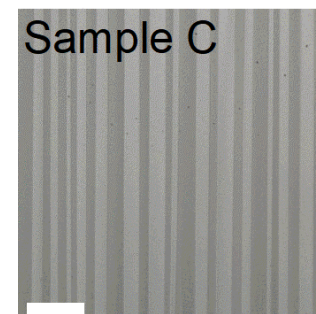
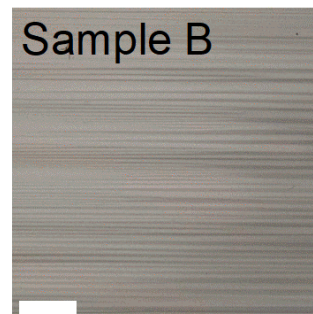
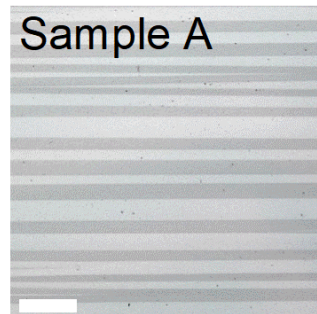
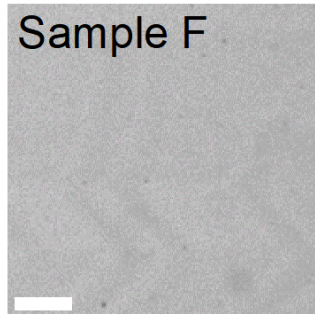
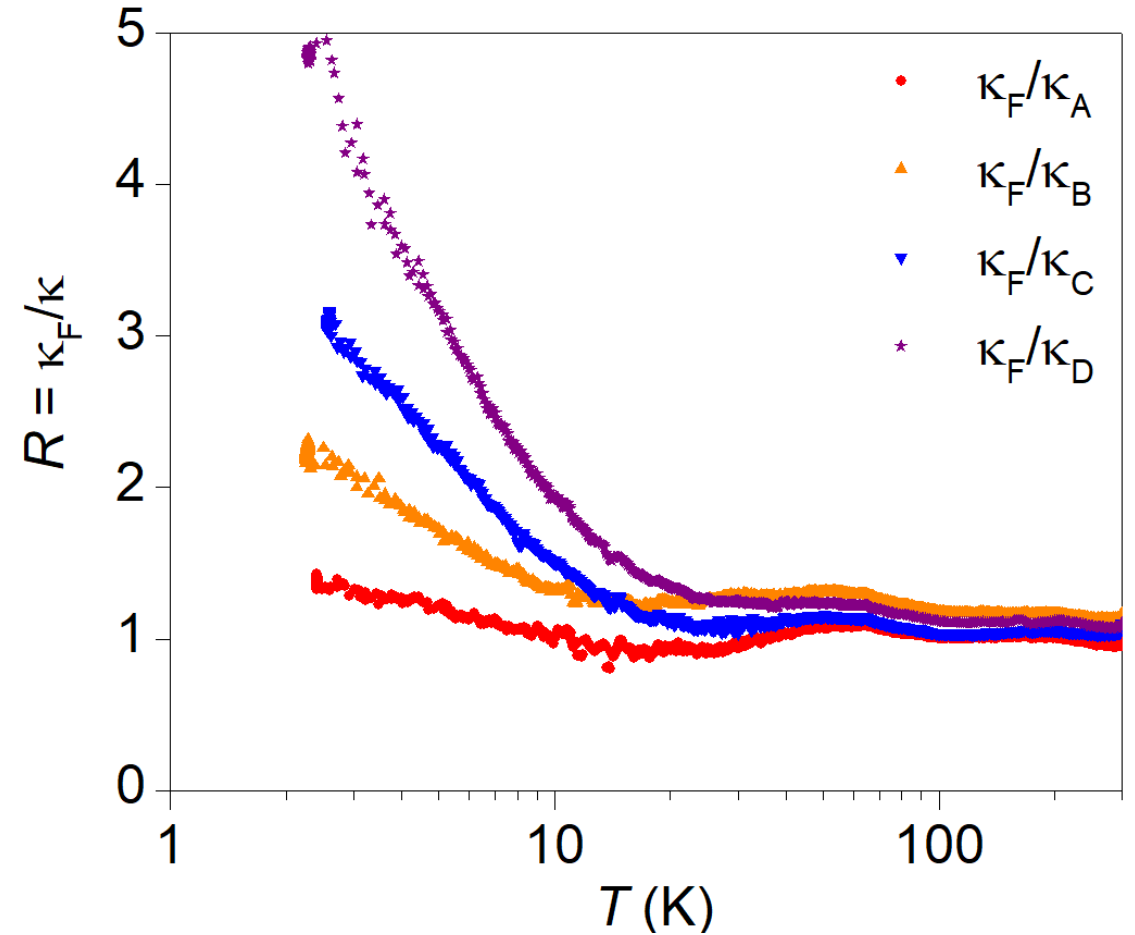
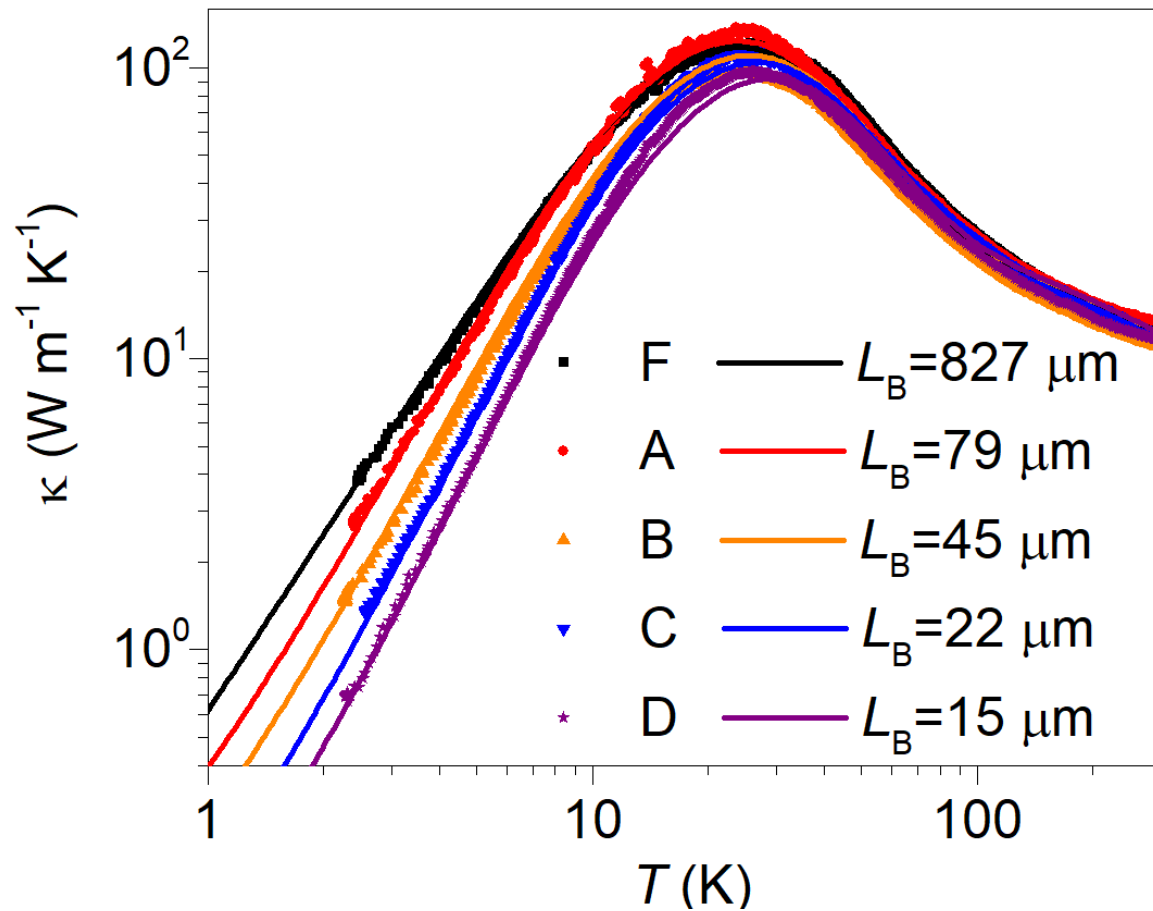


0.2 K min^{-1}

data on cooling and heating



Domain walls reduce the thermal conductivity



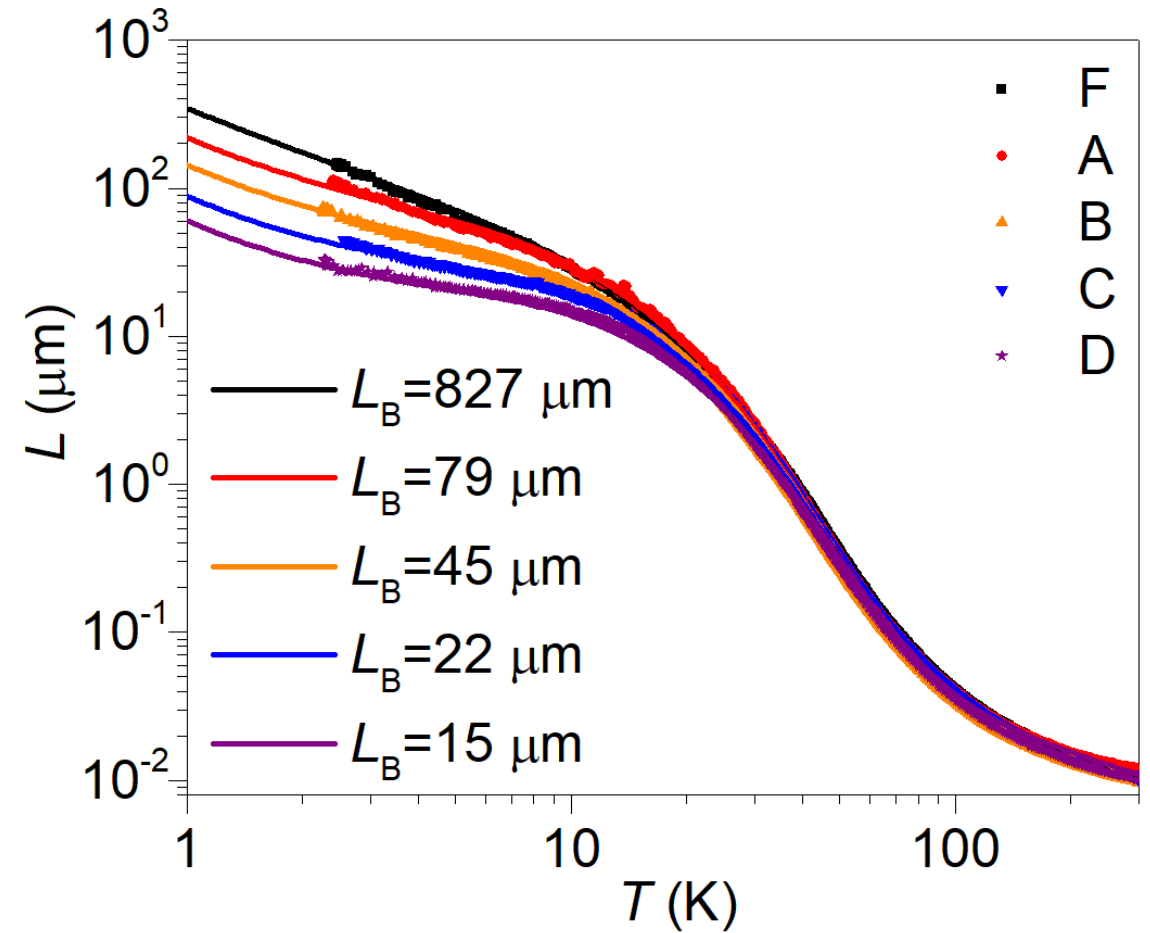
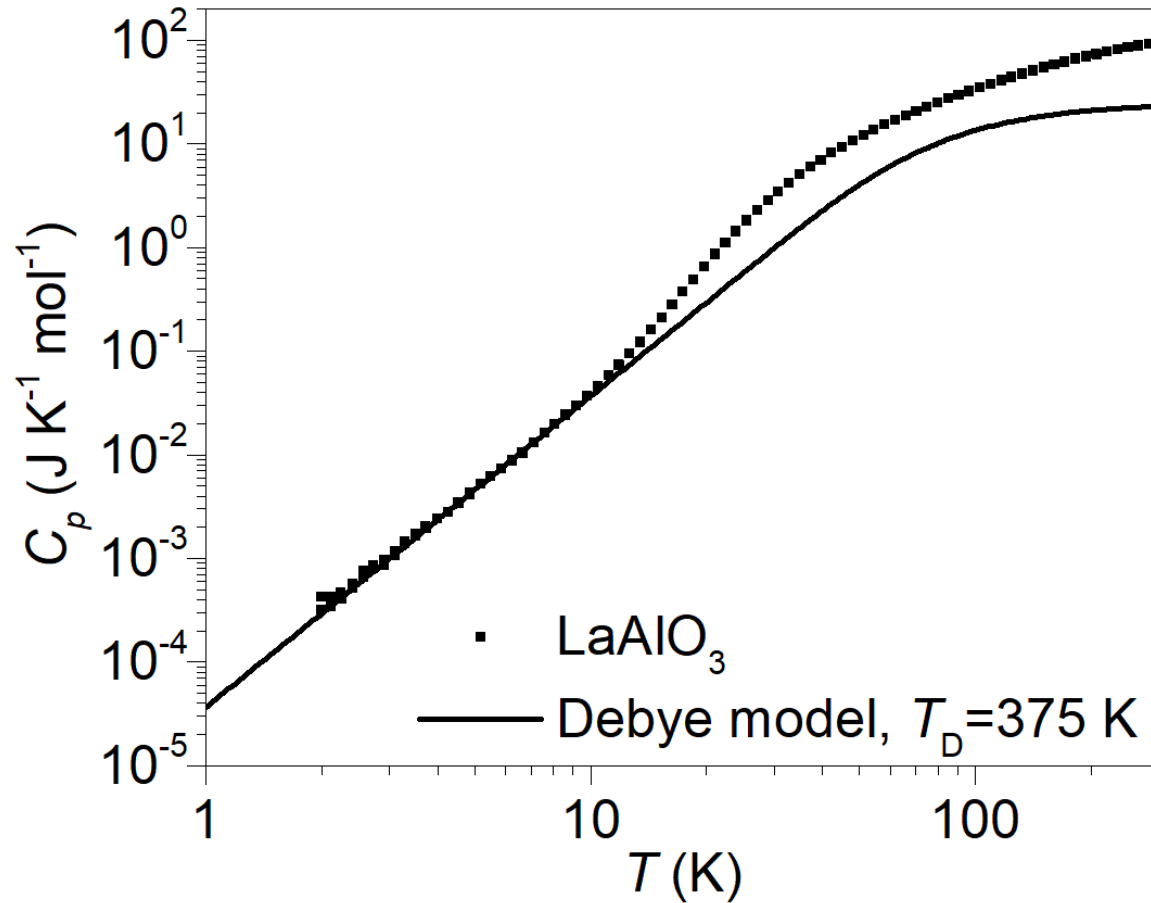
Mean free path of the phonons

Mean free path: $k = 1/3 C_v v L$

Effective mean free path: $1/L = 1/L_{\text{domain wall}} + 1/L_{\text{monodomain}}$

Scattering mechanisms:

domain walls, dislocations, Umklapp



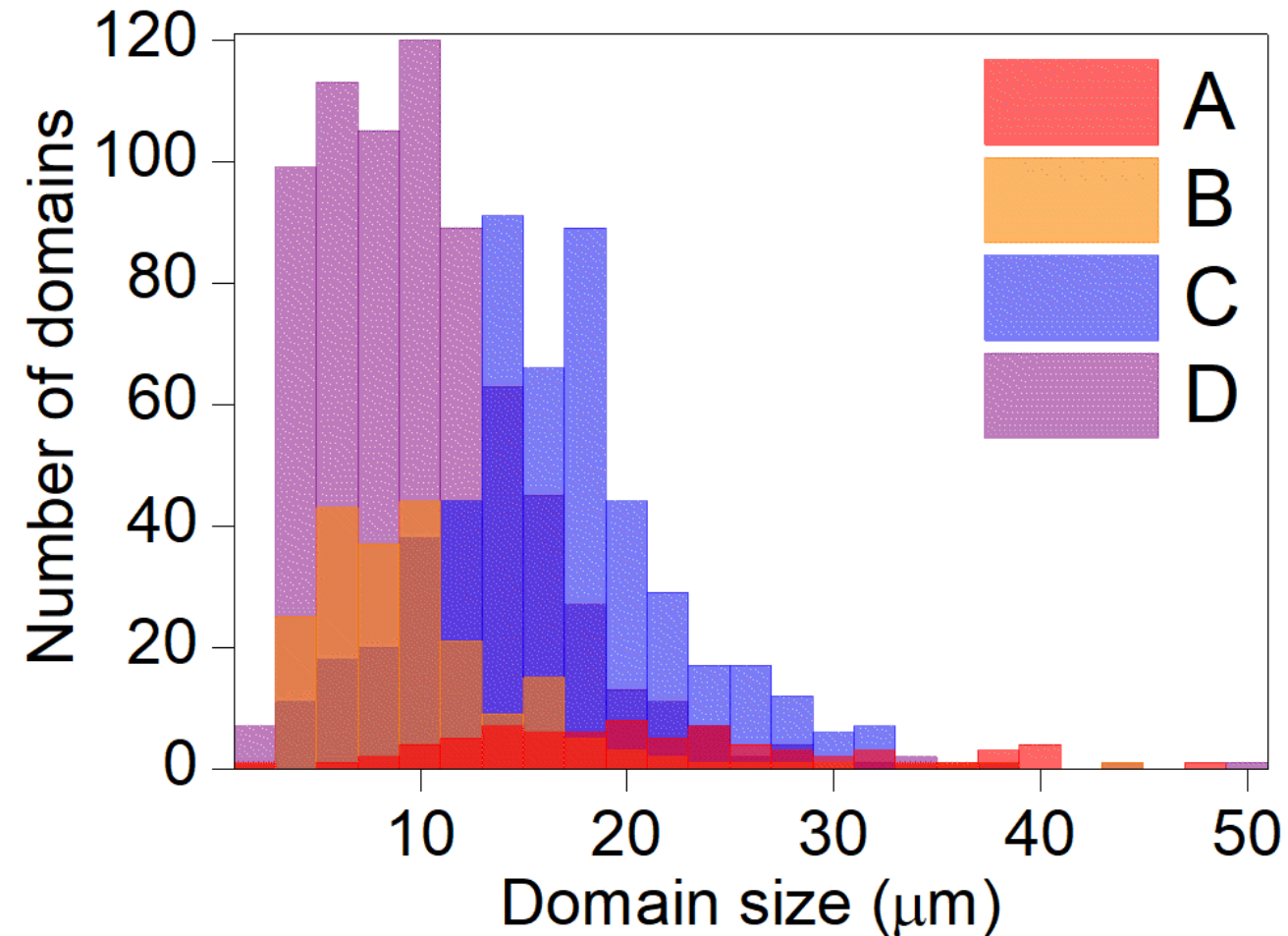
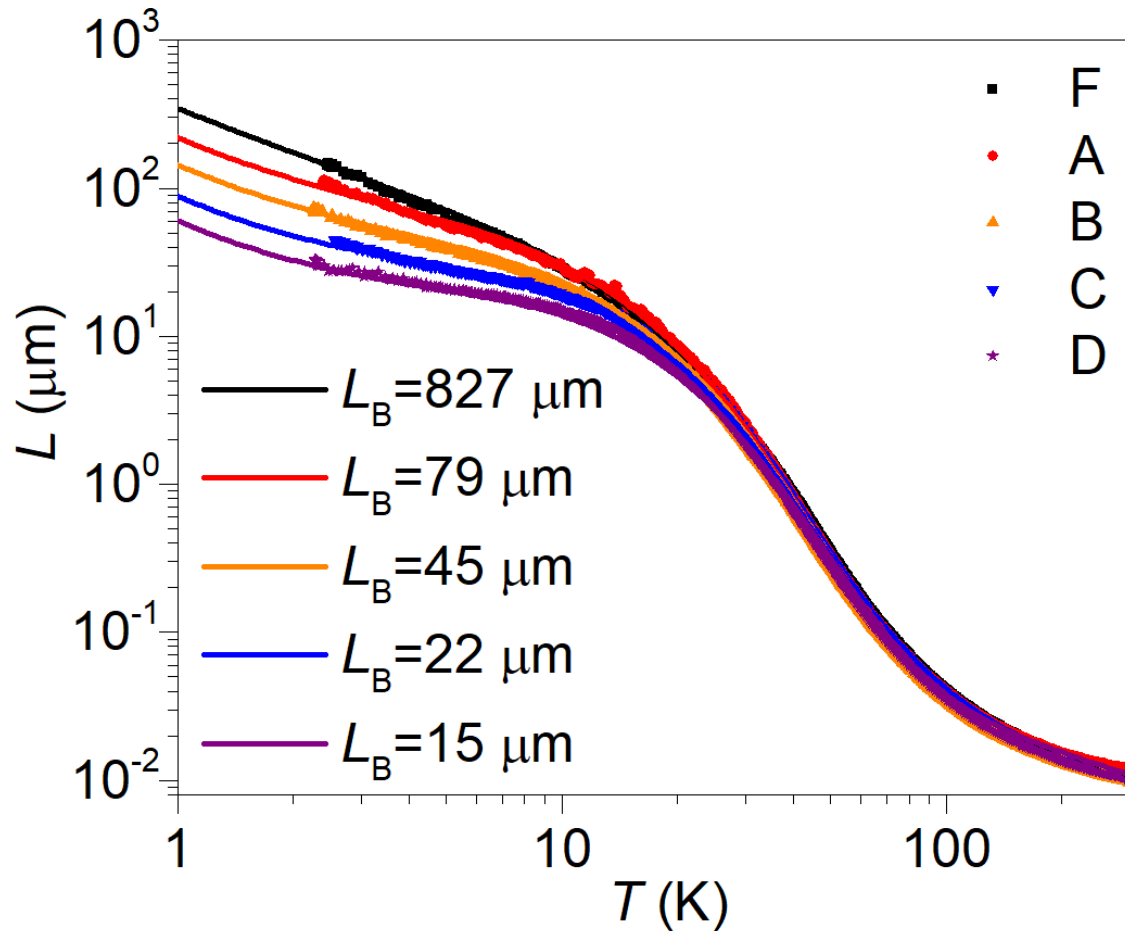
Mean free path of the phonons

Mean free path: $k = 1/3 C_v v L$

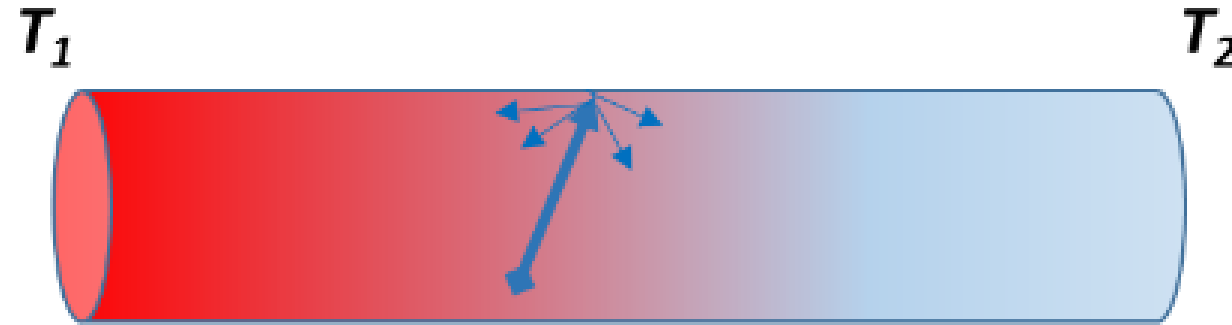
Effective mean free path: $1/L = 1/L_{\text{domain wall}} + 1/L_{\text{monodomain}}$

Scattering mechanisms:

domain walls, dislocations, Umklapp



Revisiting the Casimir model

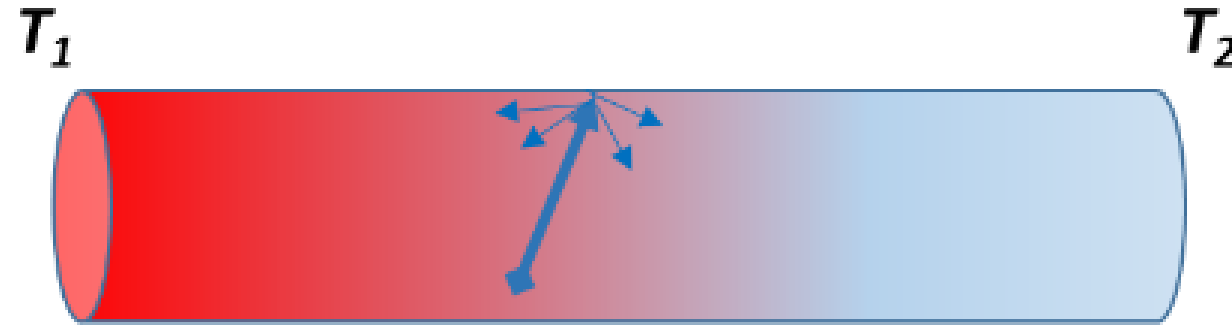


Each domain can be considered as an independent rectangular rod with its own thermal conductivity

If walls are orthogonal to the flow, domains are in series, thermal resistances are additive

If walls are parallel to the flow, domains are in parallel, thermal conductances are additive

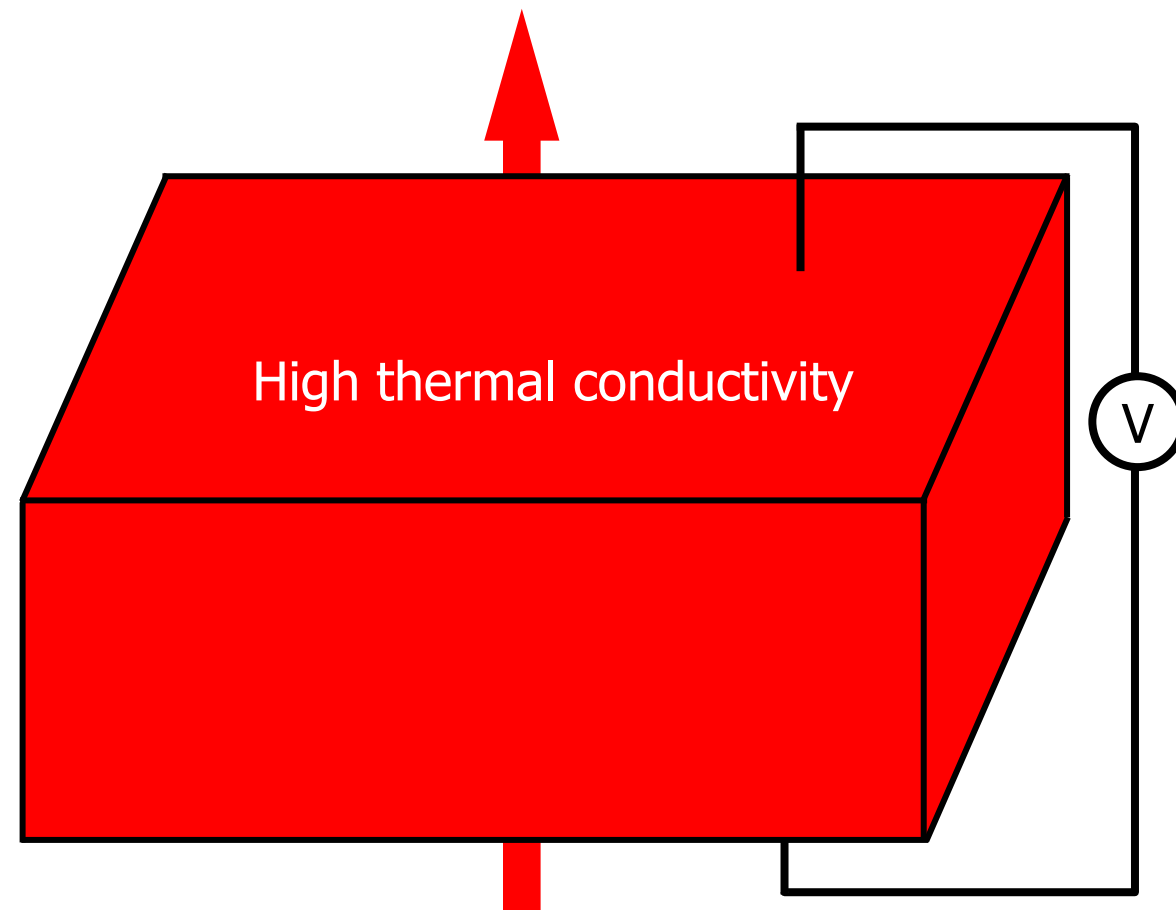
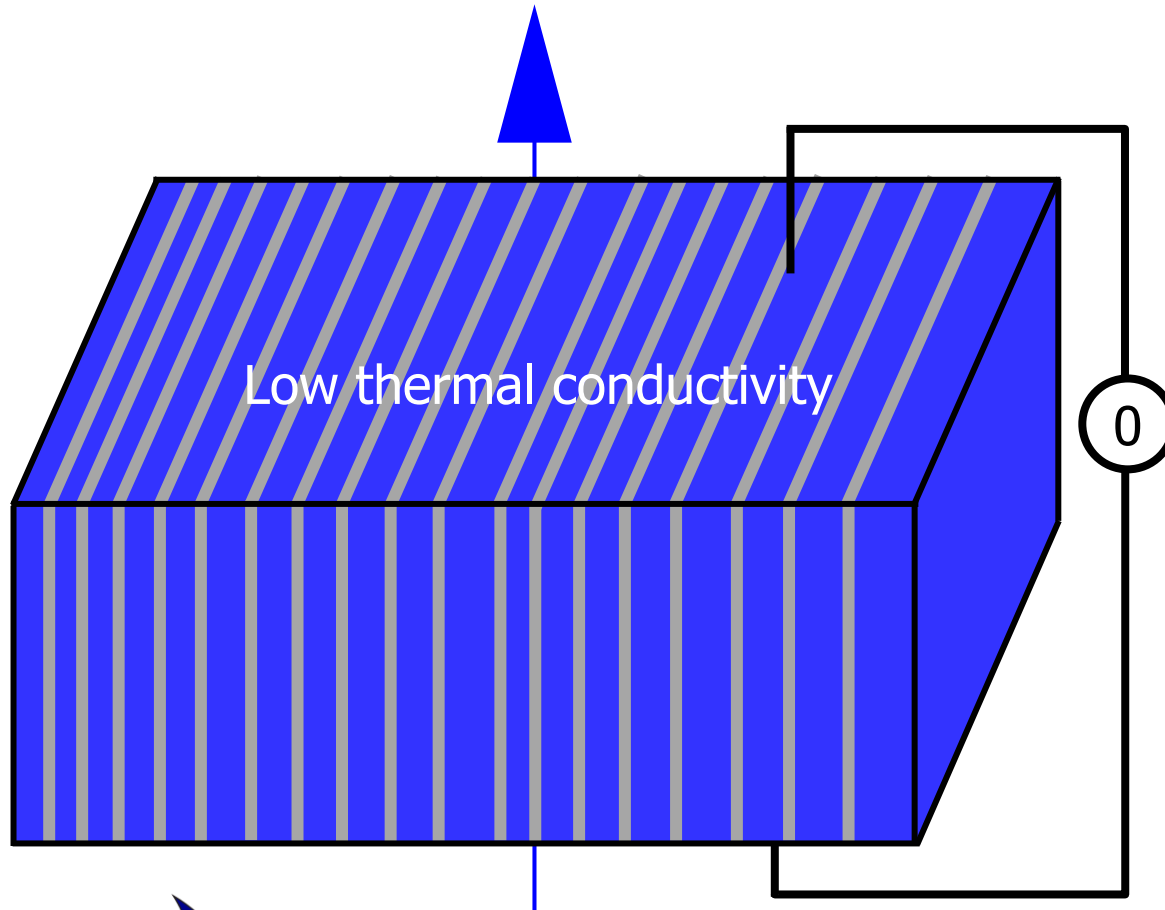
Revisiting the Casimir model



Samples:	F	A	B	C	D
D (μm)	monodomain	19	9	15	9
L_B (μm)	827	79	45	22	15
L_C (μm)	827	78	47	12	8

Take home message: a "ferroelectric" thermal switch

Domain walls lead to a **strong reduction** of the thermal conductivity (factor 5)
Domain walls **parallel** to the heat flow influence the thermal conductivity
The mean free path of the phonons is larger than the size of the domains



Acknowledgements

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LUXEMBOURG: Hugo Aramberri, Jorge Íñiguez



greman.univ-tours.fr

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